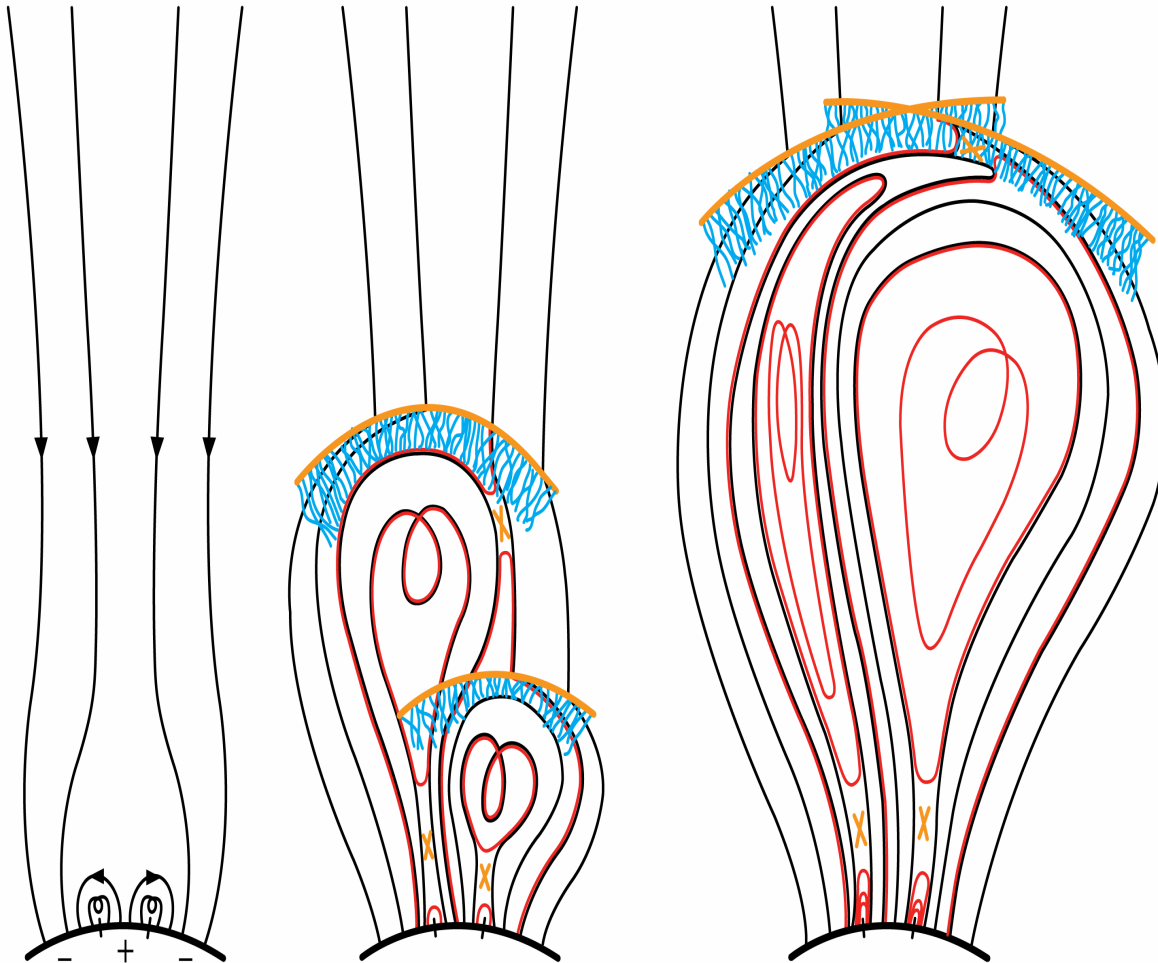


What causes an extreme event - a "twin-CME" scenario?



Space Climate 5

06/17/2013

Oulu, Finland

**G. Li(1), L. Zhao(1), L.
Ding(2), Y. Jiang(2)**

**1. UAHuntsville
2. NJIST**

Space Weather: an international concern

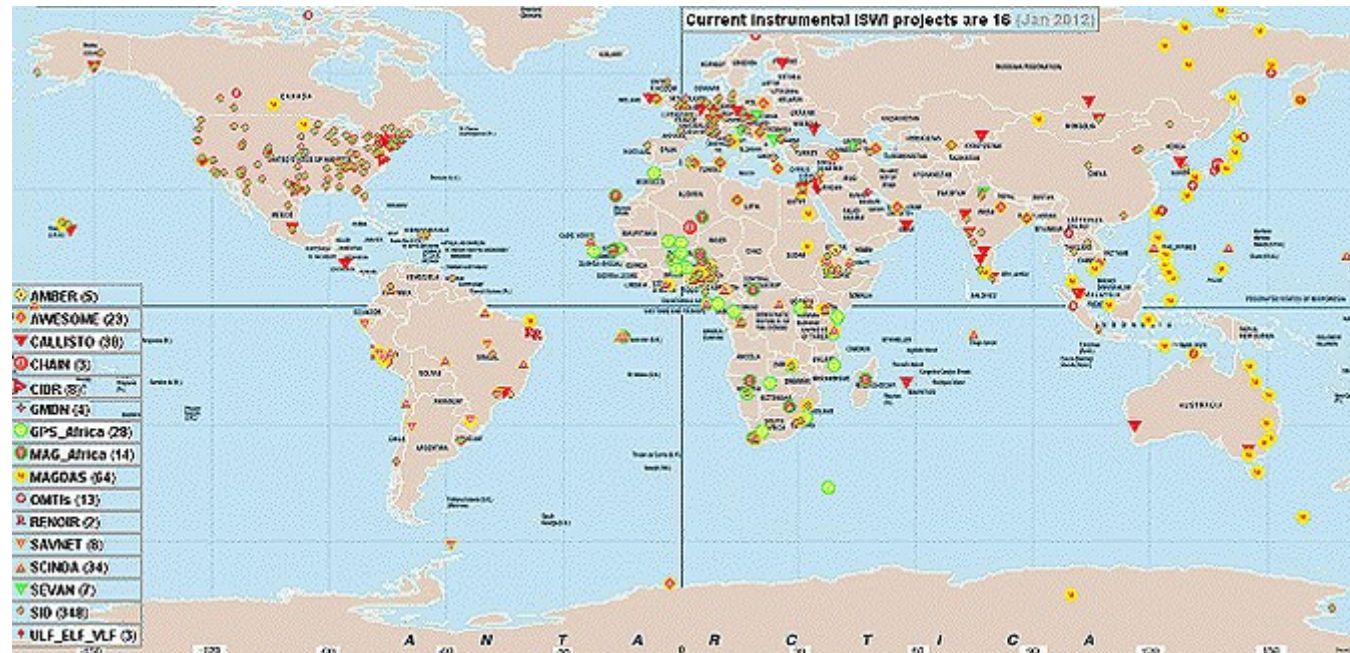


In **2009**, the International Space Weather Initiative (ISWI) is formed to promote the observation, understanding, and prediction of space weather phenomena, and to *communicate the results to the public*.

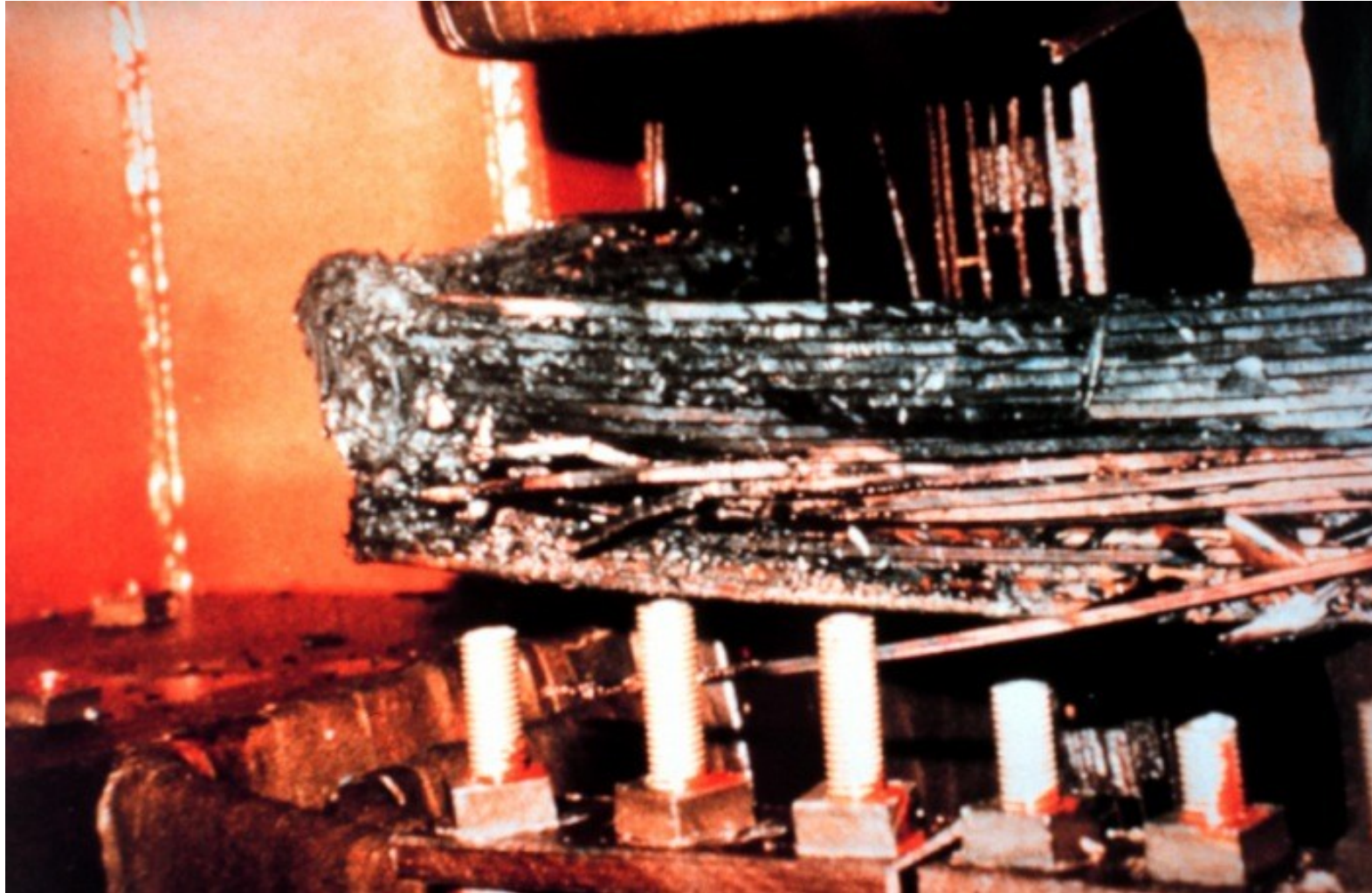
By **2012**,

- more than 70 countries
- over hundreds stations world wide

Space Weather is taking the stage!



Impacting our everyday life



Melted transformer in Quebec power grid,
following a solar flare in March 1989

Image: HydroQuebec

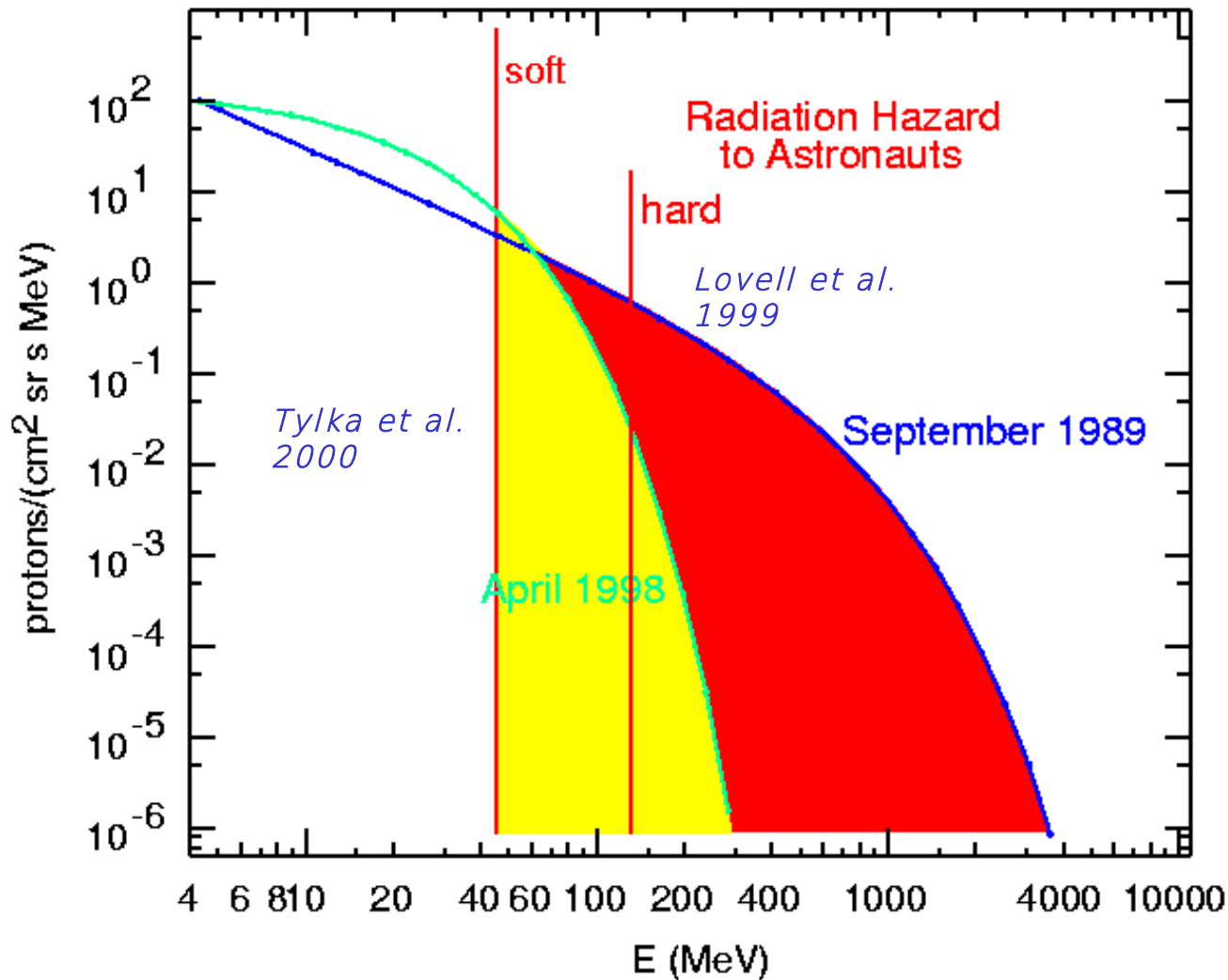
Solar Energetic Particles: No. 1 Space Hazard

Table 1. The Causes of Hazards

Parameter	Effects	Sources
Protons 0.1-1 MeV	surface damage to materials	primarily radiation belt particles
Protons 1-10 MeV	displacement damage in solar cells	radiation belts and <u>shock acceleration in space</u>
Protons >10 MeV	ionization and displacement damage and sensor background	radiation belts, <u>solar energetic particle and galactic cosmic rays</u>
Protons >30 MeV	damage to biological systems	same as above
Protons >50 MeV	single-event effects	same as above
Ions >10 MeV nucleon ⁻¹	single-event effects	<u>solar energetic particle and galactic cosmic rays</u>
GeV particles (ground level events)	single-event effects and hazards to humans in polar flights and deep space	same as above

Feynmann, J. & Gabriel, S.B., On space weather consequences and predictions, Journal of Geophysical Research, Volume 105, pp. 10543 (2000)

Event variability



Spectral shape is crucial to the radiation dose.

