



Reconstruction and Homogenization of the Wolf series from 1849 to 2015

Space Climate 6 Symposium

Levi, Finnish Lapland, April 4 – 7 2016

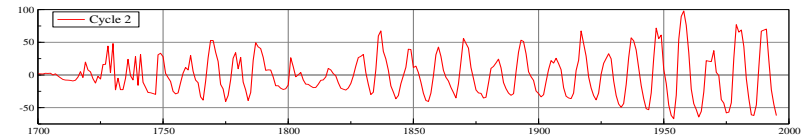
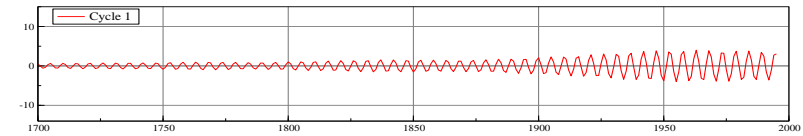
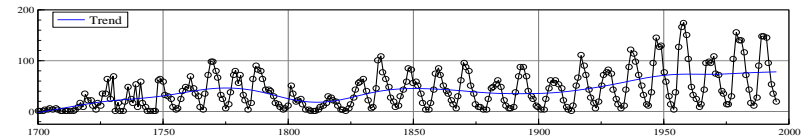
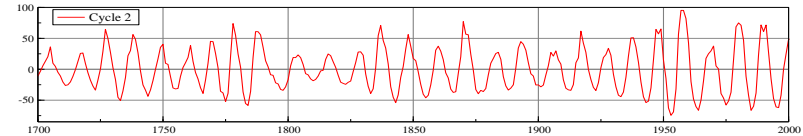
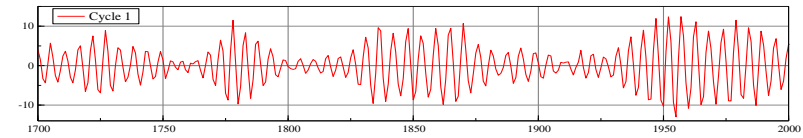
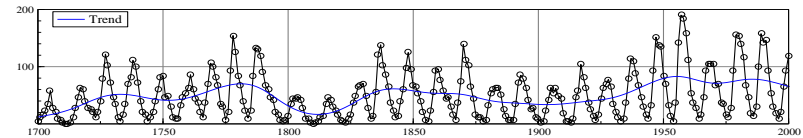
Dr. Thomas K. Friedli



“Do we have the right reconstruction of solar activity ?”

Reliability of the Wolf Series

- ▶ Basic requirement of long-term homogeneity
 - Without a stable scale no valid conclusions about variations in the long-term course of solar activity can be drawn
- ▶ Series of daily values is unreproducible
- ▶ Data reduction and series construction details are unknown
- ▶ Our role in the international effort to correct possible issues
 - Expertise in the data generation process
 - Access to the archives of the former Swiss Federal Observatory in Zurich



Sunspot relative number

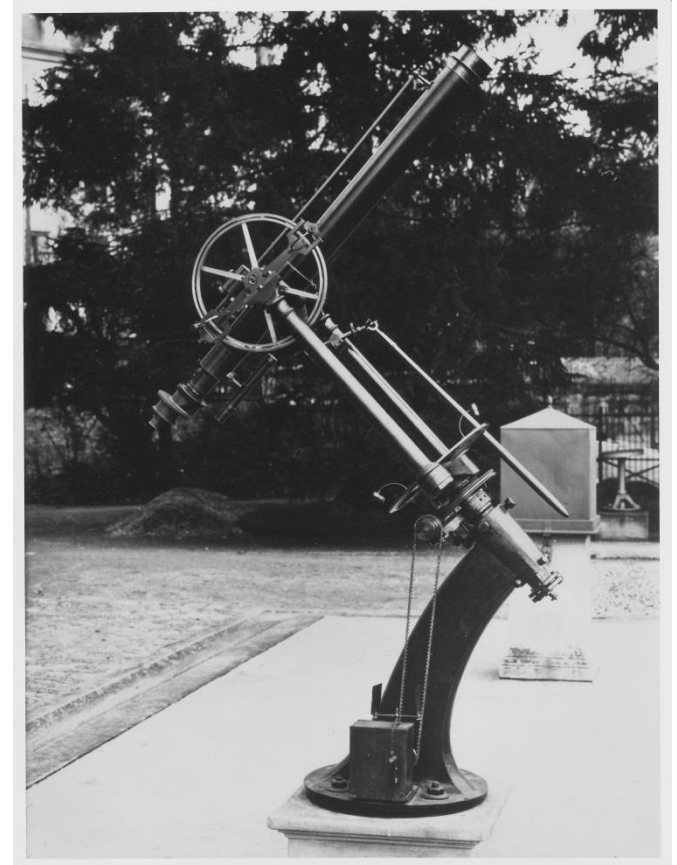
$$R = k \cdot (10 \cdot g + f)$$

g: number of groups

f: number of individual spots
within the groups

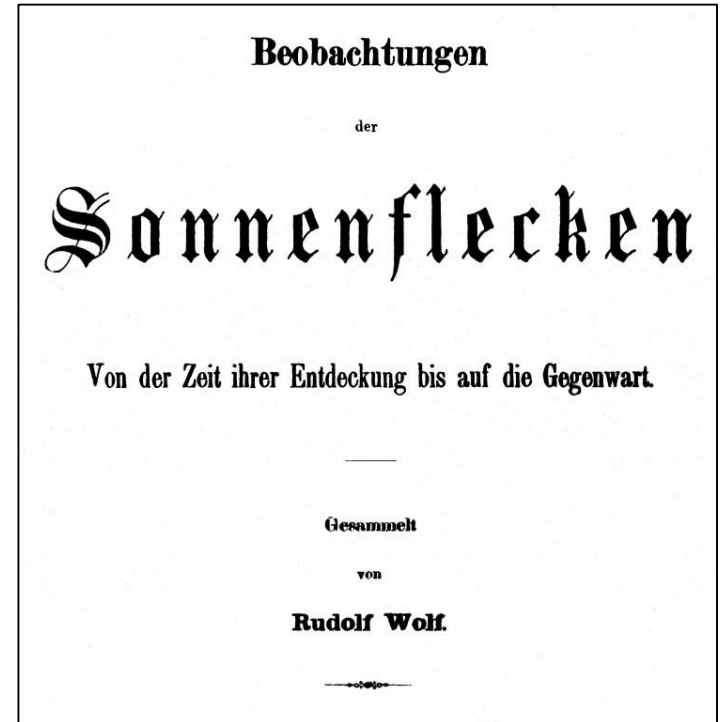
k: personal reduction factor

k:= 1 for Wolf on the
83 / 1320 mm Fraunhofer refractor



Reconstruction of the Wolf series

- ▶ [Rosetta stone of Wolf series reconstruction](#)
 - Some years ago we identified in the archives of the former Swiss Federal Observatory in Zurich a manuscript containing the raw data of the Wolf series
 - Source book contains the daily group number, the daily number of individual spots, the reduced Wolf number, the observer and the corresponding k-factor from the beginnings in 1610 up to 1876.





Source Book

1849

Sonnenflecken-Beobachtungen.

	I.		II.		III.		IV.		V.		VI.						
1	3	9.31	151	3	3.6	85	Jk	6.5	92	w	10.20	120					
2	3	9.34	155	w	2.40	710	K	5.5	82	w	7.5	170					
3	w	15.5	180	Jk	5.5	65	w	6.12	72	J	10.38	122					
4	3	9.31	151	w	2.27	92	w	2.15	85	w	12.59	128					
5	3	9.31	142	w	9.22	172	Jk	7.5	90	K	8.20	150					
6	3	9.31	143	w	10.34	134	w	2.24	94	w	10.60	160					
7	Jk	12.5	139	Jk	8.5	70	Jk	8.5	100	K	8.24	156					
8	3	8.28	135	w	10.21	121	Jk	4.5	70	K	6.20	120					
9	3	8.30	137	w	10.35	135	Jk	5.5	50	w	9.45	135					
10	3	8.5	131	w	10.5	140	Jk	6.5	60	w	7.5	100					
11	3	7.28	122	K	8.20	150	w	5.20	70	w	6.24	84					
12	3	7.28	122	w	9.56	146	w	7.30	100	w	6.5	70					
13	3	7.5	132	w	11.60	174	w	2.5	102	w	5.14	64					
14	3	7.5	132	K	7.5	115	3	5.16	82	w	5.16	66					
15	Jk	9.5	152	3	2.2	72	3	6.23	104	J	4.5	65					
16	Jk	9.5	102	K	6.5	100	K	4.4	40	3	2.2	22					
17	K	9.15	172	w	15.40	190	K	4.14	81	w	4.25	65					
18	w	11.60	170	K	8.5	160	w	2.30	100	w	4.5	81					
19	K	10.15	187	w	11.36	146	K	4.5	90	w	4.25	65					
20	3	11.74	230	w	13.60	190	w	5.30	80	K	6.11	106					
21	w	12.75	195	w	12.5	170	w	5.30	80	K	6.5	110					
22	w	9.46	136	3	10.21	151	w	6.35	95	K	6.36	744					
23	K	10.5	146	w	11.58	168	w	6.5	90	K	3.12	63					
24	K	10.5	156	w	11.40	150	w	5.5	80	K	2.70	45					
25	w	10.65	165	w	10.68	169	K	3.5	70	w	5.30	80					
26	w	10.36	176	3	10.25	164	K	4.5	85	K	4.30	75					
27	w	10.95	195	Jk	8.5	120	K	4.5	100	w	6.44	104					
28	w	9.63	153	w	7.36	106	w	12.50	170	K	3.5	85					
29	3	9.62	190				Jk	9.5	160	K	3.20	75					
30	w	9.5	160				3	4.31	151	K	3.20	75					
31	w	8.5	130				w	11.58	168	K	6.10	105					
M.		156,7			131,7			96,5			102,5			80,6		81,2	M.