Proton spectra for 2 similar events:

- *speed: ~1800 km/s CMEs*
- *location: on the west limb.*

Behind 10 g/cm², these spectra produce:

0.05 rem/hour*

4 rem/hour*

Average Person	 	Radiation-Worker Limit	 	Astronaut Limit
<u>0.4 rem/year</u>		<u>5 rem/year,</u>		<u>50 rem/year</u>

Radiation Calculation for astronauts on the way to the moon.

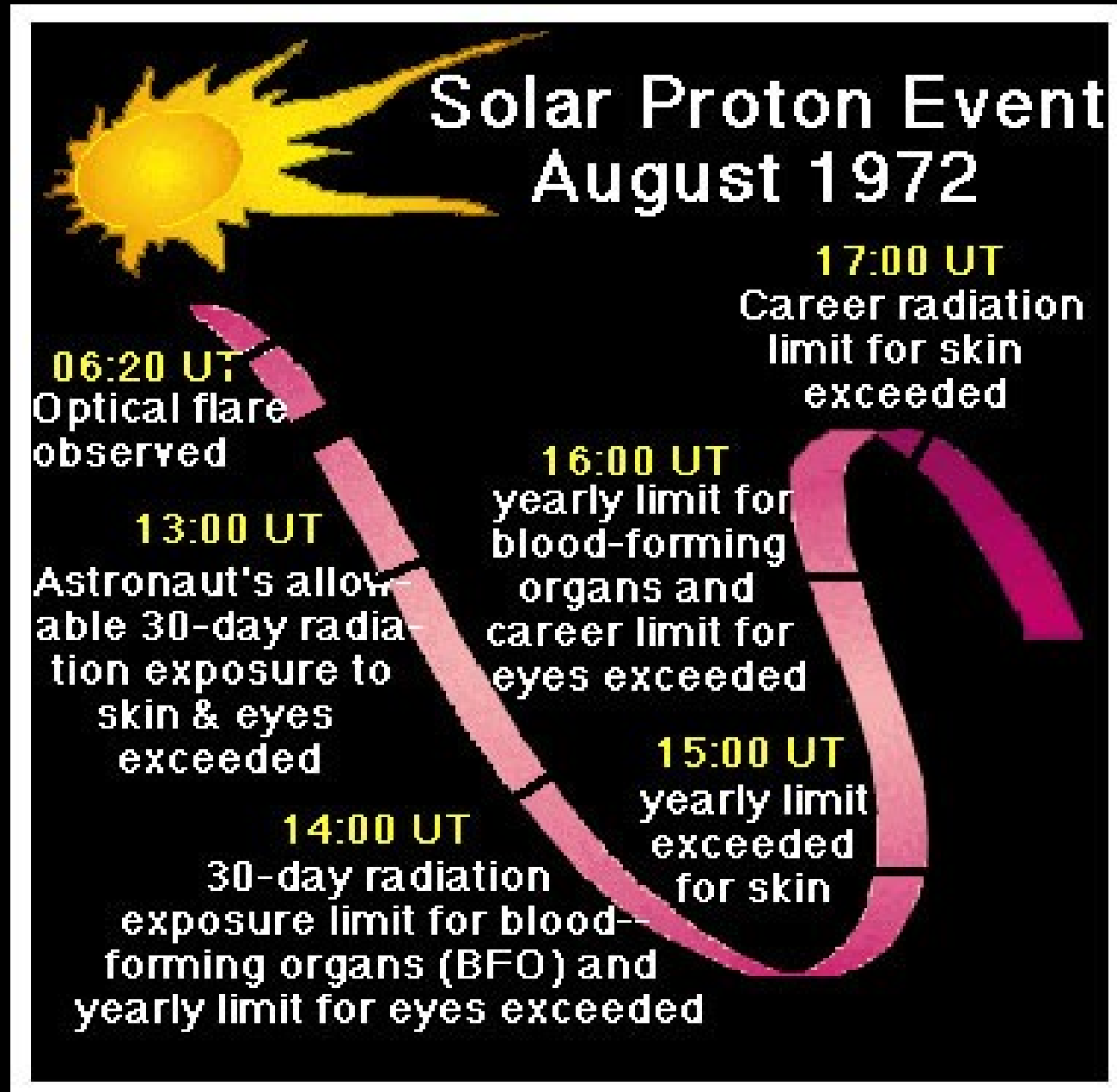


Image: Windows to the Universe, UCAR

Shock acceleration

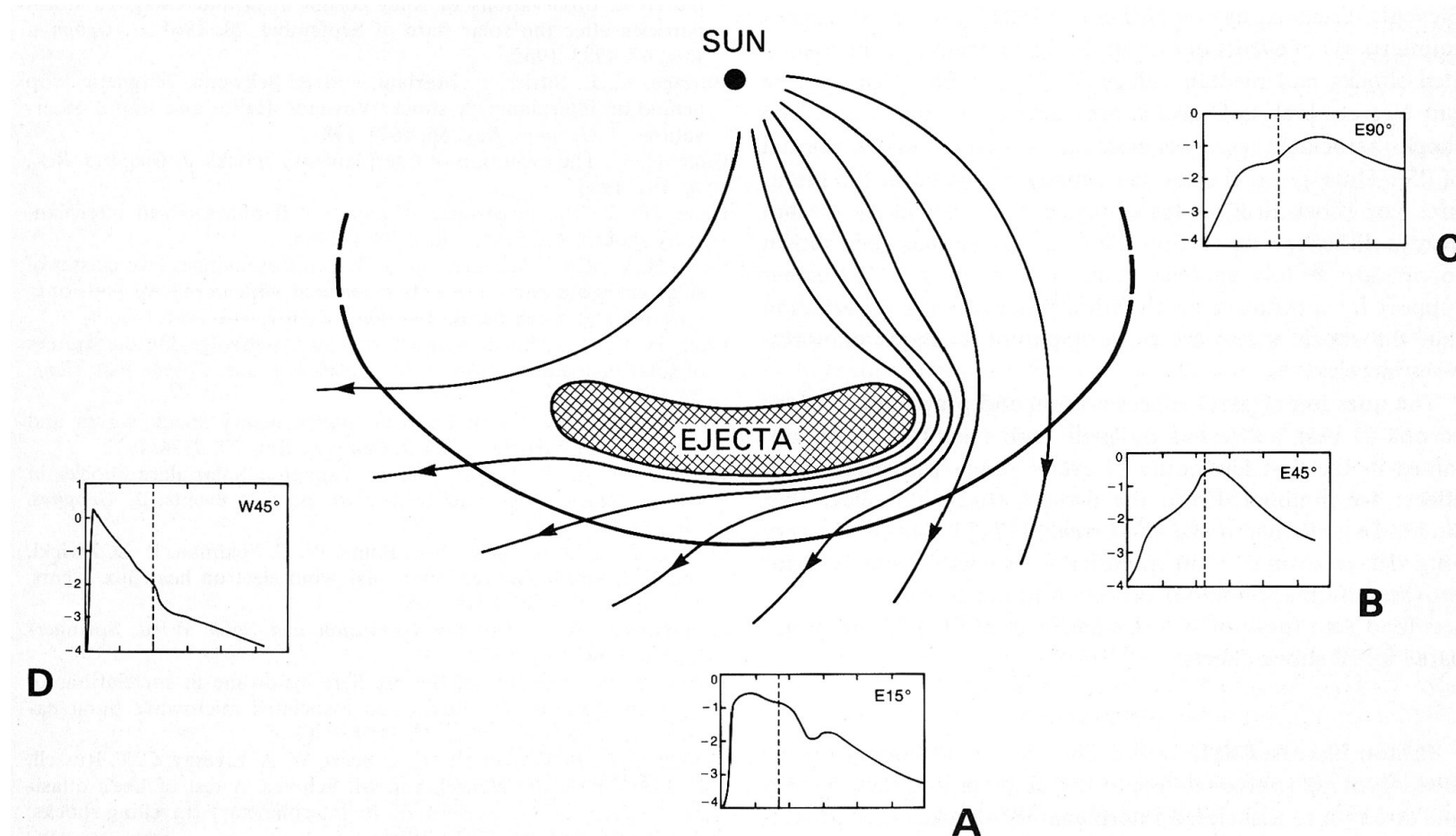
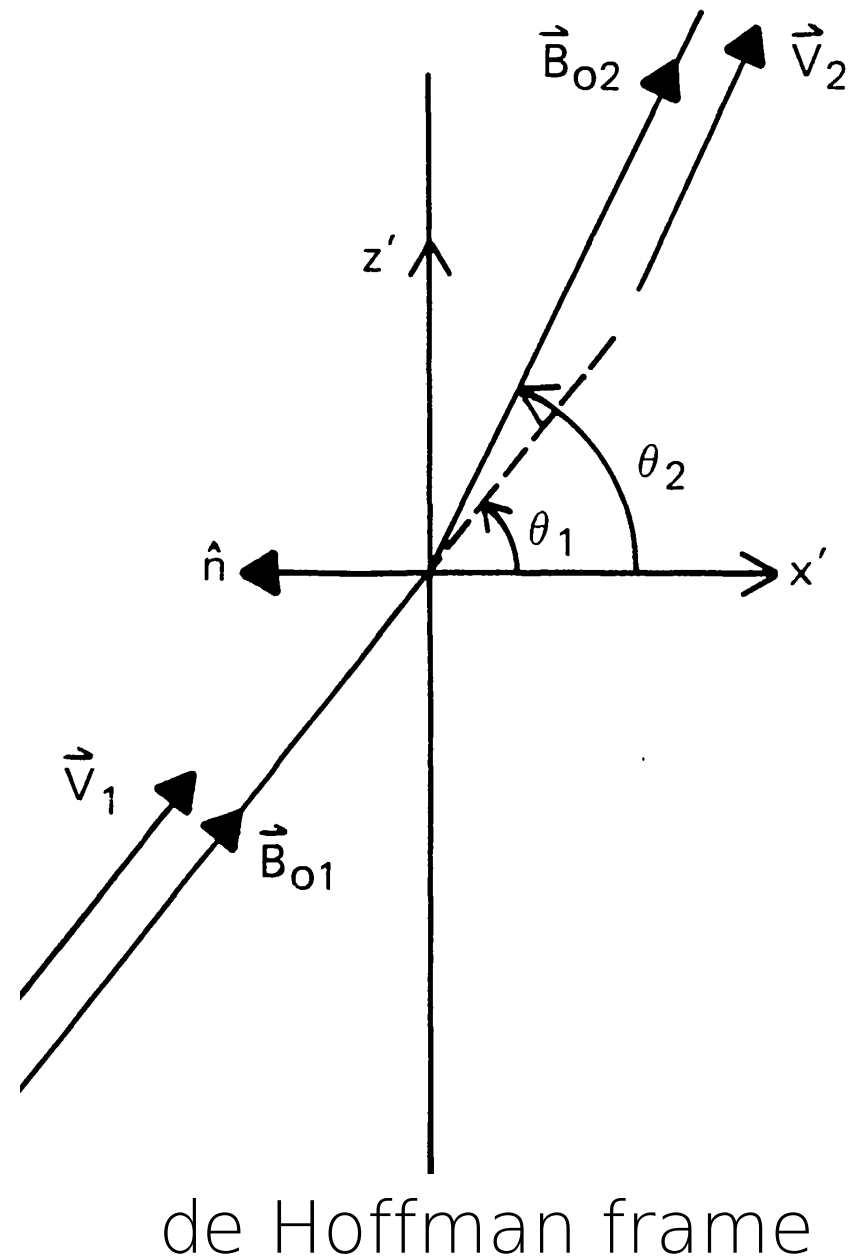
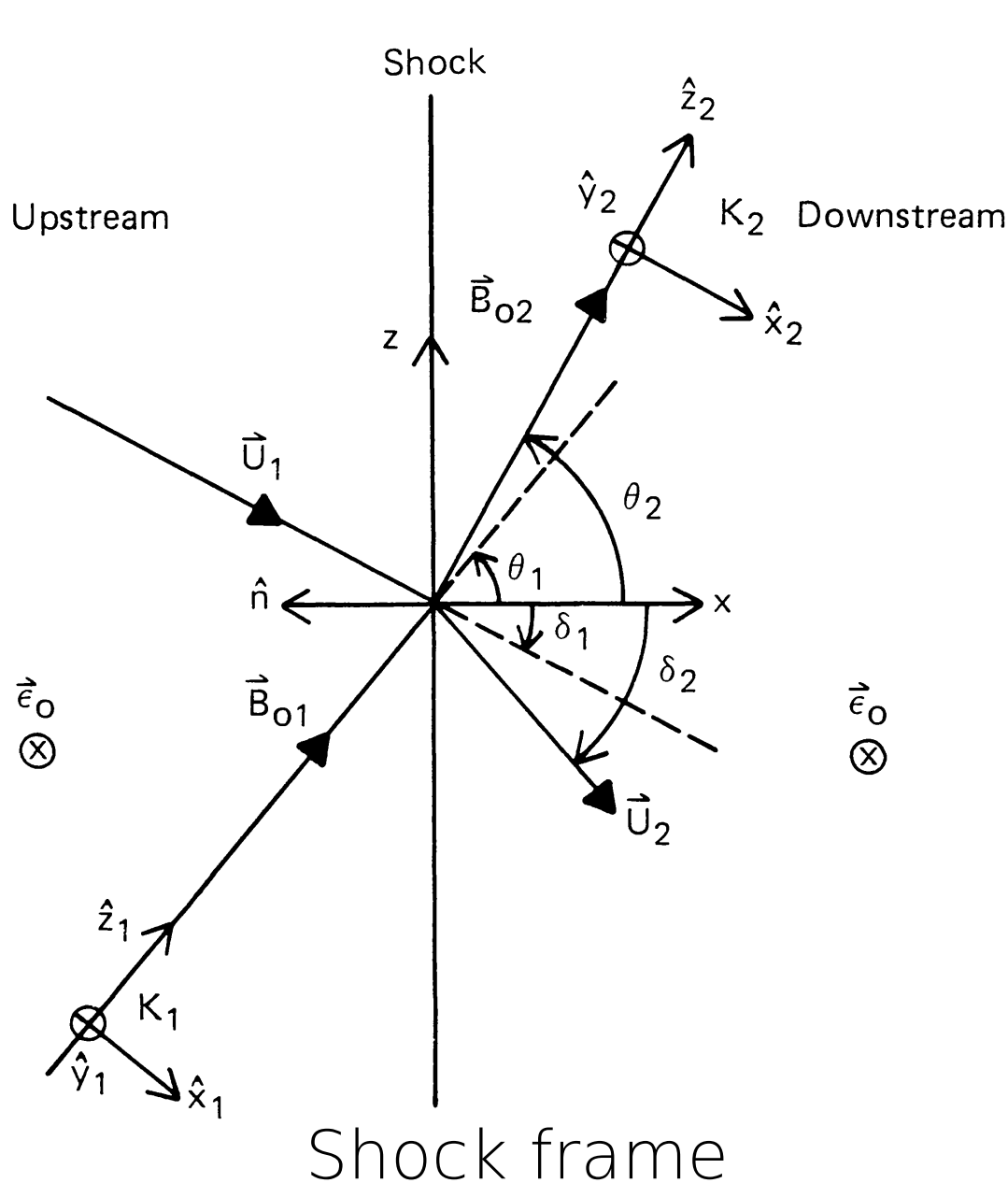


Fig. 15. The figure shows representative profiles of actual events at 20 MeV for different spacecraft trajectories through a shock. Note that for a very energetic shock the western flank would be more extensive than the picture presented here. See the text for a more detailed description of this figure.

Mathematical description of a shock



Rankine Hugoniot (MHD) Equations

Relating upstream parameters and downstream parameters

conservation laws

$$[\mathbf{B} \cdot \hat{\mathbf{n}}]_d^{up} = 0$$

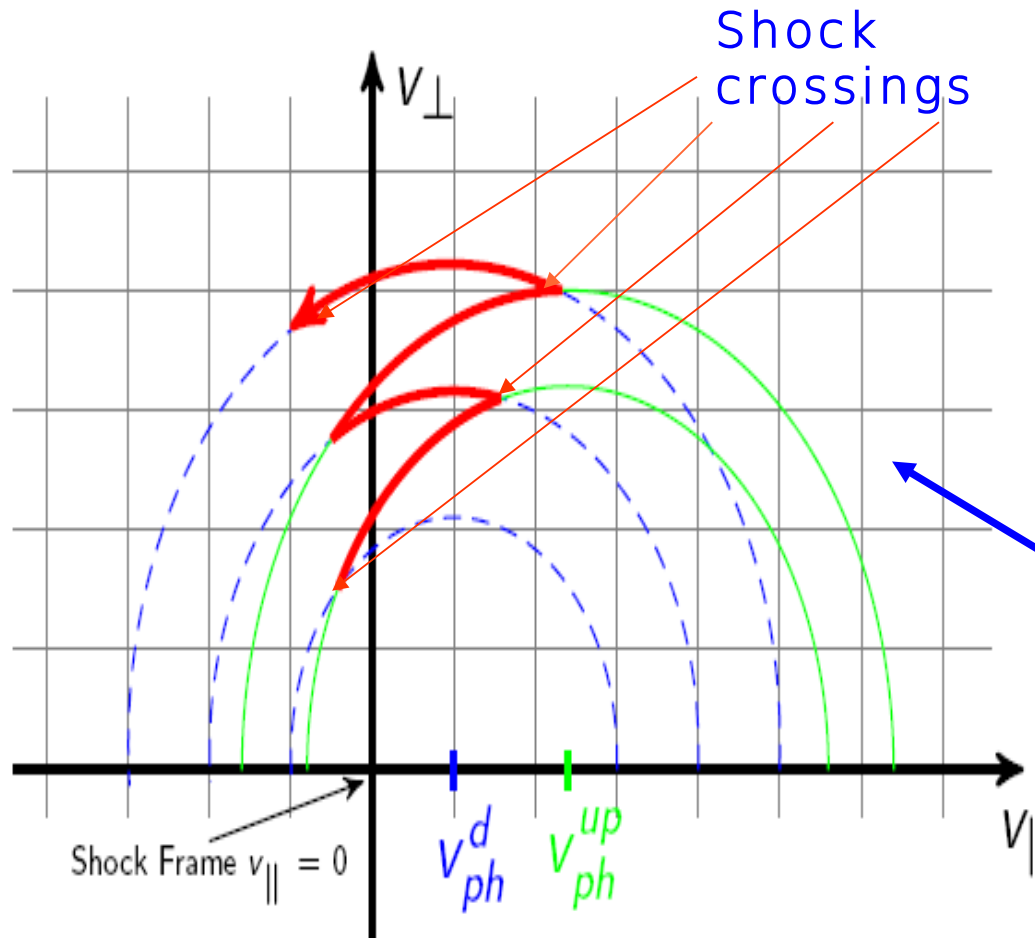
$$[\hat{\mathbf{n}} \times (\mathbf{u} \times \mathbf{B})]_d^{up} = 0$$

$$[\rho \mathbf{u} \cdot \hat{\mathbf{n}}]_d^{up} = 0$$

$$\left[\mathbf{u} \cdot \hat{\mathbf{n}} \left\{ \frac{\gamma}{\gamma - 1} P + \frac{1}{2} \rho u^2 + \frac{B^2}{4\pi} \right\} - \frac{(\mathbf{B} \cdot \hat{\mathbf{n}})(\mathbf{B} \mathbf{u})}{4\pi} \right]_d^{up} = 0$$

$$[\rho \mathbf{u}(\mathbf{u} \cdot \hat{\mathbf{n}}) + (P + B^2/8\pi)\hat{\mathbf{n}} - (\mathbf{B} \cdot \hat{\mathbf{n}})\mathbf{B}/4\pi]_d^{up} = 0$$

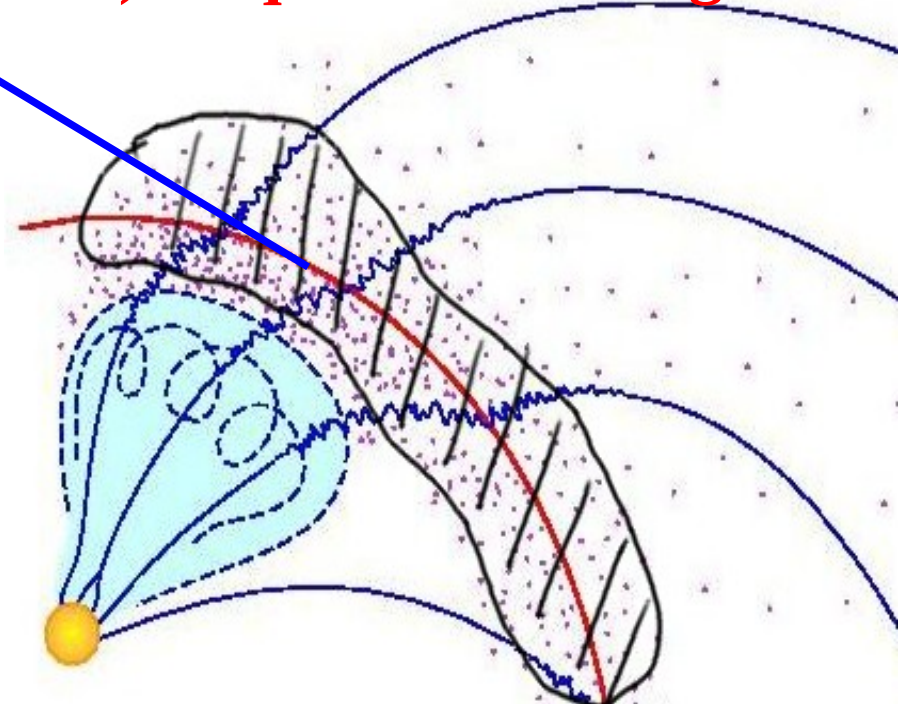
Diffusive shock acceleration 101-- the picturesque approach



Sugiyama & Terasawa, 1999

**Clearly, an efficient acceleration
Requires:**

- 1) an large enough initial speed**
- 2) frequent scattering**



Diffusive Shock acceleration 102-- the standard theory

Parker's transport equation

$$\frac{\partial f}{\partial t} = \underbrace{-V_{w,i} \frac{\partial f}{\partial x_i}}_{\text{advection}} + \underbrace{\frac{\partial}{\partial x_i} \kappa_{ij} \frac{\partial f}{\partial x_j}}_{\text{diffusion}} - \underbrace{V_{D,i} \frac{\partial f}{\partial x_i}}_{\text{drift}} + \underbrace{\frac{1}{3} \frac{\partial V_{w,i}}{\partial x_i} \frac{\partial f}{\partial \ln p}}_{\text{energy change}} + Q$$

Effect of turbulence on particle

Steady state solution:

$$f(p) \sim p^{-3s/s-1}$$

In conservation form:

$$\frac{\partial f}{\partial t} + \nabla \cdot \mathbf{S} + \frac{1}{p^2} \frac{\partial}{\partial p} (p^2 J) = 0$$

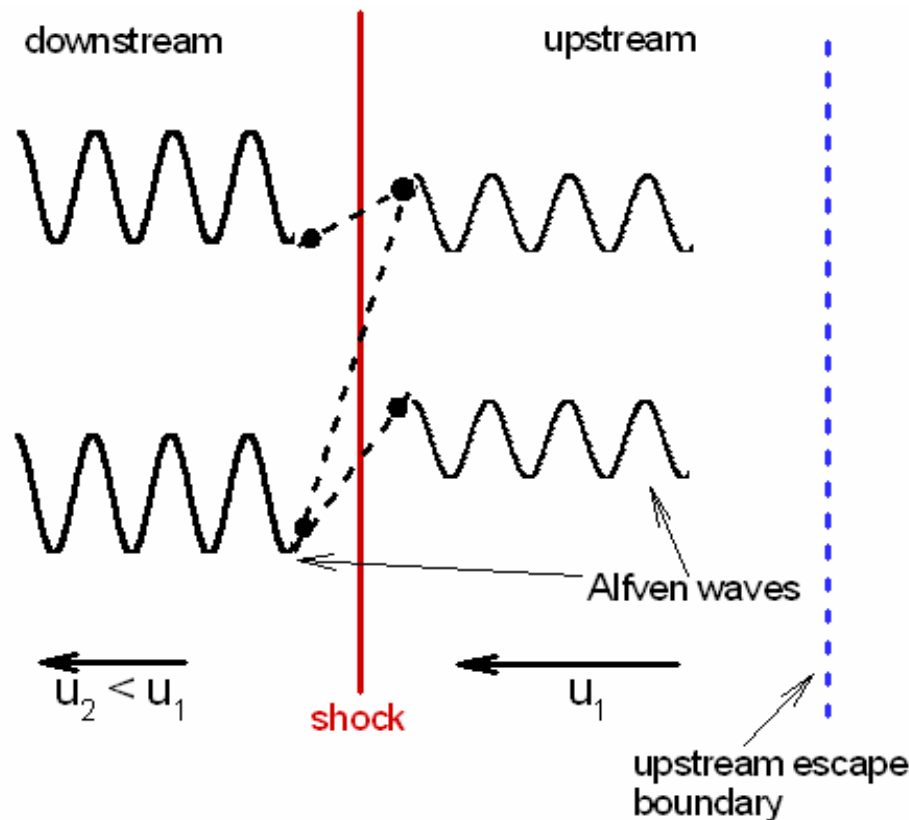
$$\mathbf{S} = -\frac{p}{3} \mathbf{u} \frac{\partial f}{\partial p} - \kappa \nabla f$$

$$J = \frac{p}{3} \mathbf{u} \cdot \nabla f$$

How to increase the scattering rate, or,
get a smaller κ ?

Note, smaller κ lead to higher
energy

Wave amplification at a parallel shock



$$\frac{\partial A}{\partial t} + u \frac{\partial A}{\partial r} = \Gamma A - \gamma A,$$

$$\frac{\partial f}{\partial t} + u \frac{\partial f}{\partial r} - \frac{p}{3} \frac{\partial u}{\partial r} \frac{\partial f}{\partial p} = \frac{\partial}{\partial r} \left(\kappa \frac{\partial f}{\partial r} \right),$$

$$\kappa(p) = \frac{\kappa_0}{A(k)} \frac{B_0}{B} \frac{(p/p_0)^2}{\sqrt{(m_p c/p_0)^2 + (p/p_0)^2}},$$

$$I_+(|k| < \gamma m |\Omega|/p_0) = \frac{q|\Omega|NV_A p_0^{q-3} \cos \psi}{4(q-4)(q-2)V^{r2}} \frac{1}{k^2} \left| \frac{\gamma m \Omega}{k} \right|^{4-q} + I_+^o(k)$$

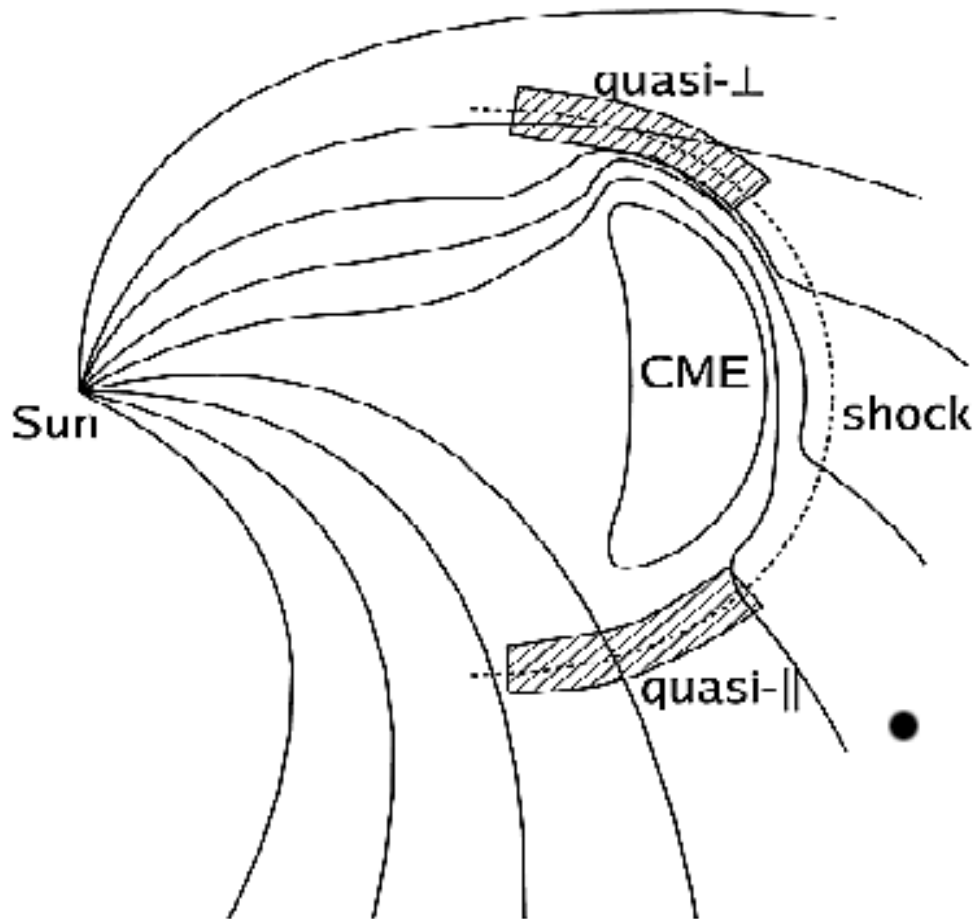
Doppler condition: $k \approx \gamma m \Omega |\mu|/\mu_p, \quad \Omega = (Q/A)cB/\gamma m_p$

Complication from geometry

The total diffusion coefficient is given by,

$$\kappa = \kappa_{\parallel} \cos^2(\theta) + \kappa_{\perp} \sin^2(\theta)$$

At a quasi-perp. shock, Alfvén wave intensity goes to zero, so contribution of $\kappa_{\parallel} \cos(\theta)$ can be ignored. The major contribution comes from κ_{\perp} .