Bemerkungen:

- w Wolf mit $\alpha' = 1,00$ angenommen als Einheit
- K = 1,50 aus Zahlenreihen in diesem und folg. Jahren mit w angest. Vergl.
- 3 Schwarz = 1,25
- C Collet falls nicht in Berechnung
- Jk Schmidt

Sonnenflecken-Beobachtungen.

45.

	VII.		VIII.		IX.		X.		XI.		XII.						
1	3	4.17	66	w	4.15	55	w	2.64	174	w	8.10	90					
2	K	3.3	49	w	6.18	78	w	5.35	85	K	7.10	120					
3	K	3.6	54	w	6.15	78	w	4.12	67	K	3.4	51					
4	K	3.10	60	w	4.12	52	w	5.41	91	K	2.3	34					
5	Jk	5.5	70	w	5.20	70	Jk	7.5	100	K	1.2	78					
6	K	4.8	72	w	4.18	58	w	6.25	85	K	4.6	69					
7	K	5.10	90	w	3.20	50	w	7.48	118	K	4.5	68					
8	K	6.15	112	w	3.15	45	w	5.38	88	w	5.76	66					
9	K	7.20	135	w	4.14	54	w	7.50	120	w	5.26	76					
10	K	3.6	54	w	5.22	72	w	9.26	116	Jk	3.5	40					
11	K	2.4	36	w	5.32	82	w	2.25	95	w	1.5	25					
12	K	3.8	57	w	2.25	95	3	6.5	85	w	3.5	45					
13	K	4.10	75	w	2.24	94	w	4.40	80	w	4.26	66					
14	K	3.72	63	w	6.15	75	K	5.15	77	Jk	4.5	60					
15	K	3.72	63	w	6.10	74	w	9.59	149	w	5.20	70					
16	w	7.45	115	w	7.21	91	w	2.54	124	w	4.5	60					
17	w	8.40	120	3	6.5	90	w	6.32	92	w	4.21	61					
18	w	9.30	120	w	6.30	90	w	5.19	69	w	4.25	65					
19	w	7.22	92	w	5.26	76	w	3.9	39	w	6.56	116					
20	w	7.22	92	K	3.5	52	w	4.26	66	w	6.41	101					
21	w	7.15	85	w	5.10	60	w	6.24	84	w	5.36	116					
22	w	6.8	68	w	4.4	44	w	7.28	98	Jk	8.5	110					
23	w	5.12	62	w	4.7	47	w	7.34	104	w	7.46	116					
24	w	5.9	59	w	3.4	34	w	2.23	93	K	5.8	87					
25	w	7.14	84	w	3.10	40	w	5.22	72	K	4.4	66					
26	w	4.8	48	w	5.20	70	w	4.5	65	w	9.5	143					
27	w	8.7	87	w	5.21	71	w	5.15	75	C	3.5	55					
28	w	7.20	90	w	3.15	45	w	9.16	106	K	3.4	51					
29	w	7.24	94	w	4.24	48	w	8.17	97	K	5.11	91					
30	w	8.20	100	w	5.24	80	w	8.17	97	w	7.48	118					
31	w	6.16	76	w	6.45	105				K	5.16	99					
M.		78,0			67,3			40,7			74,5			44,7		47,0	M.

Bemerkungen:

- w Wolf mit $\alpha' = 1,00$ angenommen als Einheit
- K = 1,50 aus Zahlenreihen in diesem und folg. Jahren mit w angest. Vergl.
- 3 Schwarz = 1,25
- C Collet falls nicht in Berechnung
- Jk Schmidt



Source Book

1803

Sonnenflecken-Beobachtungen.

	I.	II.	III.	IV.	V.	VI.			
1	i	66		h ₀ x.	i	71	i	72	1
2				h ₁ x.					2
3				h ₂ x.					3
4				h ₃ x.					4
5				h ₄ x.					5
6				h ₅ x.					6
7				h ₆ x.					7
8				h ₇ x.					8
9				h ₈ x.					9
10				h ₉ x.					10
11				h ₁₀ x.					11
12				h ₁₁ x.					12
13				h ₁₂ x.					13
14				h ₁₃ x.					14
15				h ₁₄ x.					15
16				h ₁₅ x.					16
17	i	66		h ₁₆ x.					17
18				h ₁₇ x.					18
19				h ₁₈ x.					19
20				h ₁₉ x.					20
21				h ₂₀ x.					21
22				h ₂₁ x.					22
23				h ₂₂ x.					23
24				h ₂₃ x.					24
25				h ₂₄ x.					25
26				h ₂₅ x.					26
27				h ₂₆ x.					27
28				h ₂₇ x.					28
29				h ₂₈ x.					29
30				h ₂₉ x.					30
31	i	66		h ₃₀ x.					31
M.	0+3-- ^{50,0} 66,0	0+3-- ^{67,0} 67,0	0+3-- ^{68,0} 68,0	0+3-- ^{69,0} 69,0	0+3-- ^{70,0} 70,0	0+3-- ^{71,0} 71,0	0+3-- ^{72,0} 72,0	M.	

Bemerkungen:

- I Hangergneis = 1,92 670 1788
- h₂ Herschel
- h₃ Heimmich = 1,23 670 1781
- h₄ Strimmer
- h₅ Huber
- i Bede
- α Drifflinger = 1,26

Sonnenflecken-Beobachtungen.

710

	VII.	VIII.	IX.	X.	XI.	XII.						
1	i	71	73	i	75	i	76	i	77	i	77	1
2												2
3												3
4												4
5												5
6												6
7												7
8												8
9												9
10												10
11												11
12												12
13												13
14												14
15												15
16												16
17												17
18												18
19												19
20												20
21												21
22												22
23												23
24												24
25												25
26												26
27												27
28												28
29												29
30												30
31												31
M.	0+3-- ^{73,0} 73,0	7+1-- ^{64,0} 64,0	0+3-- ^{75,0} 75,0	0+3-- ^{76,0} 76,0	0+3-- ^{77,0} 77,0	0+3-- ^{77,0} 77,0	0+3-- ^{77,0} 77,0	M.				

Bemerkungen:

Hangergneis 1803 für alle Werte mit einem Hangergneis-Beobachtung = Einheitsbeobachtung 0, für jede auf ein gleiches Maß umgerechnet. Hangergneis-Beobachtung = Einheitsbeobachtung.

1612

Sonnenflecken-Beobachtungen.

	I.		II.		III.		IV.		V.		VI.							
1	h	3.7	37			2.6	16	h	2.2	22	h	2.11	31	1				
2				h	5.8	58	0.0	0	h	4.14	44	h	5.12	62	2			
3						0.0	0	h	4.6	46	h	4.14	44	3	2			
4	h	2.4	24			0.0	0	h	3.4	34	h	4.16	56	4	3			
5	h	3.4	34	h	4.7	47	0.0	0	h	3.4	34	h	4.12	52	4	4		
6	h	3.4	34	h	3.7	37	0.0	0	h	3.5	35	h	3.25	50	5	5		
7	h	2.2	22	h	3.7	37	h	1.2	12	h	2.2	22	h	2.10	30	6	6	
8				h	3.7	37	h	1.2	12	h	3.6	36	h	2.12	32	7	7	
9							h	1.2	12	h	2.5	25	h	2.40	58	8	8	
10				h	5.7	57			h	1.5	15	h	5.12	62	9	9		
11	h	3.3	33				h	2.3	23	h	2.3	23	h	4.4	44	10	10	
12				h	3.4	34	h	2.3	23	h	2.3	23	h	4.4	44	11	11	
13	h	3.5	35	h	2.2	22	h	2.3	23	h	2.3	23	h	5.24	55	12	12	
14	h	4.6	46	h	3.3	33	h	0.0	0	h	2.2	22	h	5.14	64	13	13	
15				h	2.2	22	h	0.0	0	h	2.2	22	h	6.32	49	14	14	
16	h	5.4	61	h	2.2	22	h	0.0	0	h	2.2	22	h	8.41	54	15	15	
17	h	5.11	61	h	2.2	22	h	0.0	0	h	2.2	22	h	4.14	54	16	16	
18				h	7.1	71	h	0.0	0	h	3.4	34	h	3.8	38	17	17	
19				h	2.2	22	h	1.2	12	h	3.4	34	h	3.8	38	18	18	
20	h	4.5	45	h	2.2	22	h	1.2	12	h	3.4	34	h	3.4	34	19	19	
21	h	4.7	47	h	3.3	33	h	2.2	22	h	3.4	34	h	3.4	34	20	20	
22				h	3.7	37	h	2.2	22	h	3.4	34	h	5.11	61	21	21	
23	h	3.5	35	h	3.7	37	h	2.2	22	h	3.4	34	h	5.11	61	22	22	
24	h	3.6	36	h	2.12	62	h	2.2	22	h	3.5	35	h	3.7	37	23	23	
25	h	6.13	73	h	8.13	47	h	2.2	22	h	3.5	35	h	5.11	61	24	24	
26				h	6.8	68	h	2.2	22	h	3.5	35	h	5.49	52	25	25	
27	h	3.6	36	h	4.8	48	h	2.2	22	h	3.5	35	h	2.79	78	26	26	
28	h	3.6	36	h	4.8	48	h	2.2	22	h	3.5	35	h	4.12	52	27	27	
29	h	4.5	48	h	2.3	23	h	1.3	13	h	3.7	37	h	2.10	69	28	28	
30				h	2.3	23	h	2.13	33	h	4.11	51	h	2.64	63	29	29	
31				h	3.3	33	h	2.15	35	h	6.14	74	h	2.53	75	30	30	
M.		41,3			41,8			20,5			17,5			40,0			56,5	M.