Need a good theory of κ_{\perp}

κ_{\perp} – the Non-Linear-Guiding-Center (NLGC) theory

Hard sphere model: $\kappa_{\perp} = \kappa_{\parallel} / [1 + (\lambda_{\parallel} / r_l)^2]$ Jokippi 1987

Non-Linear-Guiding-center Theory:

$$\kappa_{\perp} = \frac{a^2 v^2}{3B^2} \int_0^{\infty} \frac{S_{\perp}(\mathbf{k}) d^3 \mathbf{k}}{v / \lambda_{\parallel} + k_{\perp}^2 \kappa_{\perp} + k_{\parallel}^2 \kappa_{\parallel}}$$

Non-linear in kappa_perp

Matthaeus et al 2003

Beyond steady state solution – Acceleration time scale

Shock dynamic time scale: the time scale during which the shock parameters do not vary significantly.

$$t_{dyn} = \min\left\{\frac{R(t)}{dR(t)/dt}, \frac{B(t)}{dB(t)/dt}, \frac{n(t)}{dn(t)/dt}\right\},$$

Shock acceleration time scale: the time scale during which the particle's momentum $p \rightarrow p + dp$

$$\Delta t = \frac{3s}{s-1} \frac{\kappa(p)}{u_{sh}^2} \frac{\Delta p}{p}$$

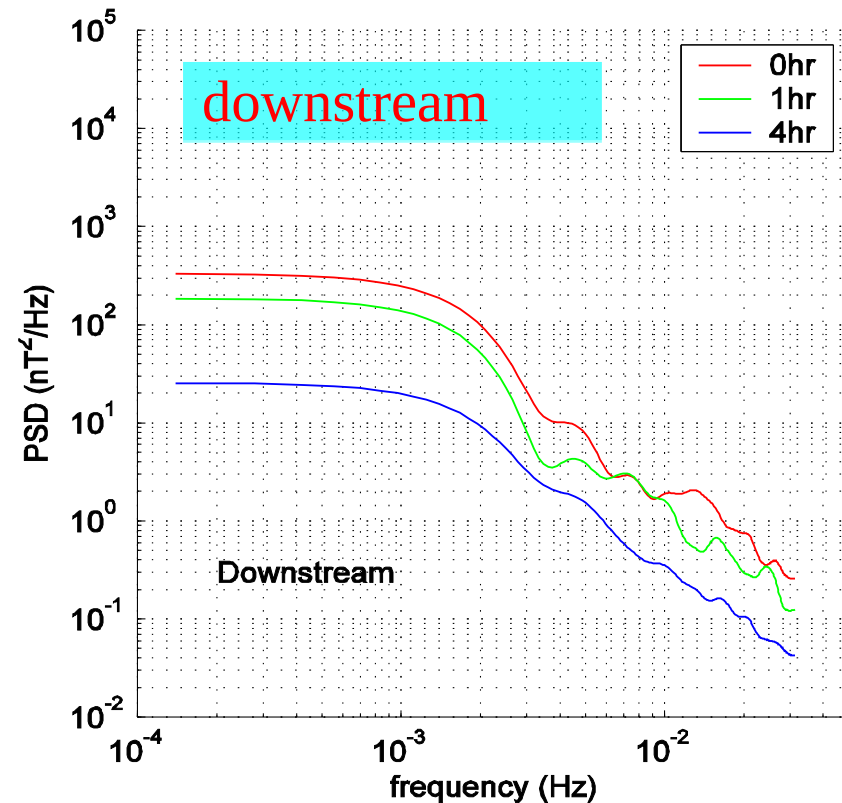
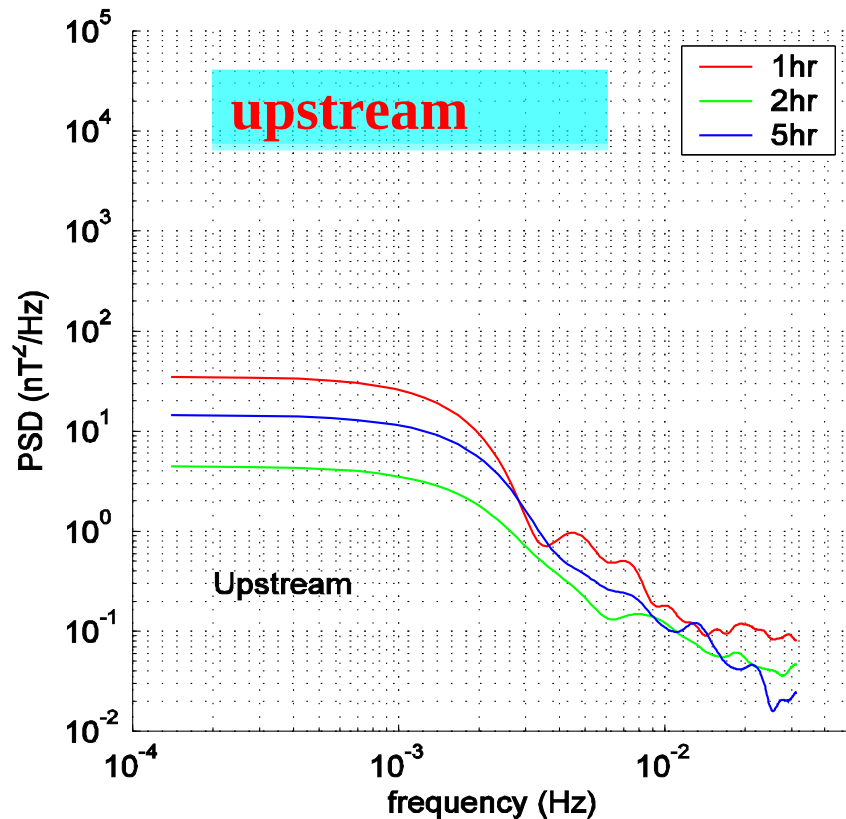
the highest energy is decided by equating these two time scales:

$$t_{dyn} = \int_{p_1}^{p_{max}} \beta \frac{\kappa}{u_{sh}^2} \frac{1}{p} dp.$$

Axford (1981), Drury (1983)

Decrease of κ from observation at a quasi-parallel shock

10/28/2003 event



- Streaming particles can enhance the interplanetary turbulence (upstream).
- The turbulence will further increase when cross the shock front.

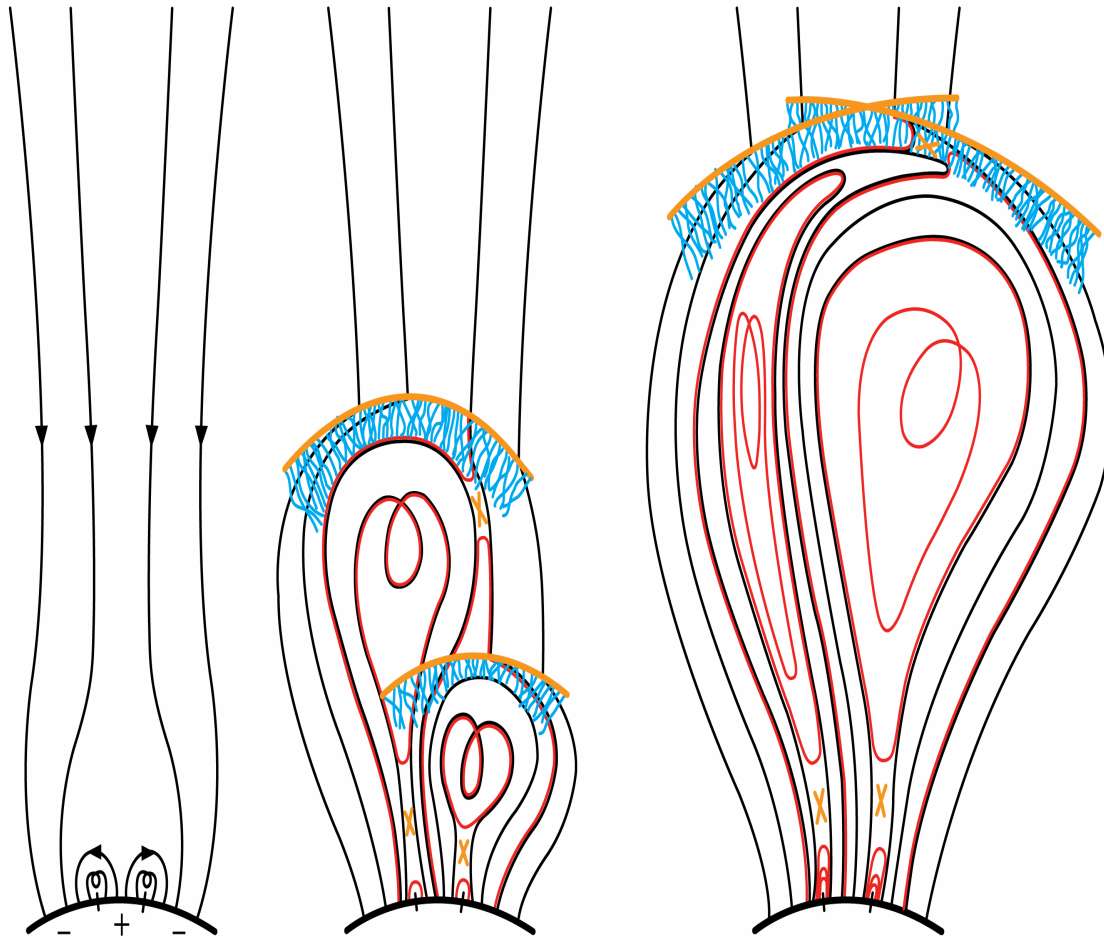
Puzzling facts

Despite the elegant theory of the diffusive shock acceleration mechanism, **only a small portion of Fast shocks can lead to large SEP events!**

In “normal” conditions, **the seed population and the turbulence level** are not sufficient to lead to very high energies.

Are there some fortuitous conditions for large or, extreme SEP events?

A twin-CME scenario for large SEP event?



Li et al. 2011, 2012

Twin-CME scenario for GLE:

All 16 GLEs in solar cycle 23 have twin CMEs from the same AR with 9 hours.

Note: Simply going through two shocks does NOT increase the maximum energy and particle intensity by much

Role of the preceding CME:

- 1) strong turbulence
- 2) seed population

A decrease of κ by 10 --> an increase of 32 for the maximum kinetic energy.

Besides Energy --- Composition

TABLE 1
PROPERTIES OF THE GLE EVENTS IN SOLAR CYCLE 23

date	Flare Longitude	delay (hrs) ^a	Ne/O	Mg/O	Si/O	Fe/O	(Mg+Si+Fe)/O	γ ^b
2001.4.18	120	–	0.17	0.293	0.188	0.16	0.643	2.43
2006.12.13	23	–	0.205	0.210	0.20	0.778	1.188	2.71
1997.11.6	63	16.2	0.26	0.202	0.169	0.650	1.021	2.44
1998.5.2	15	8.6	0.33	0.298	0.203	0.636	1.136	2.7
1998.5.6	65	8.4	0.32	0.249	0.157	0.502	0.909	2.89
2000.7.14	7	14.4	0.16	0.219	0.149	0.09	0.461	3.78
2001.4.15	85	20.2	0.18	0.231	0.196	0.42	0.849	2.09
2002.8.24	81	12	0.15	0.208	0.138	0.19	0.534	2.9
2003.10.28	-8	0.6	0.11	0.201	0.164	0.04	0.406	4.36
2003.10.29	2	10.6	0.24	0.241	0.172	0.14	0.548	3.15
2003.11.2	56	18.4	0.13	0.193	0.119	0.04	0.351	3.44
2005.1.17	25	0.6	0.18	0.185	0.114	0.04	0.340	3.14
2005.1.20	61	22.5	0.23	0.231	0.1620	0.17	0.568	2.14
slow SW	–	–	0.10 ± 0.03	0.15 ± 0.03	0.15 ± 0.03	0.11 ± 0.03	–	–

^athese delays are from [1], [6] and SOHO/LASCO CME catalog.

^badapted from [5], γ values are for protons ≥ 40 MeV.

On average, there are enrichments in Ne/O, Fe/O, $^{22}\text{Ne}/^{20}\text{Ne}$, and elevated mean charge states of Fe from normal SEP events.

How about “normal” large SEP events?

Large event: 10 pfu at > 10 MeV GOES channel

- a) Do large SEP events have preceding CMEs
- b) Are there fast single CMEs that lead to large SEP events?
- c) Do twin CMEs always lead to large SEP events?

Event classification

Four groups of CMEs:

Group I: fast CME with a preceding CME \Rightarrow large SEP.

Group II: fast CME w/o a preceding CME \Rightarrow large SEP.

Group III: fast CME with a preceding CME \Rightarrow no large SEP.

Group IV: fast CME w/o preceding CME \Rightarrow no large SEP.

Consider only CMEs faster than 900 km/s and have source region in the western hemisphere

Event classification

Four groups of CMEs:

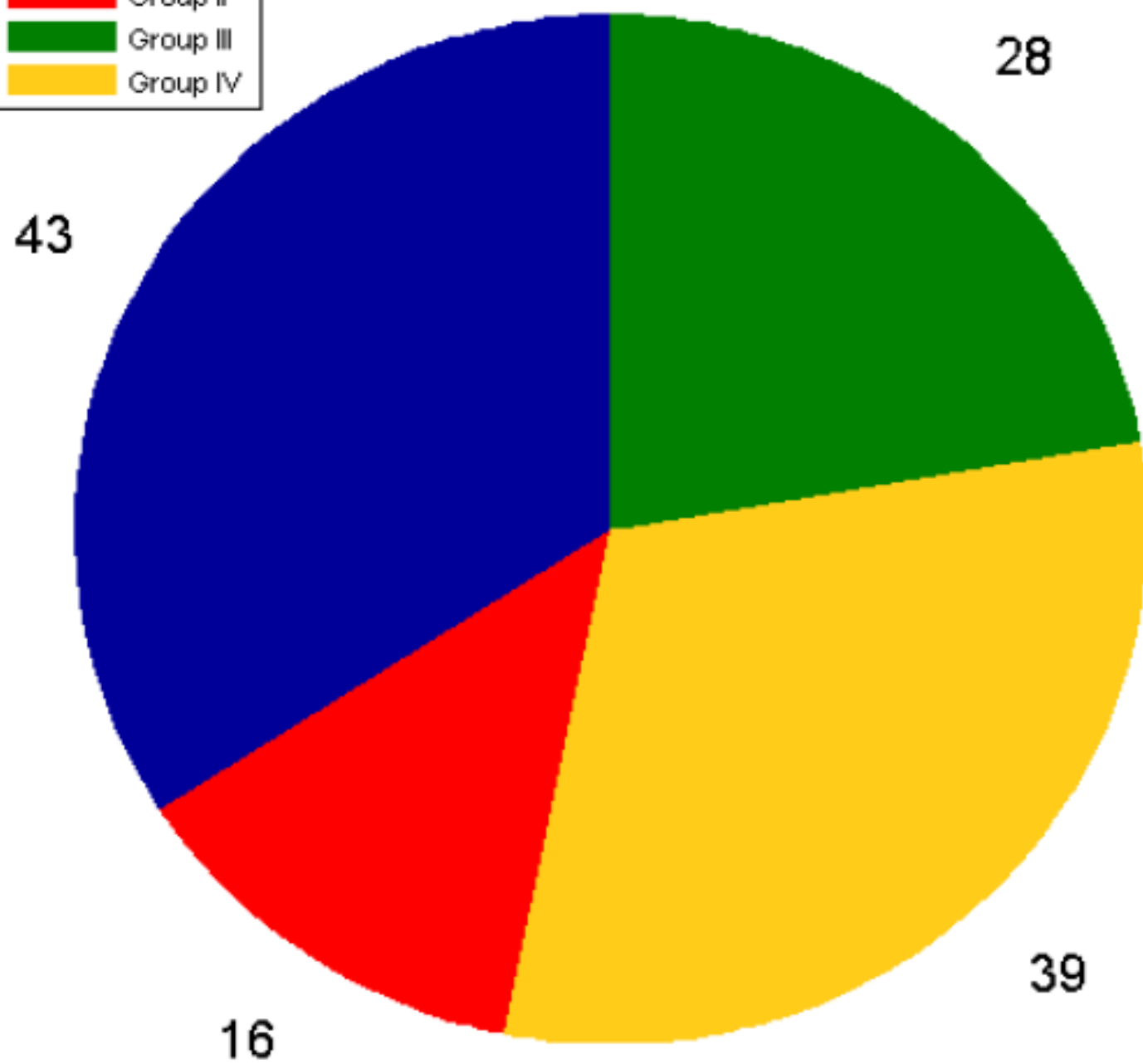
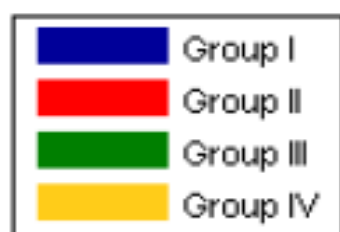
Group I: fast CME with a preceding CME \Rightarrow large SEP.

Group II: fast CME w/o a preceding CME \Rightarrow large SEP.

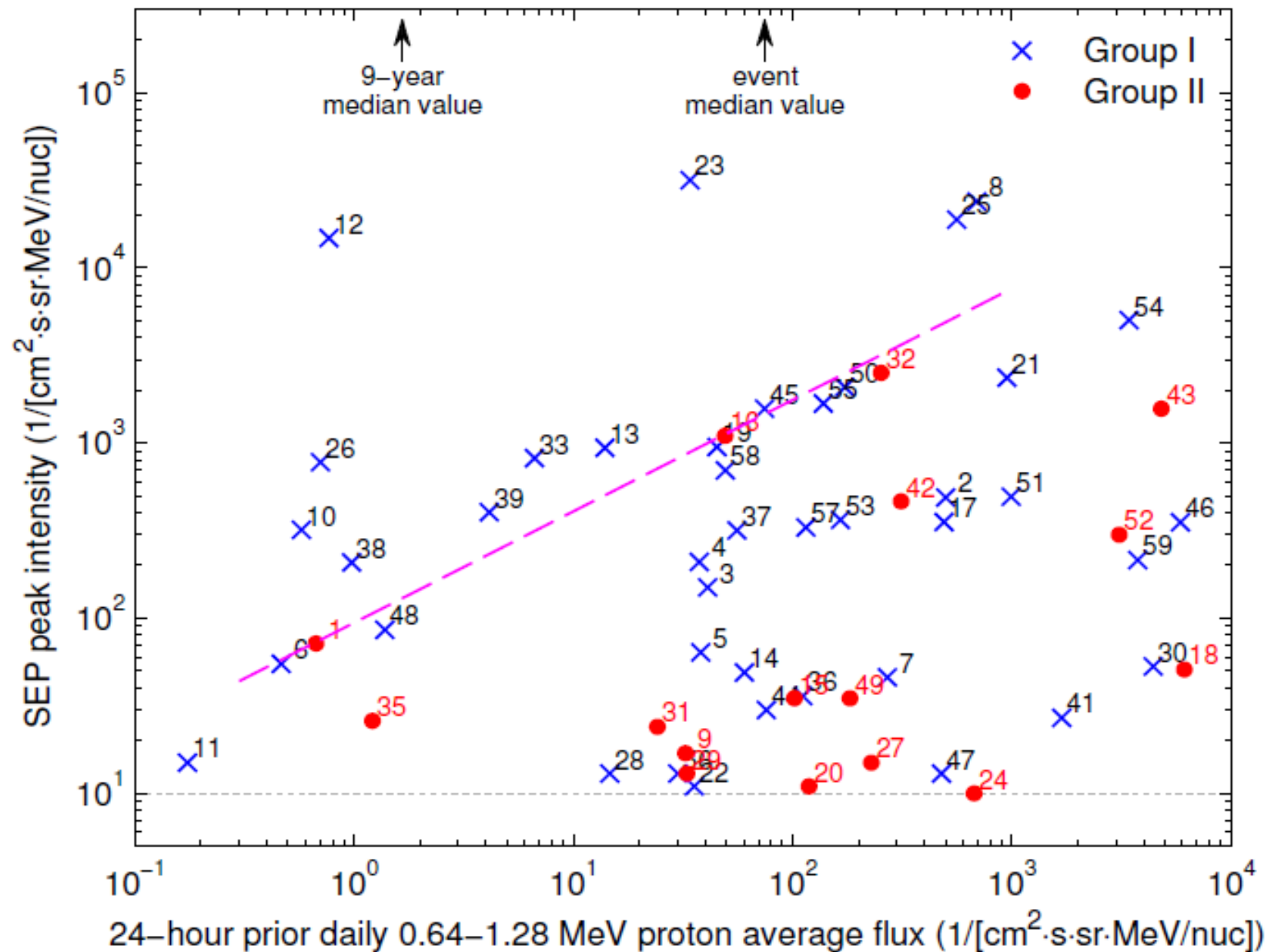
Group III: fast CME with a preceding CME \Rightarrow no large SEP.

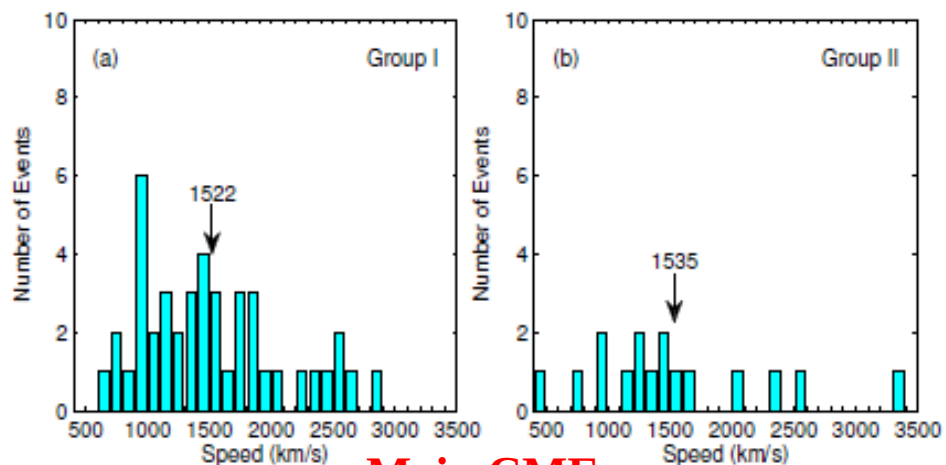
Group IV: fast CME w/o preceding CME \Rightarrow no large SEP.

Consider only CMEs faster than 900 km/s and have source region in the western hemisphere

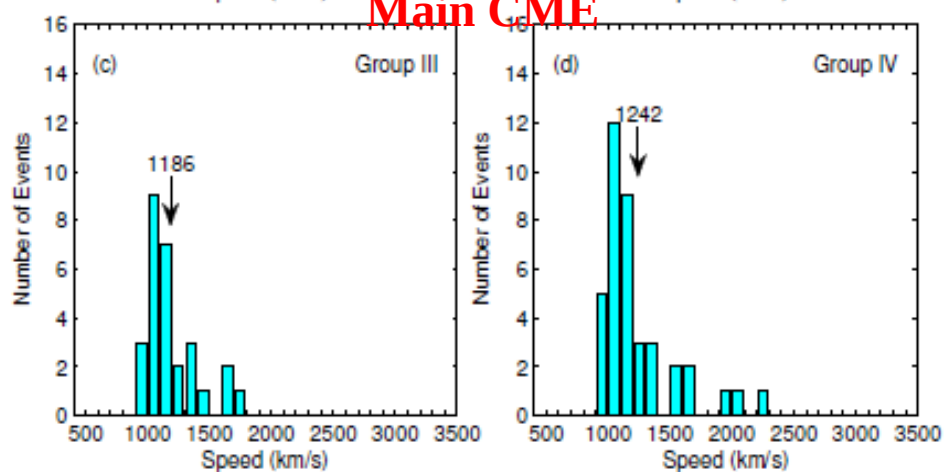


Importance of seed population

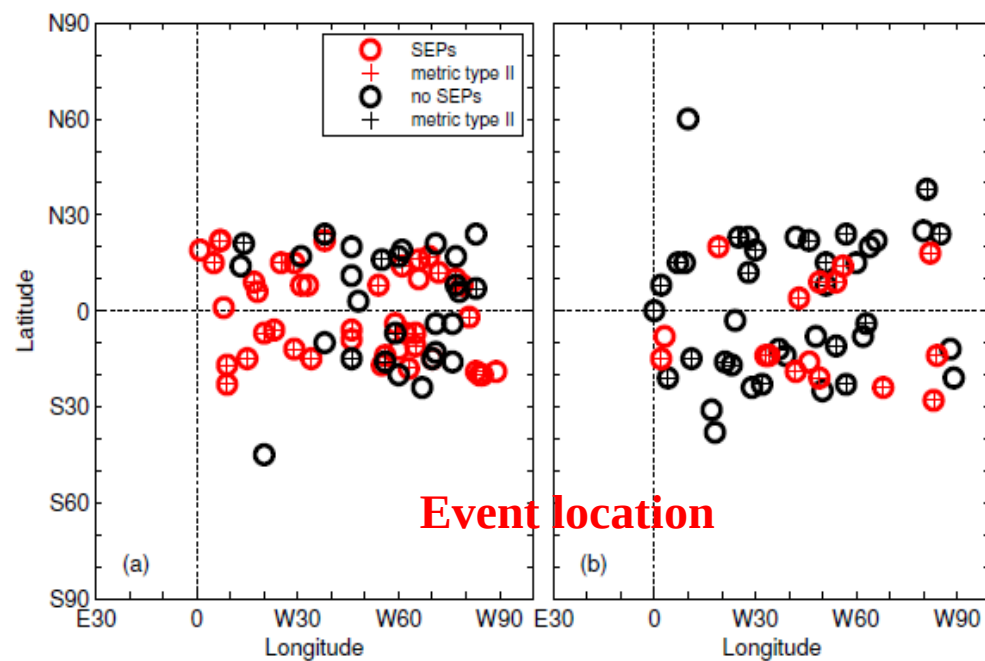
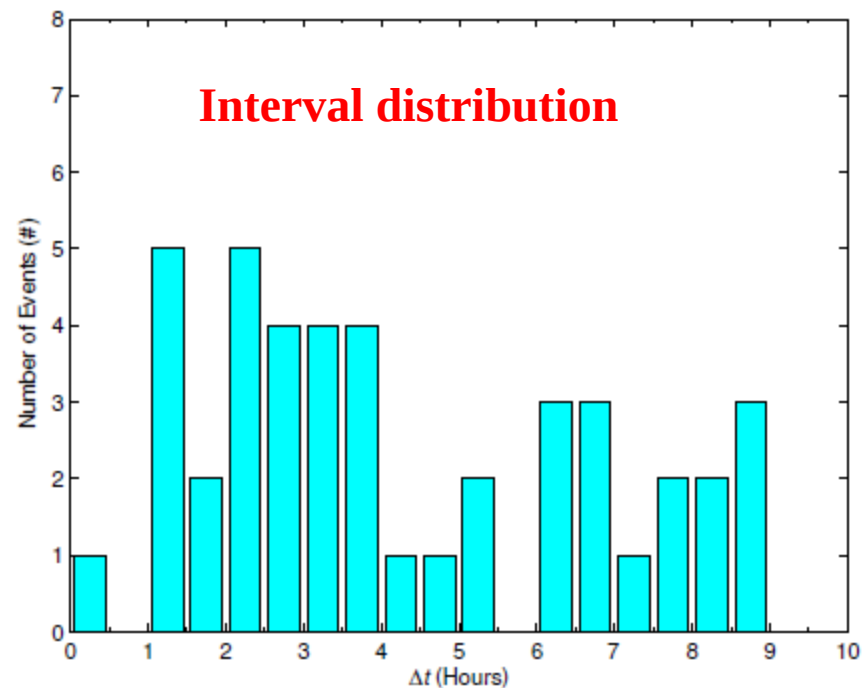
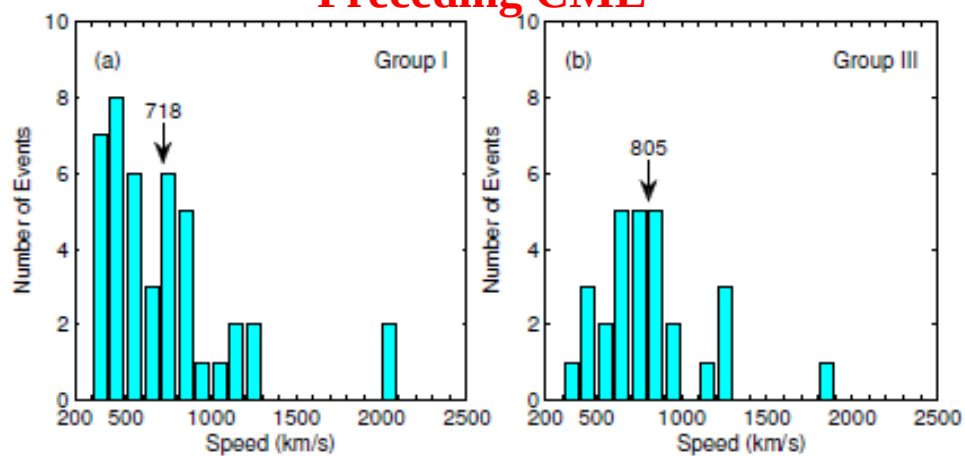