Bemerkungen:

- 2. Sekiner 0,80
- 3. Harriot 1,00 umgekehrt
- 7. Galilei 0,53
- 8. Tompkins 1,38 aus 25 Zpl. m. Harriot.

Sonnenflecken-Beobachtungen.

	VII.		VIII.		IX.		X.		XI.		XII.						
1	g	8.69	79	h	4.5	45							1				
2	h	5.9	59	h	2.2	22	h	5.12	62				2				
3	h	7.57	67	h	4.11	51				h	4.14	54	3				
4	h	7.57	67	h	4.11	51	h	6.15	75				4				
5	h	6.13	63	h	4.13	63	h	5.12	62	h	6.15	75	5				
6	h	5.19	61	h	6.11	61	h	6.18	78	h	6.15	75	6				
7	h	6.58	65	h	6.11	61	h	6.16	76	h	8.14	94	7				
8	h	5.11	61	h	4.7	47	h	5.10	60	h	4.12	52	8				
9				h	4.2	42	h	4.15	55	h	5.10	60	9				
10				h	4.2	42	h	4.15	55	h	4.14	54	10				
11	h	4.9	61	h	3.4	34	h	4.16	64	h	6.13	73	11				
12	h	5.11	61	h	2.5	35	h	4.12	52	h	7.20	90	12				
13	h	4.7	47	h	5.13	63	h	4.14	54	h	6.2	62	13				
14				h	4.13	63	h	5.14	64	h	6.2	62	14				
15	h	4.5	45	h	5.16	66	h	5.14	64				15				
16	h	6.11	61	h	3.17	65							16				
17	h	6.9	69	h	4.24	91	h	5.11	61	h	4.6	46	17				
18	h	5.11	61	h	5.22	72	h	6.29	89	h	4.9	49	18				
19	h	5.11	61	h	4.12	72	h	4.5	45	h	3.4	34	19				
20	h	3.16	46	h	6.24	94	h	4.4	44	h	5.20	70	20				
21	h	4.22	62	h	7.54	68	h	3.4	34				21				
22	h	9.33	123	h	2.23	93	h	4.4	44				22				
23	h	8.14	88	h	2.7	77	h	2.3	23				23				
24	h	6.23	115	h	6.15	75	h	1.1	9	h	5.13	63	24				
25	h	7.30	100	h	4.12	72	h	3.3	33	h	9.19	109	25				
26	h	8.23	103	h	5.15	65	h	3.3	33	h	5.13	63	26				
27				h	6.8	68	h	3.3	33	h	5.13	63	27				
28	h	2.4	33	h	5.8	58	h	6.8	68	h	5.13	63	28				
29	h	4.8	48	h	5.10	60	h	8.14	94	h	7.12	87	29				
30	h	5.5	55	h	3.8	52	h	9.13	103	h	5.13	63	30				
31	h	5.5	55	h	3.8	52	h	9.13	103	h	5.13	63	31				
M.		68,5			60,7	61,8			52,3		51,9			66,8			M.

Bemerkungen:

- 67 Harriot = 63 Sekiner aus 1 Vergl.
- 1063 = = 1992 Galilei - 18
- 2878 h = 2876 Tompkins. 35 Zpl. Für Tompkins vgl. List. S. 573. Mittl. 74.



Source Book

1643

Sonnenflecken-Beobachtungen.

	I.	II.	III.	IV.	V.	VI.	
1							1
2							2
3						29	3
4							4
5							5
6							6
7							7
8							8
9							9
10							10
11						28	11
12							12
13							13
14							14
15							15
16							16
17					28		17
18							18
19							19
20							20
21							21
22							22
23					2.6	1.6	23
24					3.8	3.8	24
25					3.8	3.8	25
26					3.2	3.2	26
27					3.5	3.5	27
28							28
29					3.3	3.3	29
30					2.3	2.3	30
31					2.2	2.2	31
M.	34,5	33,0	31,5	30,0	18,1	20,0	M.

Bemerkungen:

h Klein

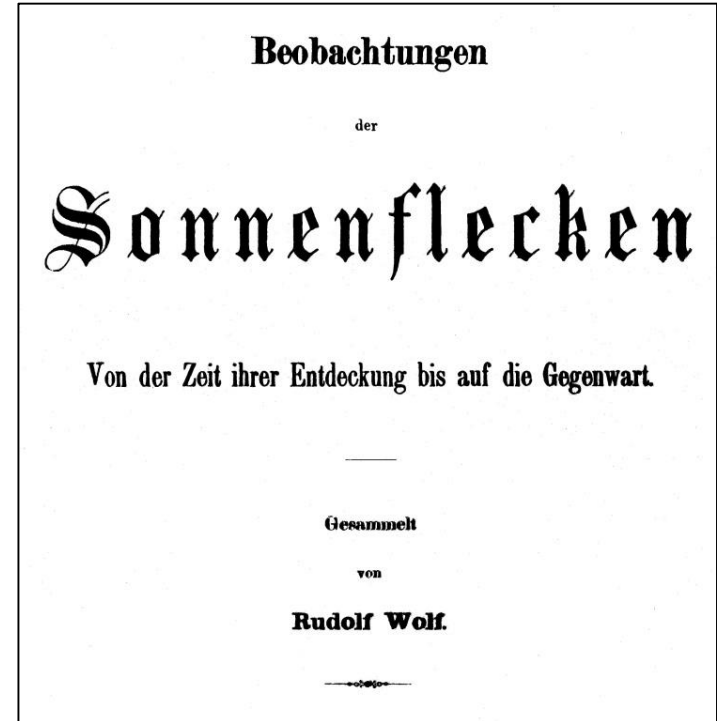
Sonnenflecken-Beobachtungen.

	VII.	VIII.	IX.	X.	XI.	XII.	
1	h 1.5	h 1.7	h 1.1	h 0.0	h 0.0	h 0.0	1
2	h 1.3	h 1.1	h 1.1	h 0.0	h 0.0	h 0.0	2
3	h 1.1	h 1.2	h 1.2	h 0.0	h 0.0	h 0.0	3
4	h 0.0	h 1.3	h 1.3	h 1.2	h 1.2	h 1.2	4
5	h 0.0	h 1.4	h 1.4	h 1.2	h 1.2	h 1.2	5
6	h 0.0	h 1.4	h 1.4	h 1.1	h 1.1	h 1.1	6
7	h 0.0	h 1.6	h 1.6	h 1.1	h 1.1	h 1.1	7
8	h 2.3	h 1.2	h 1.2	h 1.1	h 1.1	h 1.1	8
9	h 2.3	h 2.2	h 2.2	h 1.1	h 1.1	h 1.1	9
10	h 1.2	h 2.2	h 2.2	h 2.3	h 2.3	h 2.3	10
11	h 1.2	h 2.2	h 2.2	h 1.1	h 1.1	h 1.1	11
12	h 1.1	h 2.2	h 2.2	h 1.1	h 1.1	h 1.1	12
13	h 1.1	h 3.3	h 3.3	h 2.2	h 2.2	h 2.2	13
14	h 1.1	h 3.3	h 3.3	h 3.3	h 3.3	h 3.3	14
15	h 1.2	h 2.6	h 2.6	h 2.3	h 2.3	h 2.3	15
16	h 1.4	h 2.2	h 2.2	h 2.3	h 2.3	h 2.3	16
17	h 3.4	h 2.4	h 2.4	h 2.4	h 2.4	h 2.4	17
18	h 3.4	h 2.9	h 2.9	h 2.3	h 2.3	h 2.3	18
19	h 3.7	h 2.8	h 2.8	h 1.1	h 1.1	h 1.1	19
20	h 3.7	h 2.7	h 2.7	h 1.1	h 1.1	h 1.1	20
21	h 3.7	h 2.3	h 2.3	h 1.1	h 1.1	h 1.1	21
22	h 3.6	h 3.4	h 3.4	h 1.1	h 1.1	h 1.1	22
23	h 3.2	h 3.5	h 3.5	h 1.1	h 1.1	h 1.1	23
24	h 2.5	h 2.2	h 2.2	h 0.0	h 0.0	h 0.0	24
25	h 2.5	h 0.0	h 0.0	h 0.0	h 0.0	h 0.0	25
26	h 2.3	h 0.0	h 0.0	h 1.1	h 1.1	h 1.1	26
27	h 2.3	h 0.0	h 0.0	h 0.0	h 0.0	h 0.0	27
28	h 0.0	h 0.0	h 0.0	h 1.2	h 1.2	h 1.2	28
29	h 0.0	h 0.0	h 0.0	h 1.2	h 1.2	h 1.2	29
30	h 1.1	h 0.0	h 0.0	h 1.1	h 1.1	h 1.1	30
31	h 1.1	h 0.0	h 0.0	h 1.1	h 1.1	h 1.1	31
M.	16,3	17,5	12,6	9,0	17,5	14,1	M.