Main CME



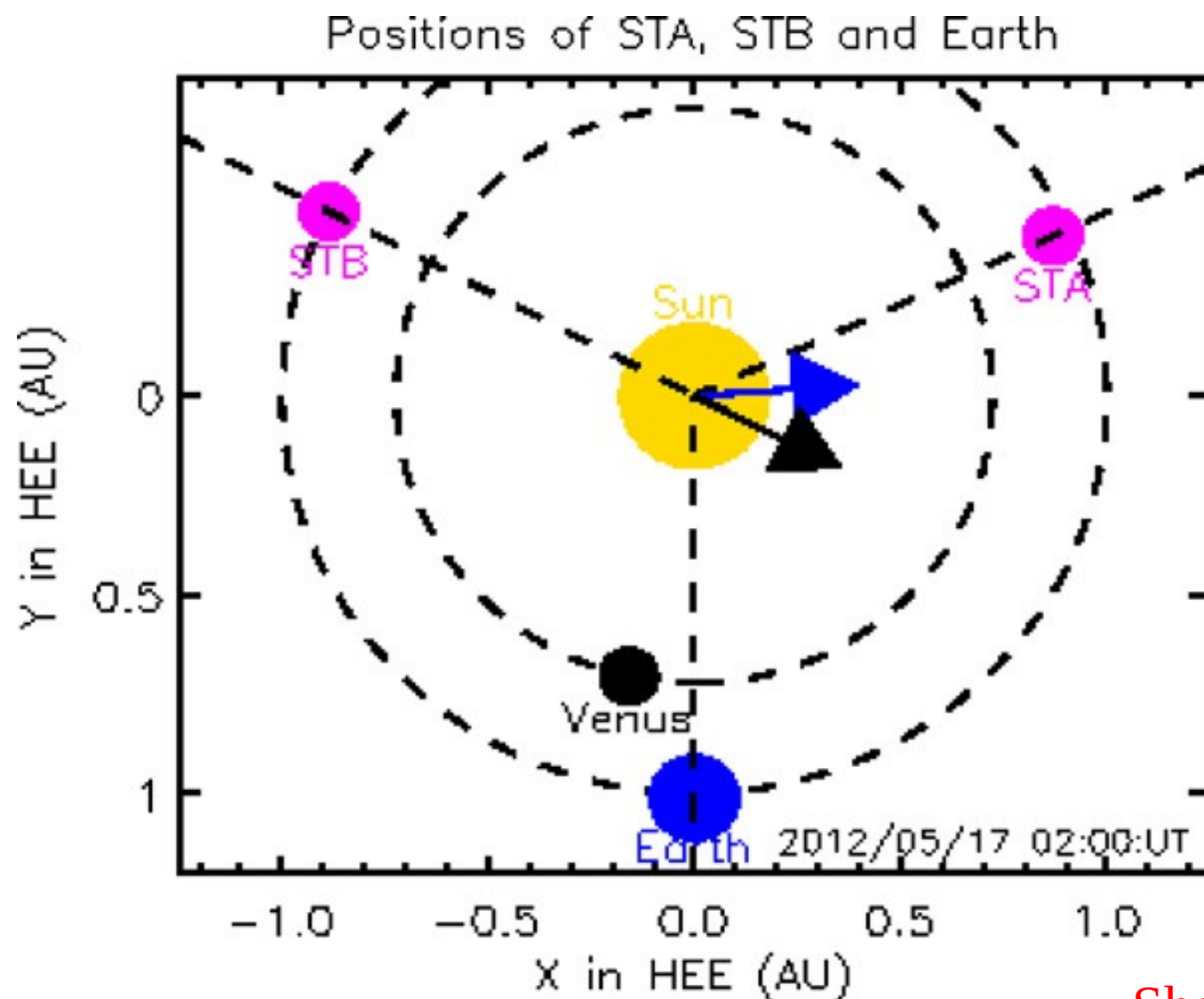
Preceding CME



A special subset of twin-CMEs

**homologous sympathetic eruptions
leading to converging shocks**

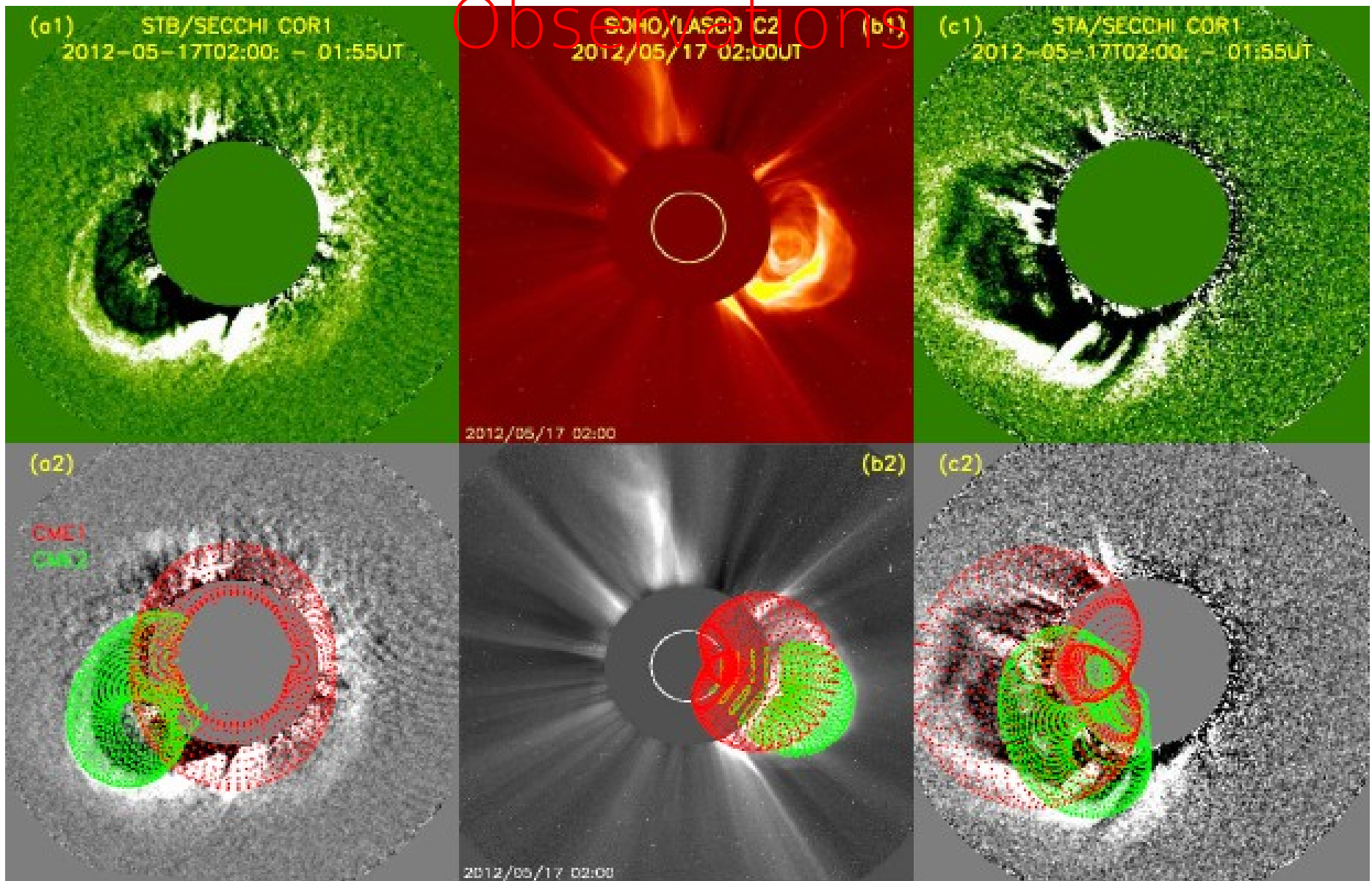
the May 17 2012 GLE event



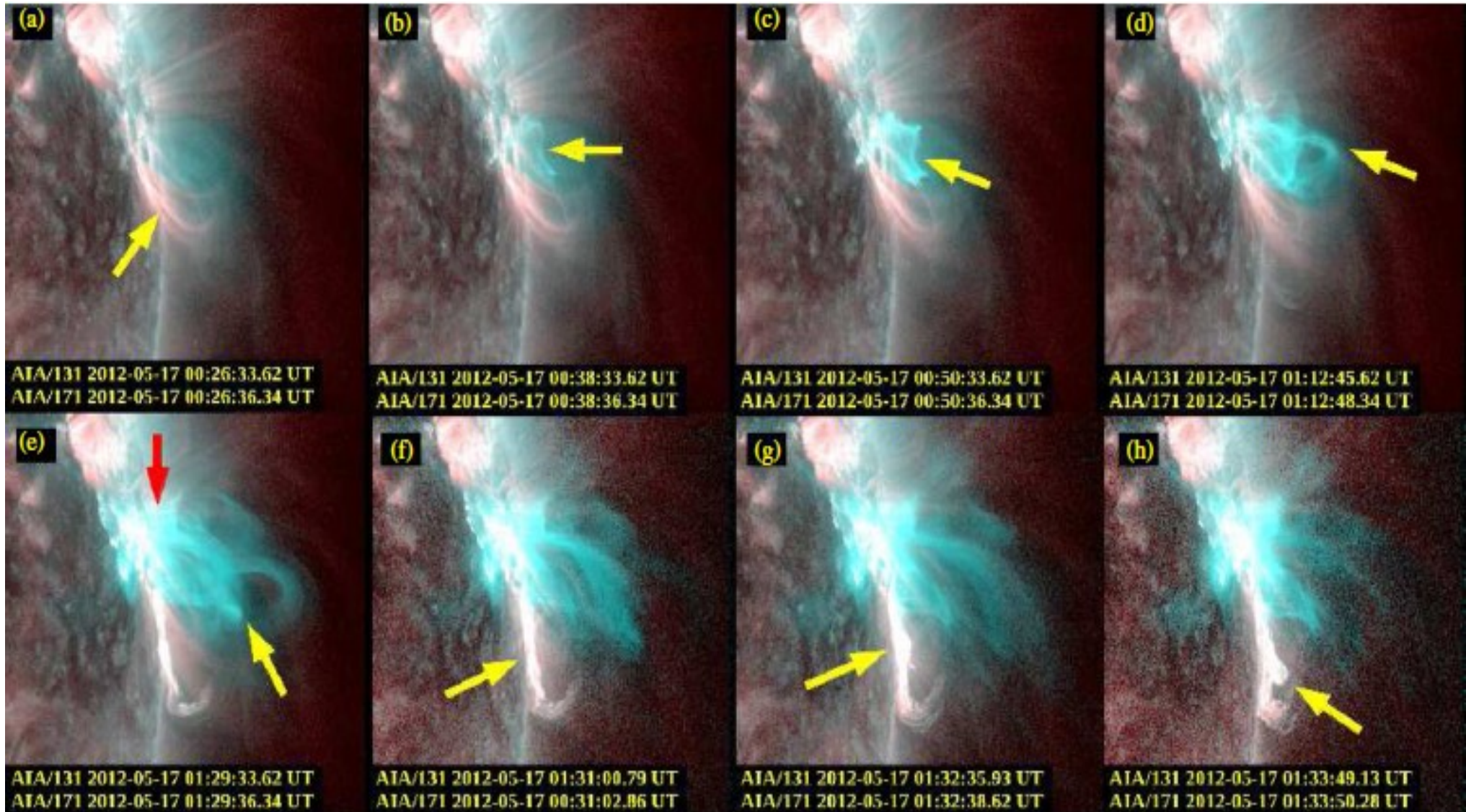
Shen et al. (2013)

STEREO and SOHO

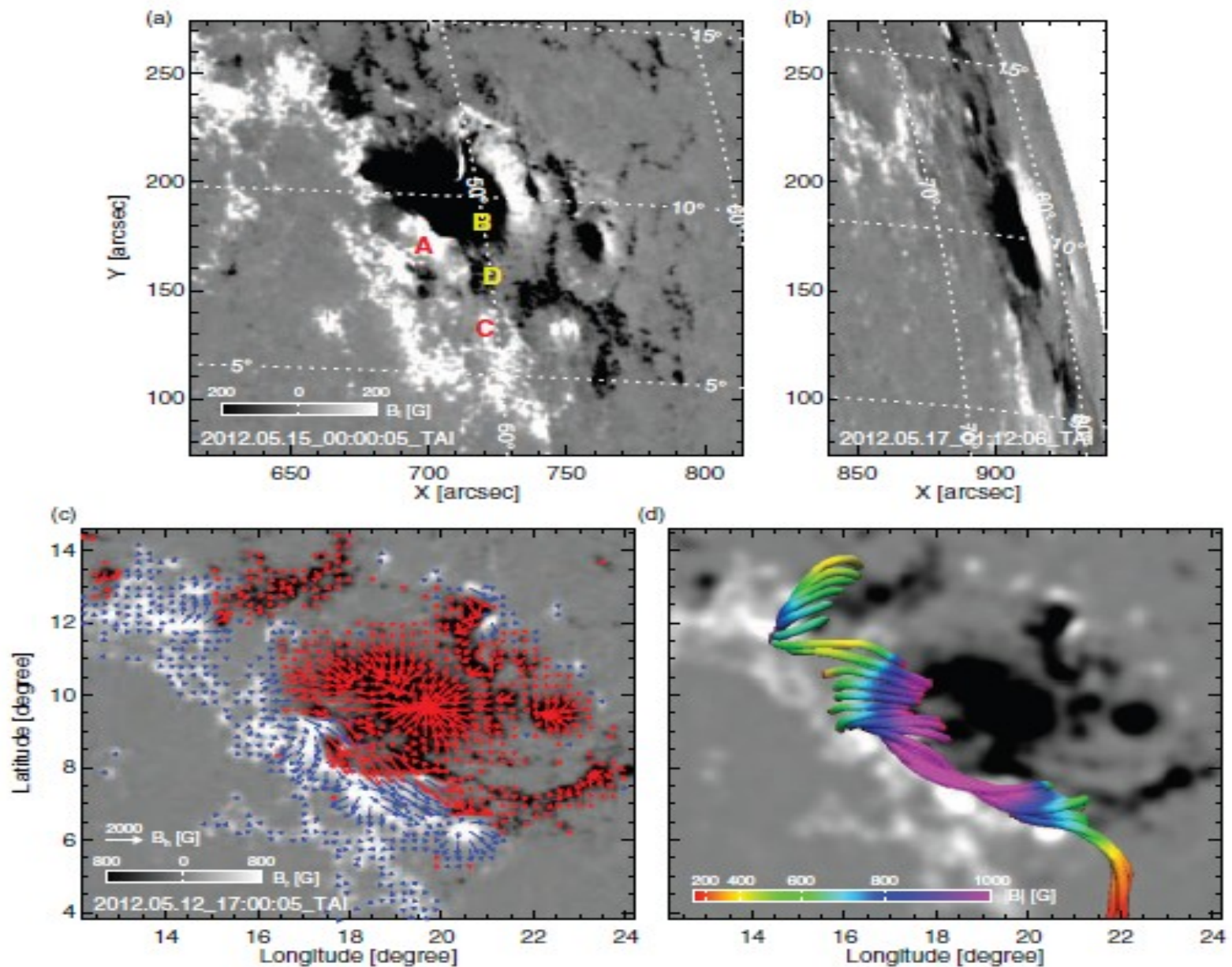
Observations



SDO/AIA observations



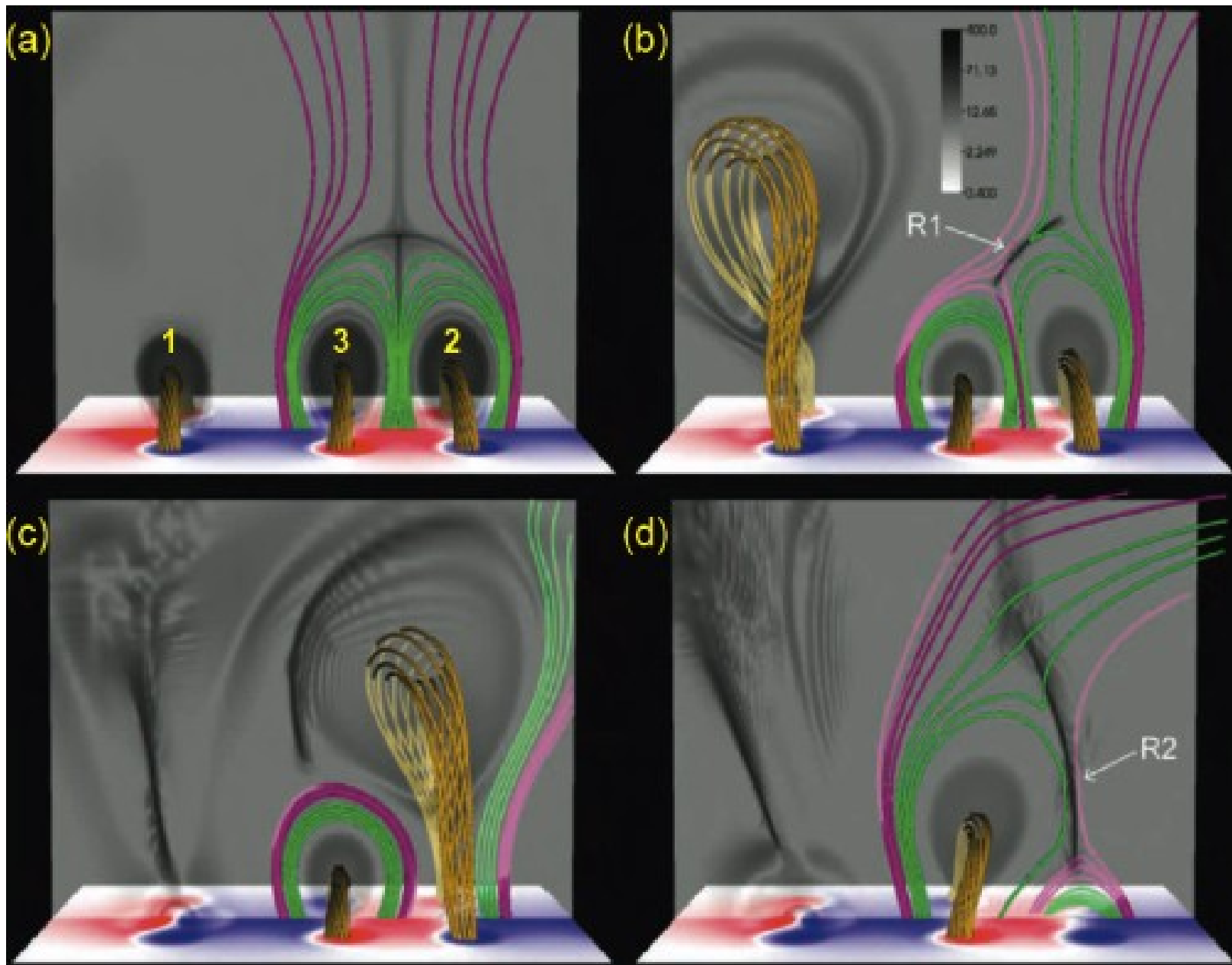
Pre-event magnetic field reconstruction



Emerging clues

- 1. a complicated non-bipolar background coronal field;**
- 2. a curved NIL that seems to have two segments;**
- 3. two sets of flux loops in non-parallel configuration residing above the two segments of NILs;**
- 4. a pre-existing flux rope at the first segment prior to the eruption.**

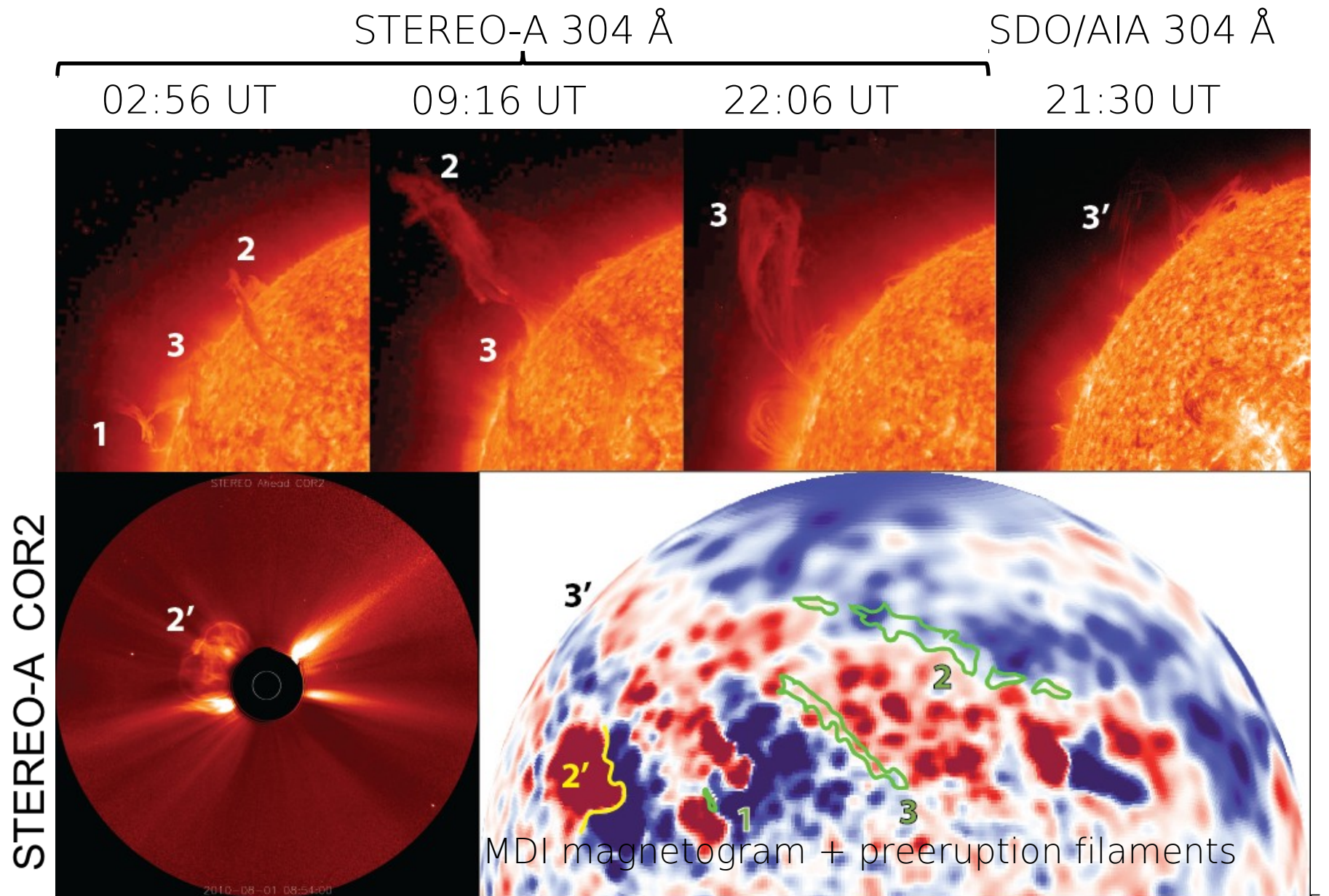
Twin CMEs in sympathetic eruption



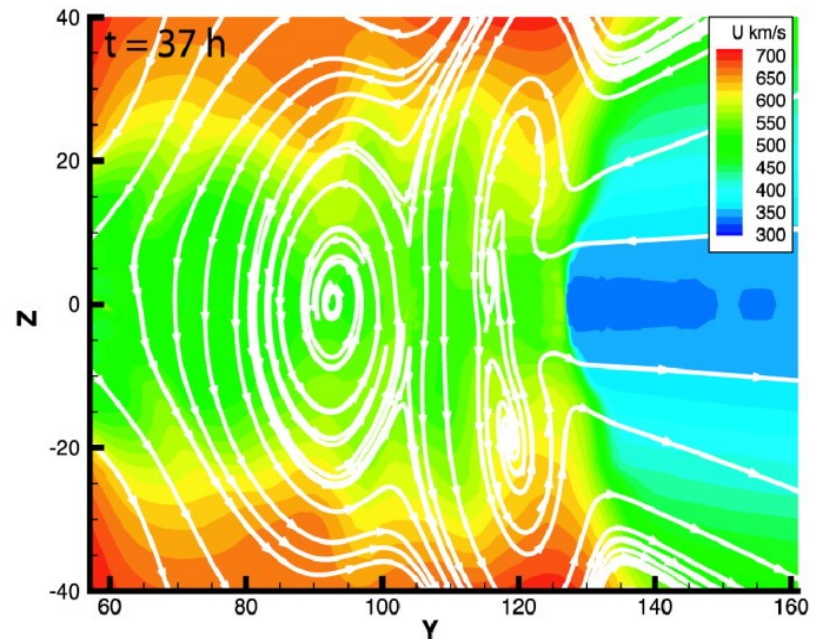
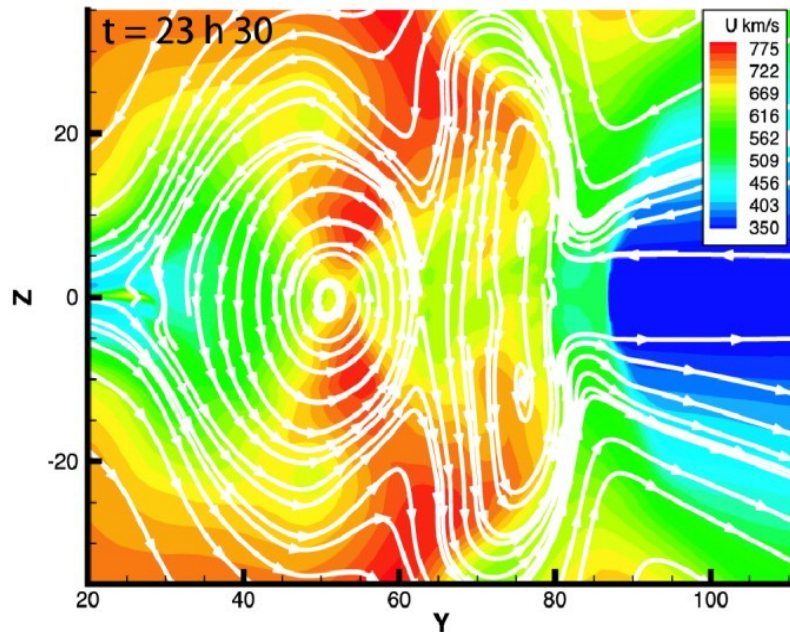
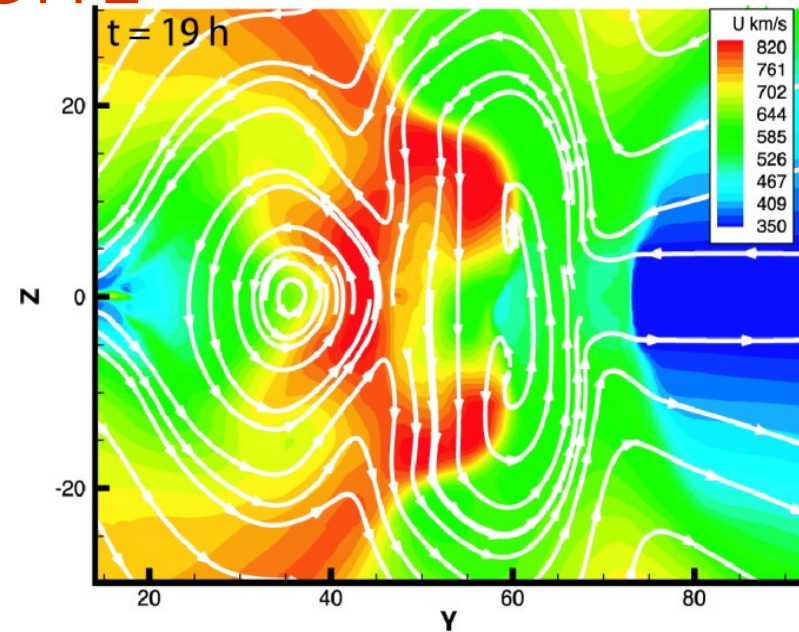
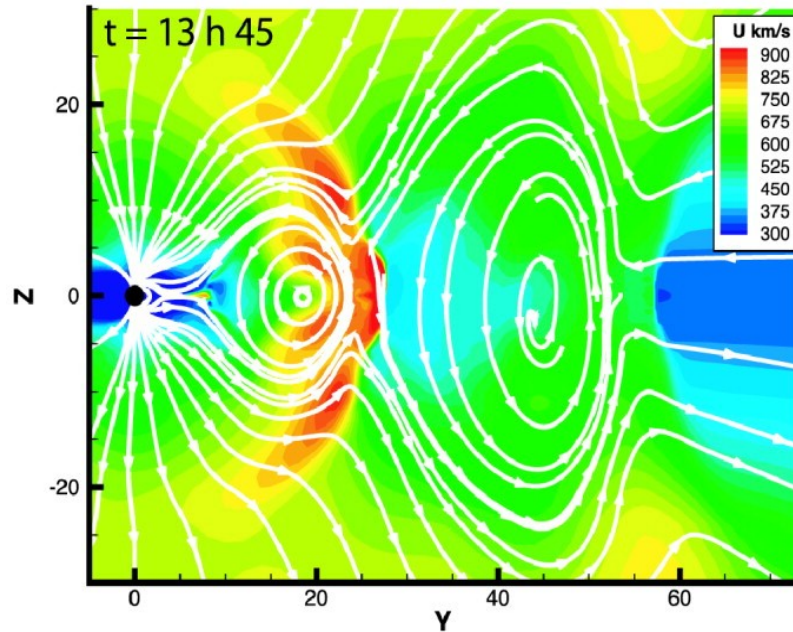
Torok et al. (2011)