Bemerkungen:

Reconstruction of the Wolf series

- ▶ **Rosetta stone of Wolf series reconstruction**
 - Some years ago we identified in the archives of the former Swiss Federal Observatory in Zurich a manuscript containing the raw data of the Wolf series
 - Source book contains the daily group number, the daily number of individual spots, the reduced Wolf number, the observer and the corresponding k-factor from the beginnings in 1610 up to 1876.
 - **Digitizing is ongoing.** Recently we finished the period of 1849 to 1876 spanning all the observations of Rudolf Wolf.
 - The already digitized parts of the Source Book are published on the site <http://www.wolfinstitute.ch> and there under “Heritage”
 - A description of Wolf’s instruments and methods of observation is contained in the forthcoming paper “Sunspot observations of Rudolf Wolf from 1849 – 1893” in the T.I. in Solar Physics.



The Wolfian Period 1849 - 1893

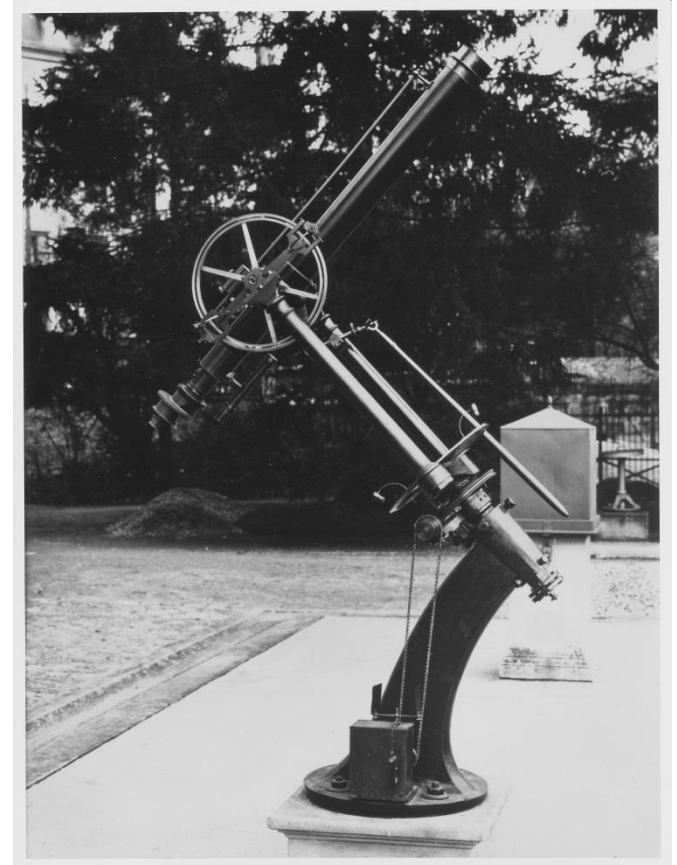
Known issues

- Wolf used several standard instruments
 - 83 / 1320 mm Fraunhofer refractor
 - 40 / 700 mm Parisian spy refractor
 - 42 / 800 mm Fraunhofer spy refractor
- Wolf did not distinguish between his own observations and those from Heinrich Schwabe for some years
- Wolf changed the data reduction method in 1877, Wolfer changed it another time in 1894
- Wolf suffered from an eyesight diminishment in his later years
- Wolfer made an approximate scale transfer, but did never recalculate the series (and neither did anyone else)
- ▶ Wolfer was adopted as standard observer of the new Wolf series version 2.0, but there was not enough information available to do all the necessary corrections. Thus, let's try it!



Standard Instruments

- 1849 83 / 1320 mm Fraunhofer refractor in Berne, mag. 64, sunglass
- 1855 83 / 1320 mm Fraunhofer refractor in Zurich, mag. 64, sunglass



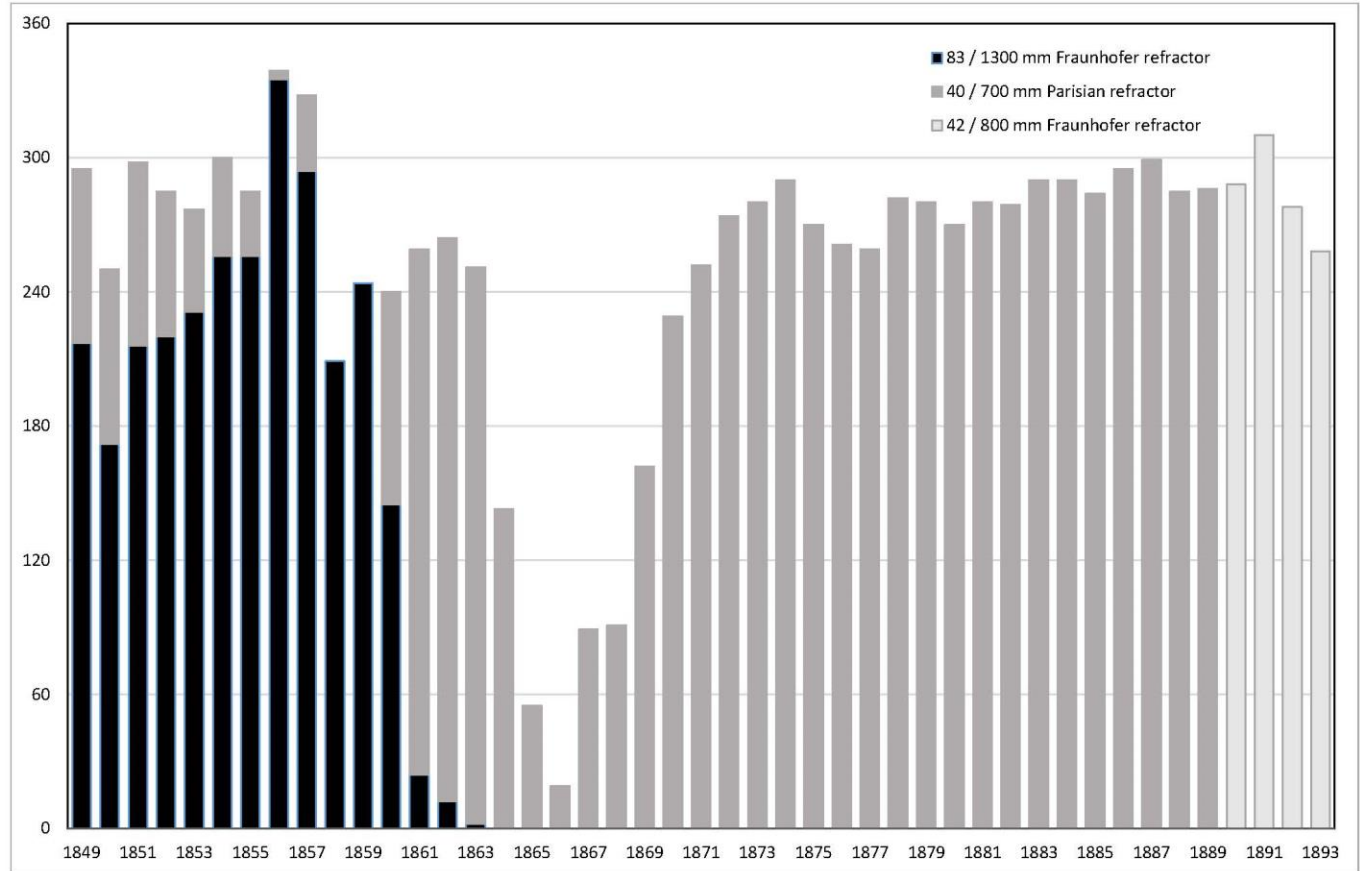
Standard Instruments

- 1849 83 / 1320 mm Fraunhofer refractor in Berne, mag. 64, sunglass
- 1855 83 / 1320 mm Fraunhofer refractor in Zurich, mag. 64, sunglass
- 1861 40 / 700 mm Parisian refractor in Zurich, mag. 20, sunglass
- 1890 42 / 800 mm Fraunhofer refractor in Zurich, mag. 29, sunglass





Reconstructed Observations of Rudolf Wolf

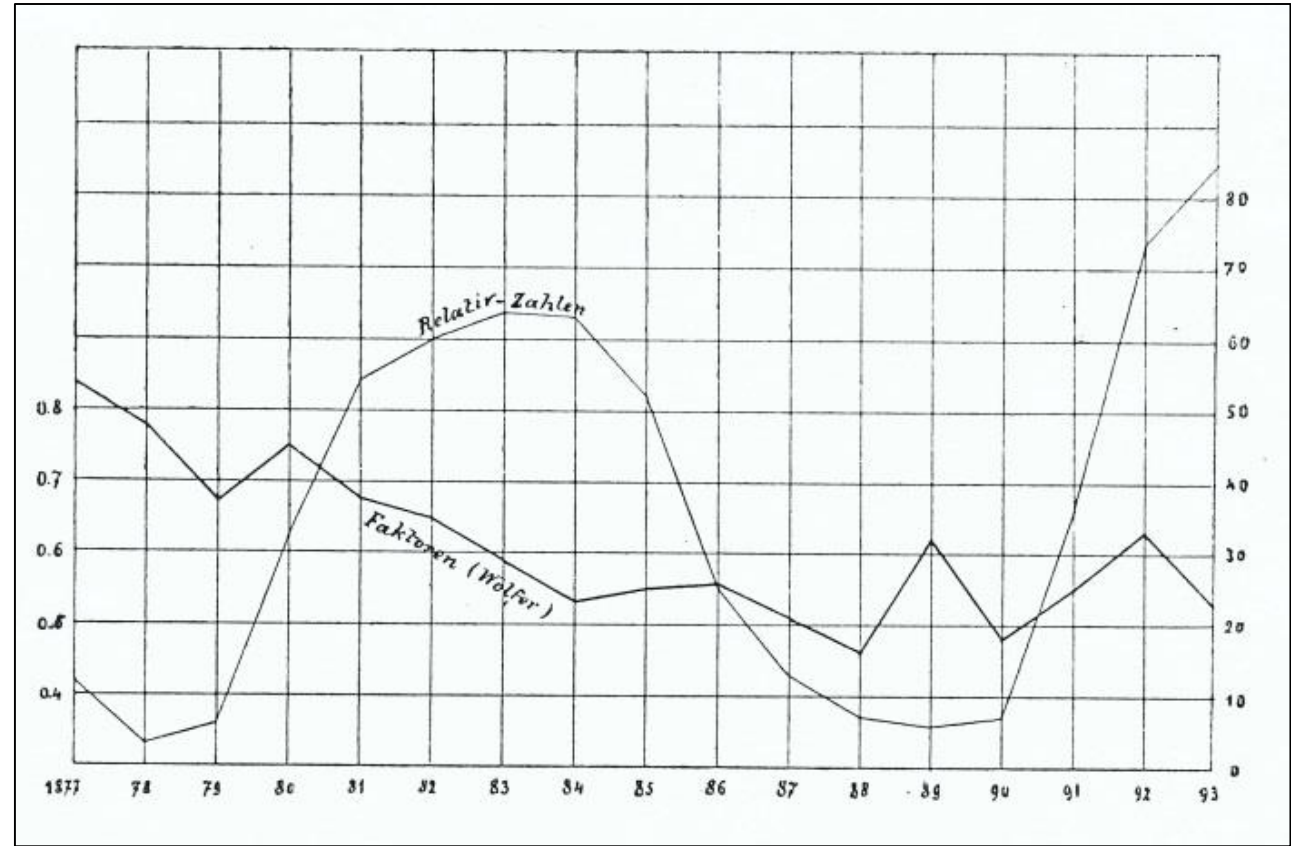


Recalculation

- ▶ **Basic principle**
 - We take Alfred Wolfer as standard observer and apply exactly the same data reduction procedure as Wolfer used from 1894 on.
 - Wolfer is set as standard observer, Wolf as his assistant, all others as secondary observers
- ▶ This approach relies on the long-term stability of Wolfer's instrumental system which is not obviously given, since he began his career in 1876



The Wolfian Period 1849 - 1893



Wolfer (1895)

Recalculation

► Basic principle

- We take Alfred Wolfer as standard observer and apply exactly the same data reduction procedure as Wolfer used from 1894 on.
- Wolfer is set as standard observer, Wolf as his assistant, all others as secondary observers
- This approach relies on the long-term stability of Wolfer's instrumental system which is not obviously given, since he began his career in 1876
 - Shows the graph from Wolfer (1895) a learning curve ?
 - Wolfer examined 4 series (Zurich, Madrid, Rom and Catania), including his own and found, that they show all more or less the same pattern.
 - Thus, Wolfer concluded that his instrumental system was stable and that the lowering of the k-factors was due to a an eyesight diminishment of Wolf which was also observable in every days life.
- Wolfer adopted an overall mean value of 0.60 as his k-factor.

Tab. I.

	v.	f				f - f _m			
		Wolfer	Ventosa	Turchini	Riera	Wolfer	Ventosa	Turchini	Riera
		Zürich	Madrid	Palermo Rom	Palermo Catania				
1877 I	15,9	0,86	0,90	0,81	—	+0,25	+0,30	-0,06	—
II	8,7	0,82	0,88	0,87	—	+0,21	+0,28	0,00	—
1878 I	4,9	0,67	0,66	0,56	—	+0,06	+0,06	-0,31	—
II	1,9	0,89	0,69	0,52	—	+0,28	+0,09	-0,35	—
1879 I	2,5	0,65	0,58	1,07	—	+0,04	-0,02	+0,20	—
II	9,5	0,69	0,66	0,95	0,81	+0,08	+0,06	+0,08	+0,21
1880 I	24,7	0,76	0,75	0,93	0,82	+0,15	+0,15	+0,06	+0,22
II	39,9	0,74	0,75	0,79	0,81	+0,13	+0,15	-0,08	+0,21
1881 I	49,3	0,67	0,66	0,83	0,63	+0,06	+0,06	-0,04	+0,03
II	59,0	0,69	0,75	0,92	0,66	+0,08	+0,15	+0,05	+0,06
1882 I	64,5	0,62	0,67	0,91	0,65	+0,91	+0,07	+0,04	+0,05
II	54,8	0,67	0,62	0,90	0,65	+0,06	+0,02	+0,03	+0,05
1883 I	56,8	0,64	0,61	0,98	0,66	+0,03	+0,01	+0,11	+0,06
II	70,6	0,54	0,57	0,87	0,65	-0,07	-0,03	0,00	+0,05
1884 I	76,5	0,54	0,60	0,80	0,59	-0,07	0,00	-0,07	-0,01
II	50,4	0,52	0,54	0,78	0,56	-0,09	-0,06	-0,09	-0,04
1885 I	62,7	0,54	0,60	0,95	0,54	-0,07	0,60	+0,08	-0,06
II	41,6	0,56	0,55	0,97	0,47	-0,05	-0,05	+0,10	-0,13
1886 I	35,8	0,58	0,61	1,08	0,59	-0,03	+0,01	+0,21	-0,01
II	15,0	0,54	0,50	1,01	0,53	-0,07	-0,10	+0,14	-0,07
1887 I	11,7	0,51	0,49	0,91	0,54	-0,10	-0,11	+0,04	-0,06
II	14,4	0,51	0,59	1,10	0,64	-0,10	-0,01	+0,23	+0,04
1888 I	7,8	0,49	0,48	0,74	0,47	-0,12	-0,12	-0,13	-0,13
II	5,7	0,43	0,32	0,57	0,31	-0,18	-0,28	-0,30	-0,29
1889 I	4,9	0,72	0,63	1,08	0,61	+0,11	+0,03	+0,21	+0,01
II	7,6	0,52	0,57	0,90	0,57	-0,09	-0,03	+0,03	-0,03
1890 I	3,1	0,48	0,29	0,50	0,45	-0,13	-0,31	-0,37	-0,15
II	11,0	0,48	0,46	0,83	0,49	-0,13	-0,14	-0,04	-0,11
1891 I	26,0	0,52	0,48	0,75	0,52	-0,09	-0,12	-0,12	-0,08
II	45,2	0,58	0,57	0,88	0,59	-0,03	-0,03	+0,01	-0,01
1892 I	70,0	0,62	0,62	0,96	0,68	+0,01	+0,02	+0,09	+0,08
II	75,9	0,64	0,65	0,99	0,65	+0,03	+0,05	+0,12	+0,05
1893 I	79,1	0,52	0,58	0,92	0,60	-0,09	-0,02	+0,05	0,00
II	90,8	0,54	0,64	0,87	0,61	-0,07	+0,04	0,00	+0,01
Mittel		0,61	0,60	0,87	0,60				