Twin CMEs are common

Sympathetic CMEs on 2010 August 1-2



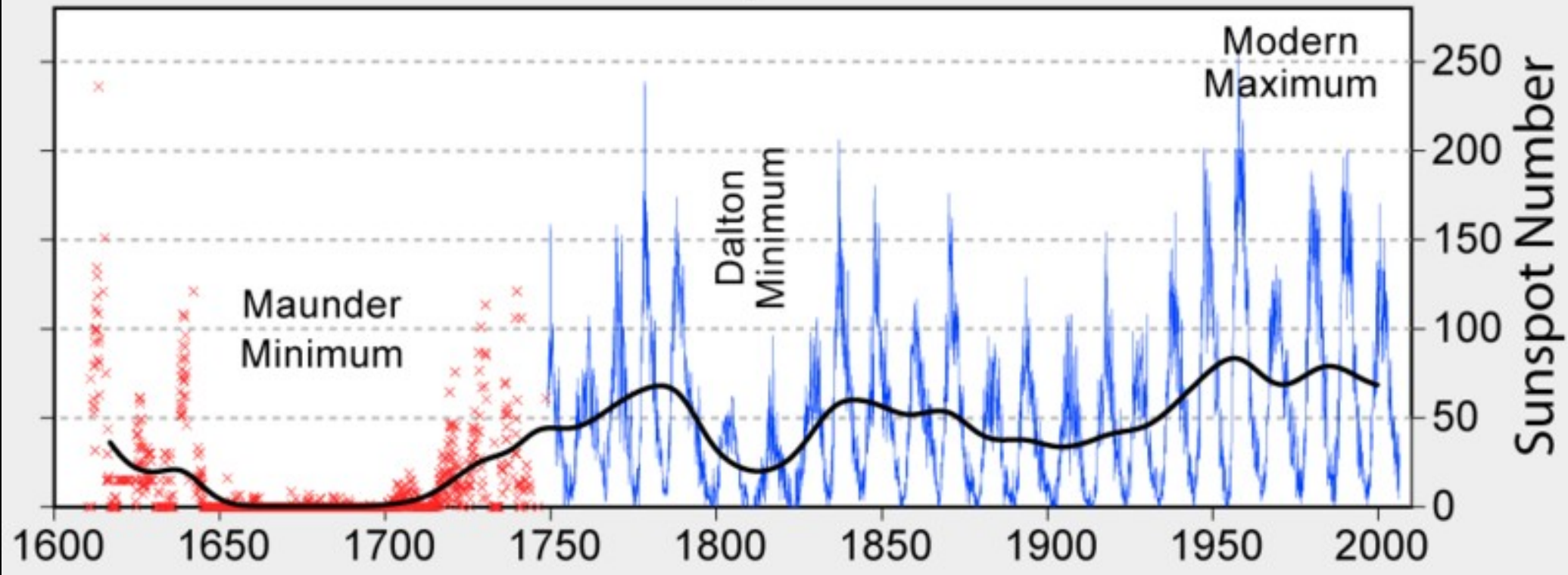
MHD simulation of 2 interacting-CME



Solar Cycle

Sunspot Number (Wikipedia)

400 Years of Sunspot Observations

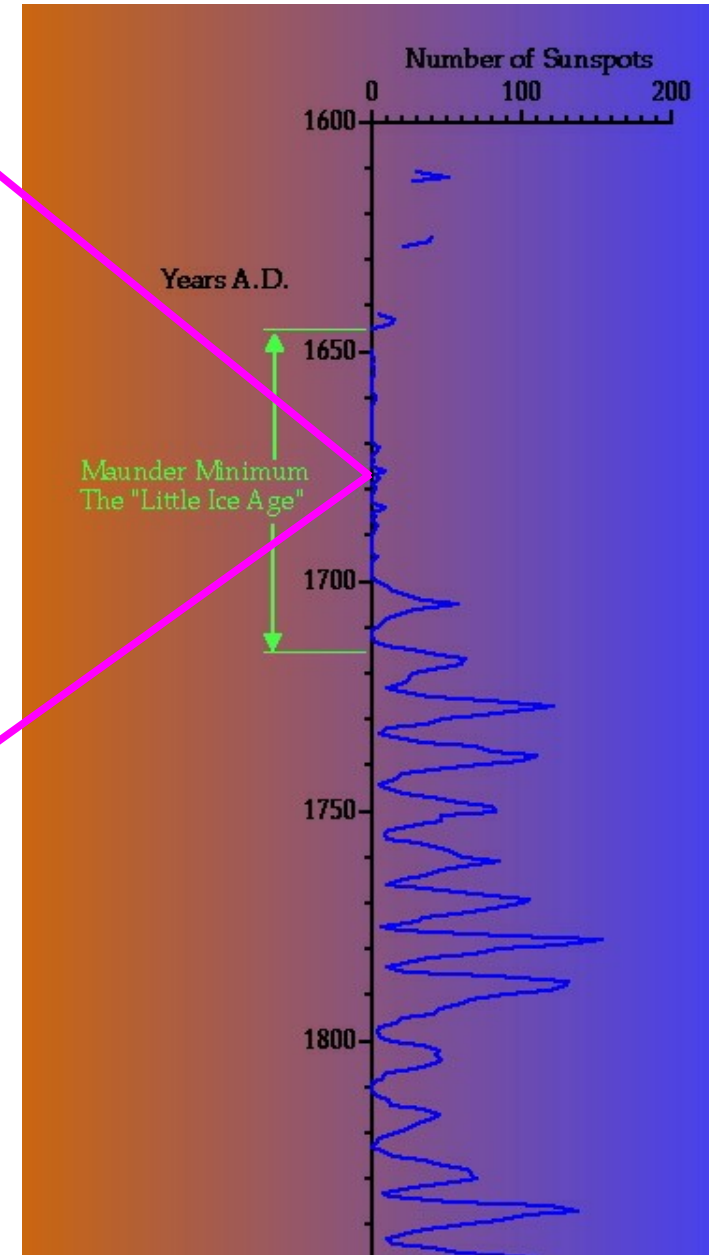


Influence of solar activity on the Earth's climate



Frozen Thames River, 1677

Little Ice Age

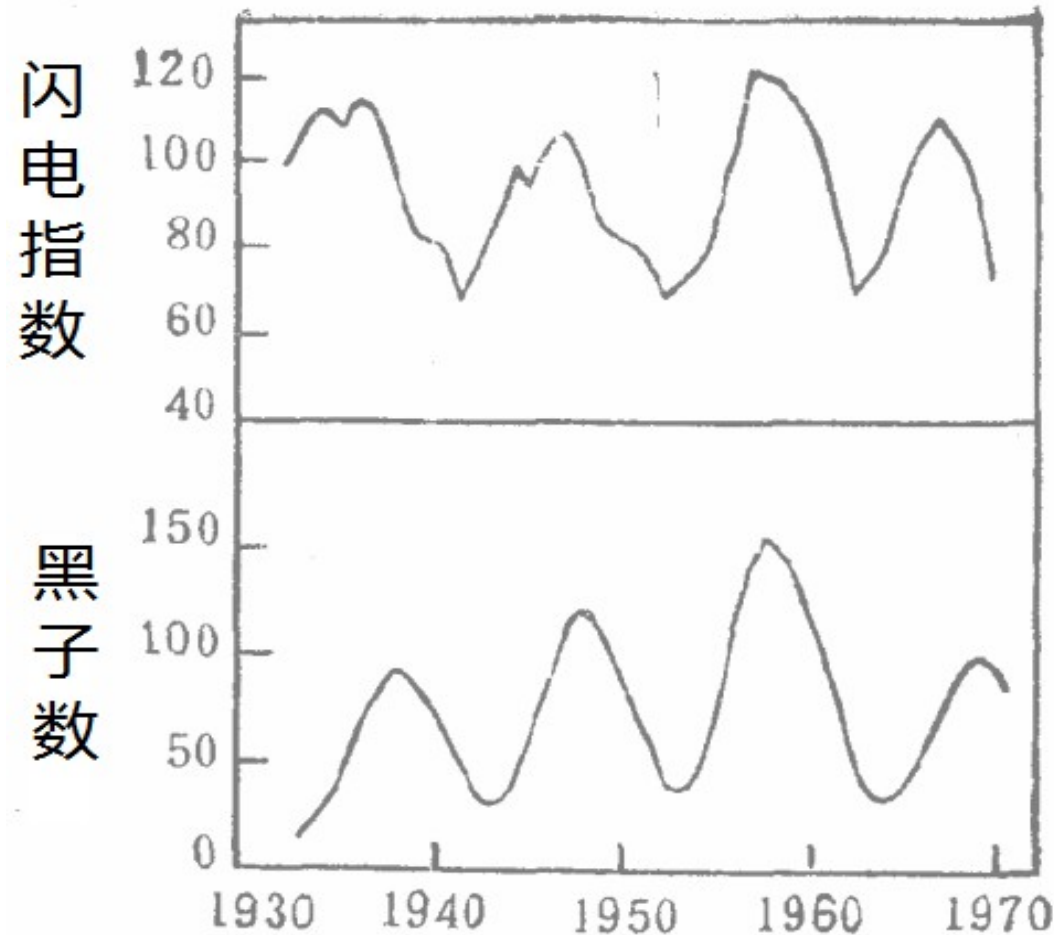


Tomorrow's Space Climate

is

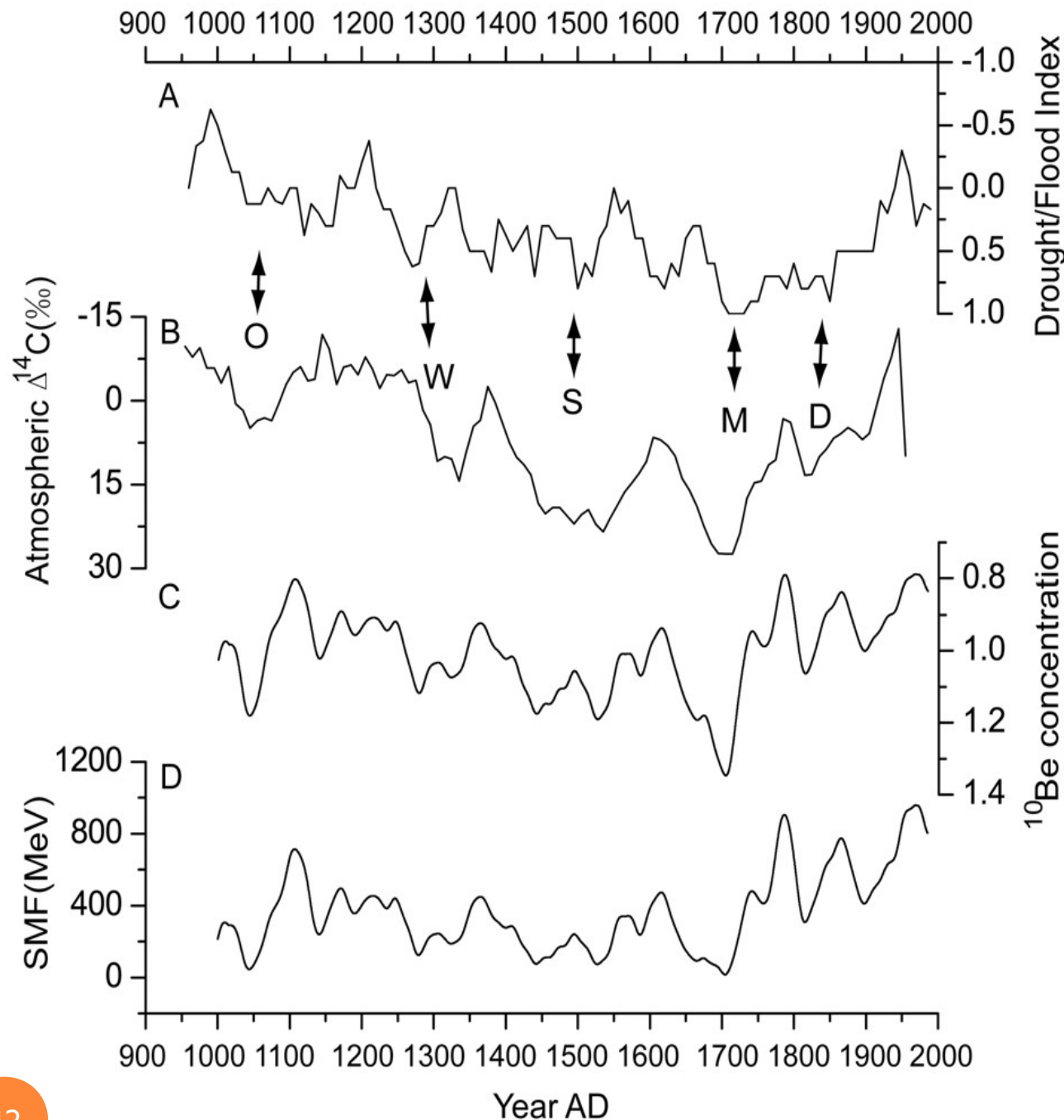
Today's Space Weather

研究现状 --- 太阳活动对地球的影响



年平均黑子数（下部）与闪电指数年平均值
（上部）的 5 年滑动平均数

斯特林费罗（1974）取英国 40 个代表站的
雷暴天数的平均平方值定义为闪电指数。



- Comparison of variations between precipitation of Longxi and solar activity since AD 960. The atmospheric ^{14}C (after removal of linear trend) comes from Stuiver et al. (1998) (B), the averaged ^{10}Be concentration (normalized) (C) and the reconstructed solar modulation function (SMF) (D) come from Muscheler et al. (2007). The letters O, W, S, M, D in (B) represent five minima of solar activity known as Oort (AD 1010–1050), Wolf (AD 1280–1340), Spörer (AD 1420–1530), Maunder (AD 1645–1715) and Dalton (AD 1795–1820) during the last millennium.