Recalculation

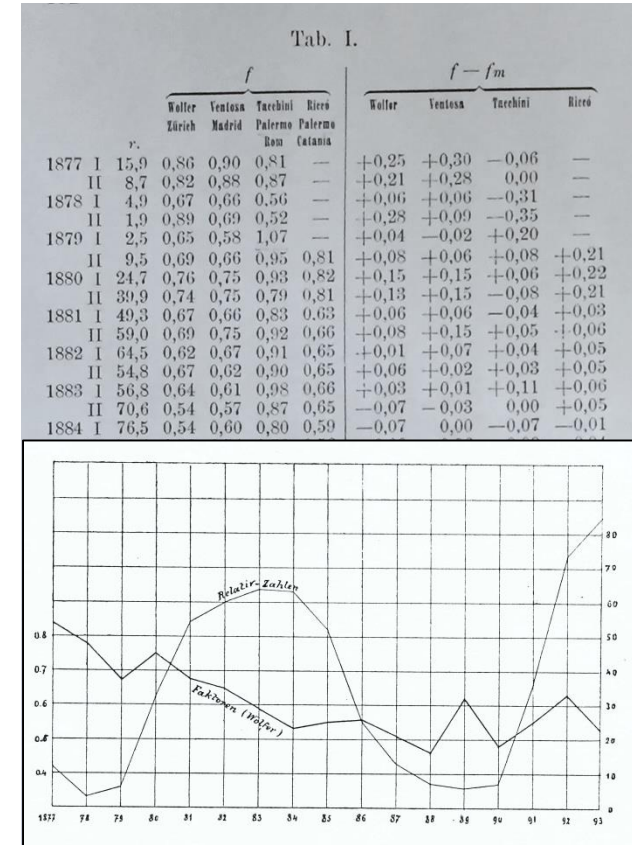
► Basic principle

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- Wolfer is set as standard observer, Wolf as his assistant, all others as secondary observers

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- Thus, Wolfer concluded that his instrumental system was stable and that the lowering of the k-factors was due to a an eyesight diminishment of Wolf which was also observable in everyday life.

► Wolfer adopted an overall mean value of 0.60 as his k-factor.



Recalculation

▶ Algorithm outline

- Wolfer's $R = 10 \cdot g + f$ were multiplied by 0.6
- On days with an observation of Wolfer, his reduced Wolf number was inserted as Wolf series value.
- For Wolf, a semesterly k-factor was calculated. $k = R_{\text{Wolfer}}/R_{\text{Wolf}}$
- In the gaps of Wolfer, the reduced Wolf numbers of Wolf were filled in
- In the remaining gaps, the values of the original Wolf series were inserted, which were multiplied with the same k-factor as Wolf
- Rounding to the nearest integer was performed on each calculation step



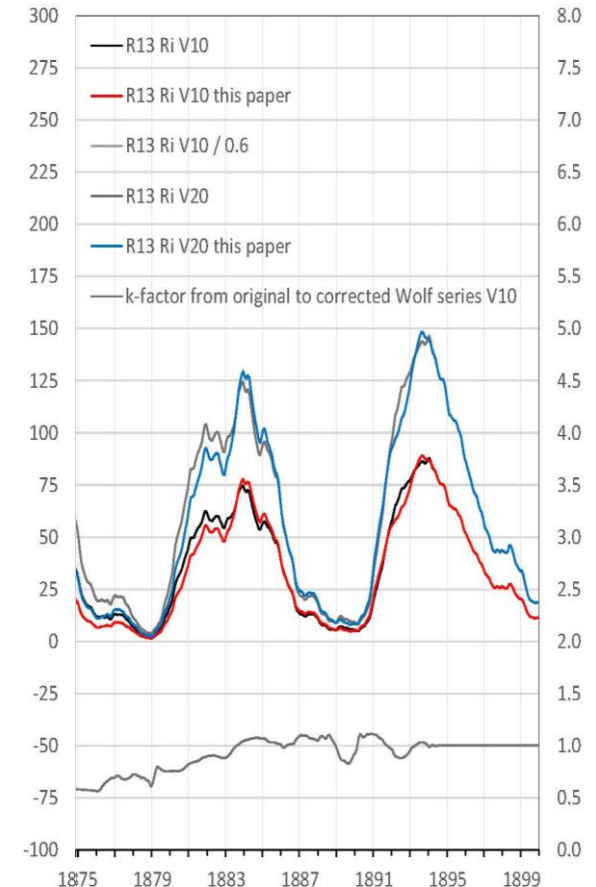


The Wolfian Period 1849 - 1893

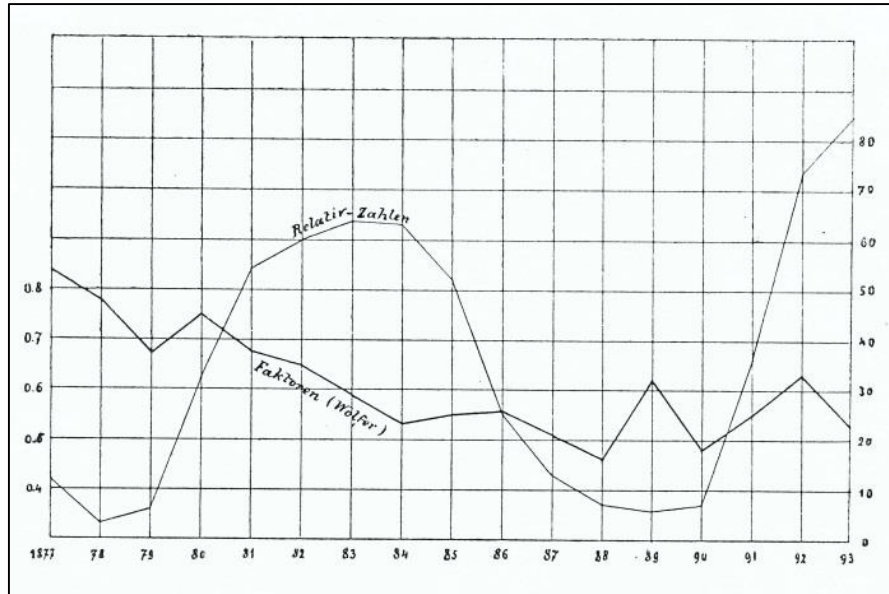
Recalculation

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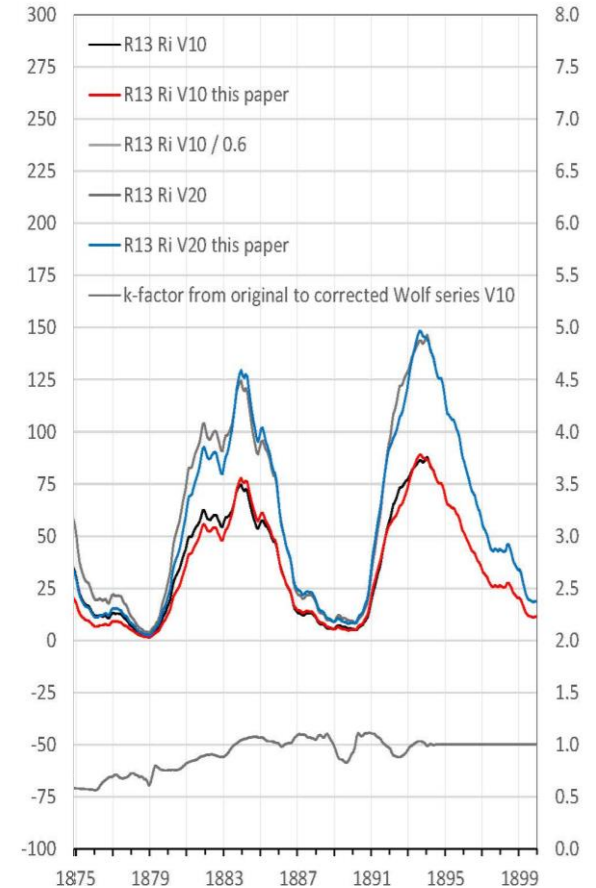


The Wolfian Period 1849 - 1893

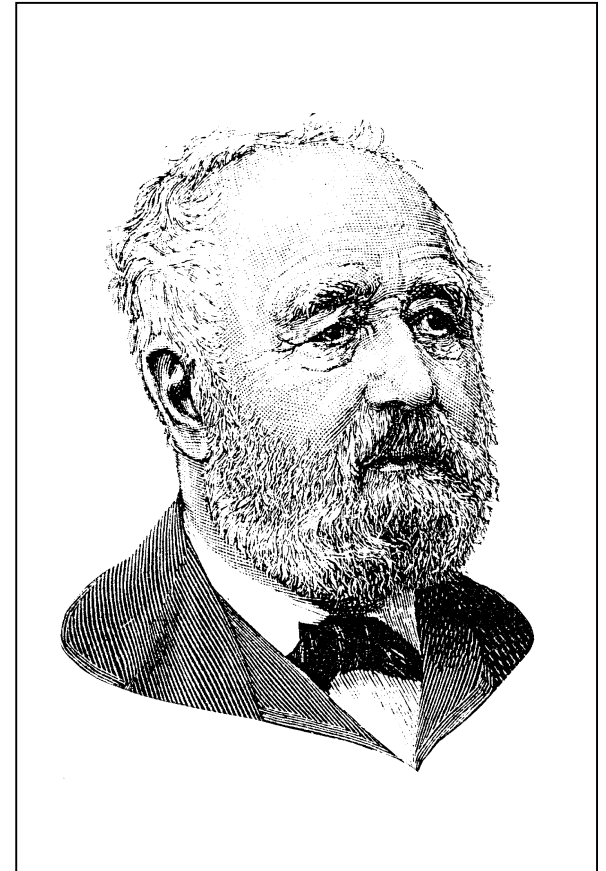


► Eye-sight diminishment corrected

- In 1876 the k-factor dropped to **0.54**. Thus, this is the reverse calculation Wolfer should have done, although he rather had risen his own observations than lowered Wolf's. Additionally, all historically grown inhomogeneities due to a variable data reduction methods are corrected, too.



- Reconstruction
- Scale Homogenization



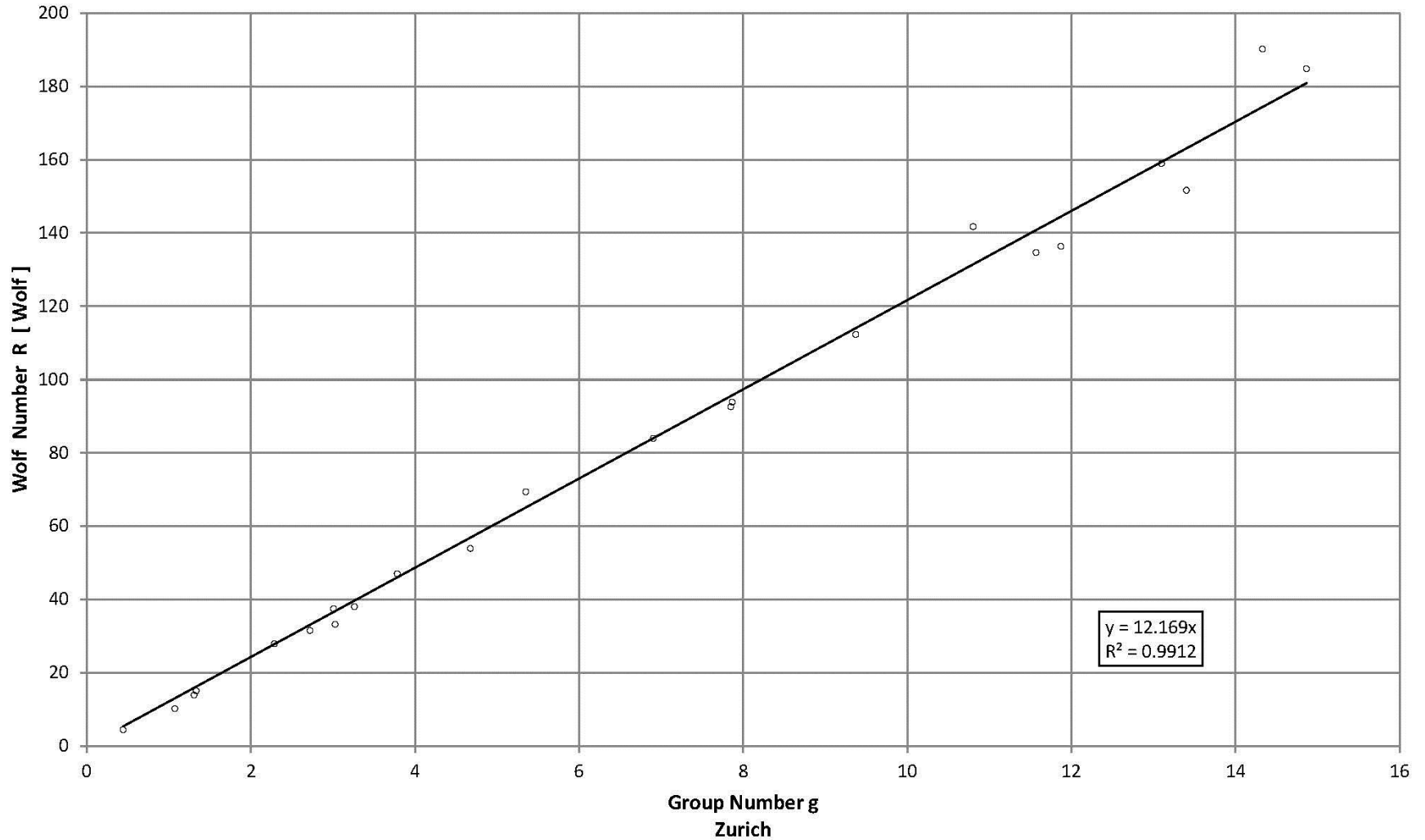
What is the scale? And how we can measure it?

- ▶ **Scale is only implicitly known**
 - Determined by the combination of instrument, observer and environmental conditions (thus defining an instrumental system)
 - Affected by various aging-effects during an observational career
 - Especially the training and the experience plays a mayor role
 - Wolf assumed in 1859 that the homogeneity of the scale is reflected by the constancy of the k-factors
 - In 1872 Wolf discovered, that the k-factors are varying with solar activity

- ▶ **Wolf number is a index with two components**
 - It was forgotten, that the Wolf number consist of two components which could provide additional information about the scale

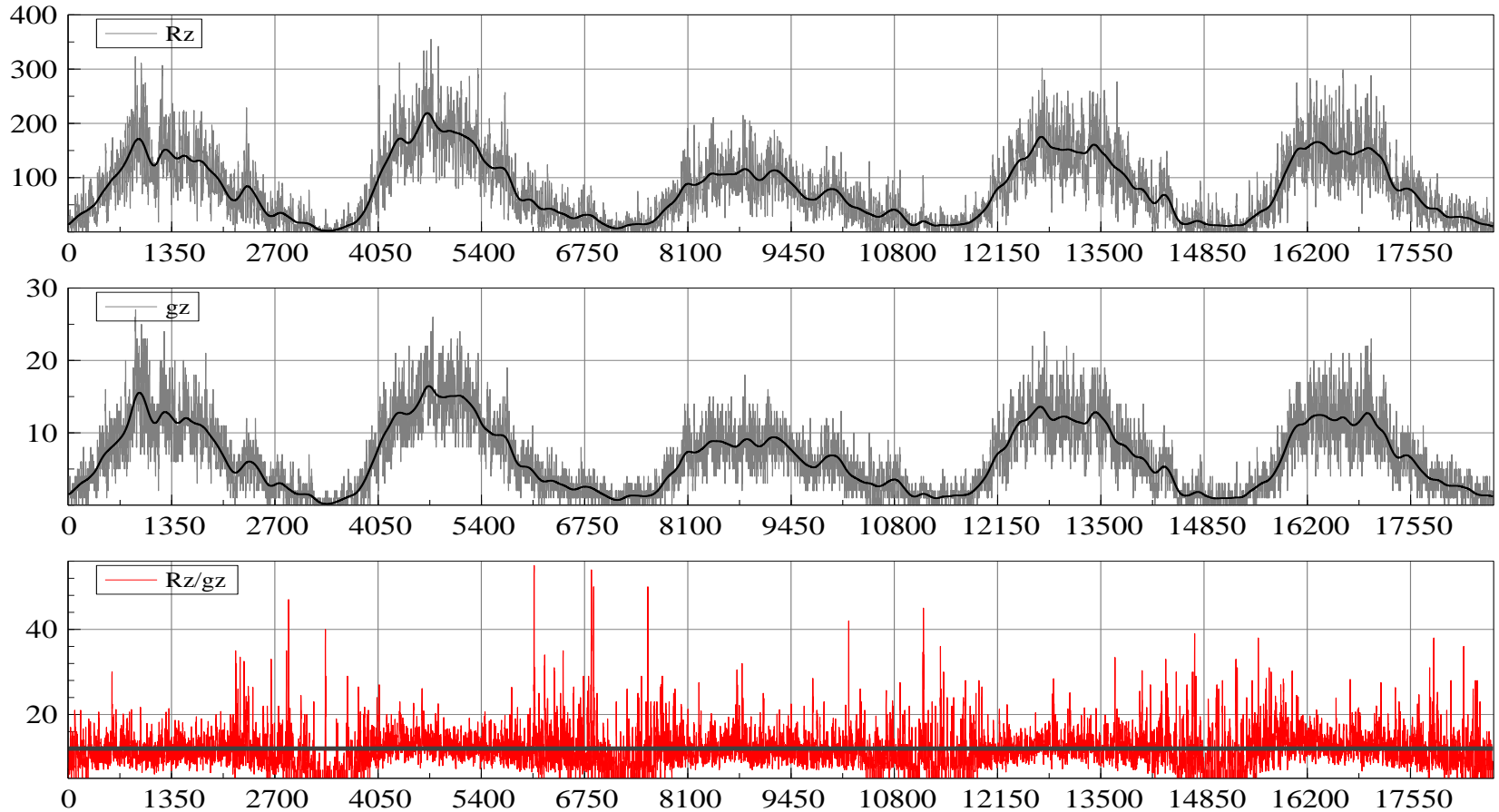


Ratio R / g 1945 - 1967

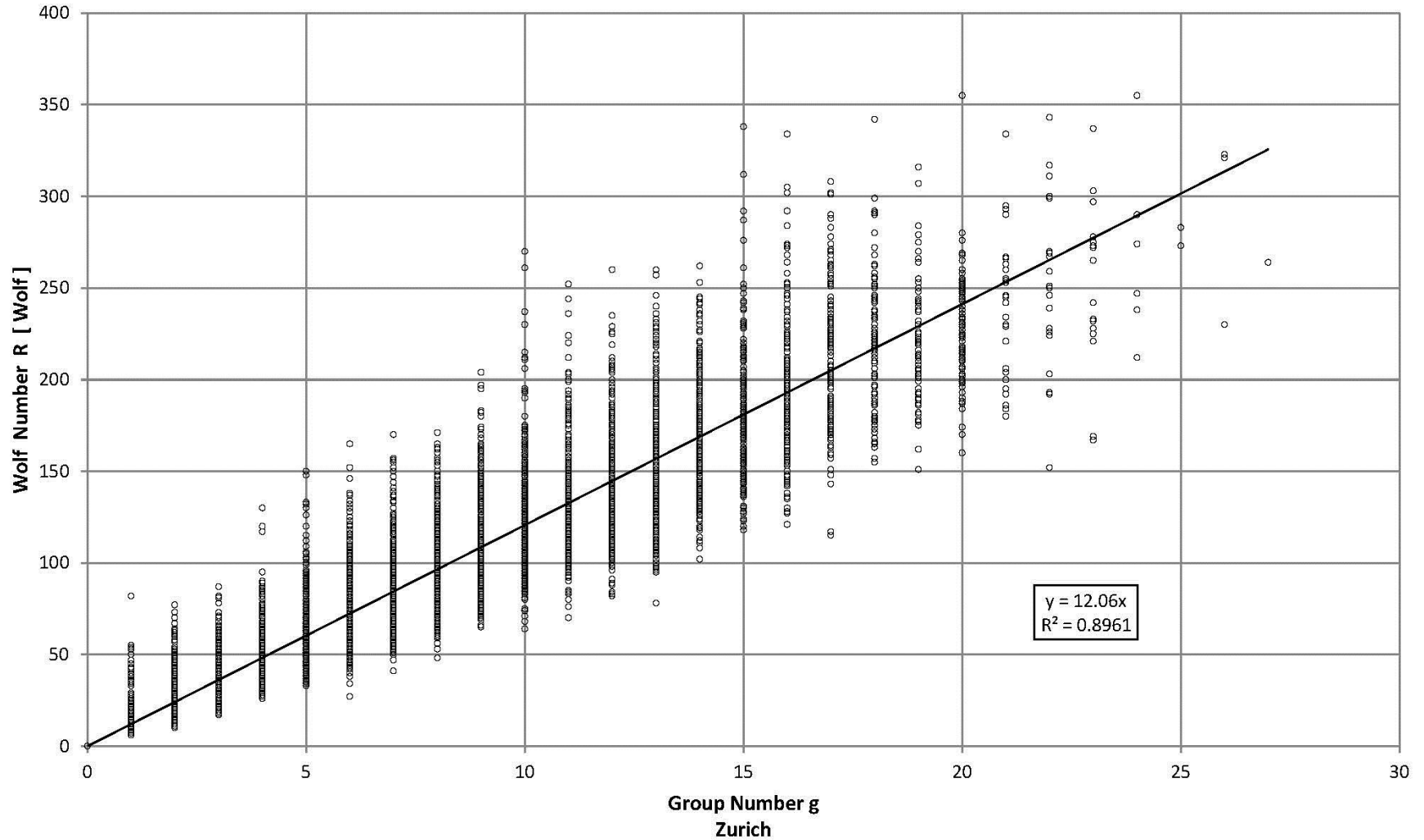




Zurich Sunspot Number



Ratio R / g 1945 - 1967



What is the scale? And how we can measure it?

► Scale is measured by the ratio R / g

- $R_S = k_B \cdot (10 \cdot g_B + f_B) = \beta_S \cdot g_B$
- $R_B = 10 \cdot g_B + f_B = \beta_B \cdot g_B$
- I call β the scale constant
- It has to be measured over one cycle length or a multiple thereof
- For shorter periods, β will vary according the local realization of R / g .
- Thus, the β can be measured only retrospectively and are rather an instrument for calibration and homogenization than for data reduction.

► Calibration and scale

- $k_B = \frac{R_S}{R_B} = \frac{\beta_S \cdot g_B}{\beta_B \cdot g_B} = \frac{\beta_S}{\beta_B}$
- Transforming one system into the other means stretching the scales



Scale calibration and homogenization

► Scale transformation

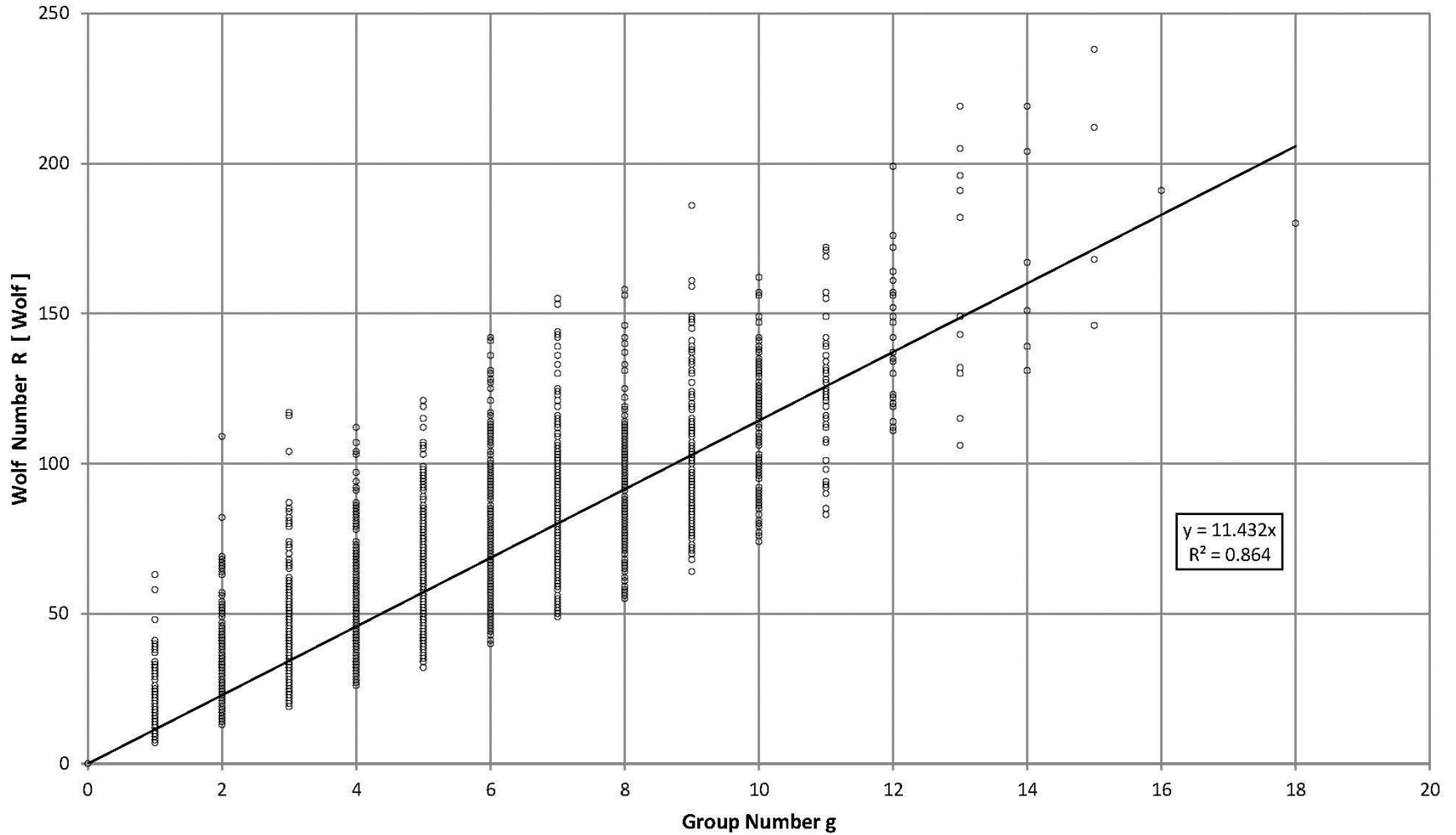
- $k_B = \frac{\beta_S}{\beta_B}$
- Thus k_B may be estimated solely with information from the instrumental system itself. Corresponding observations are not needed any more.
- Each instrumental system can be transformed to another
- The scale may be set freely, e.g. $\beta_S = 20$ (this will equalize the weight of g and f to the index). But we recommend to use a value which is realized by a reference station, preferably Locarno.

► Scale homogenization

- All instrumental systems of the long-term standard observers will be homogenized to the standard scale
- As standard scale we should adopt the instrumental system of Wolfer

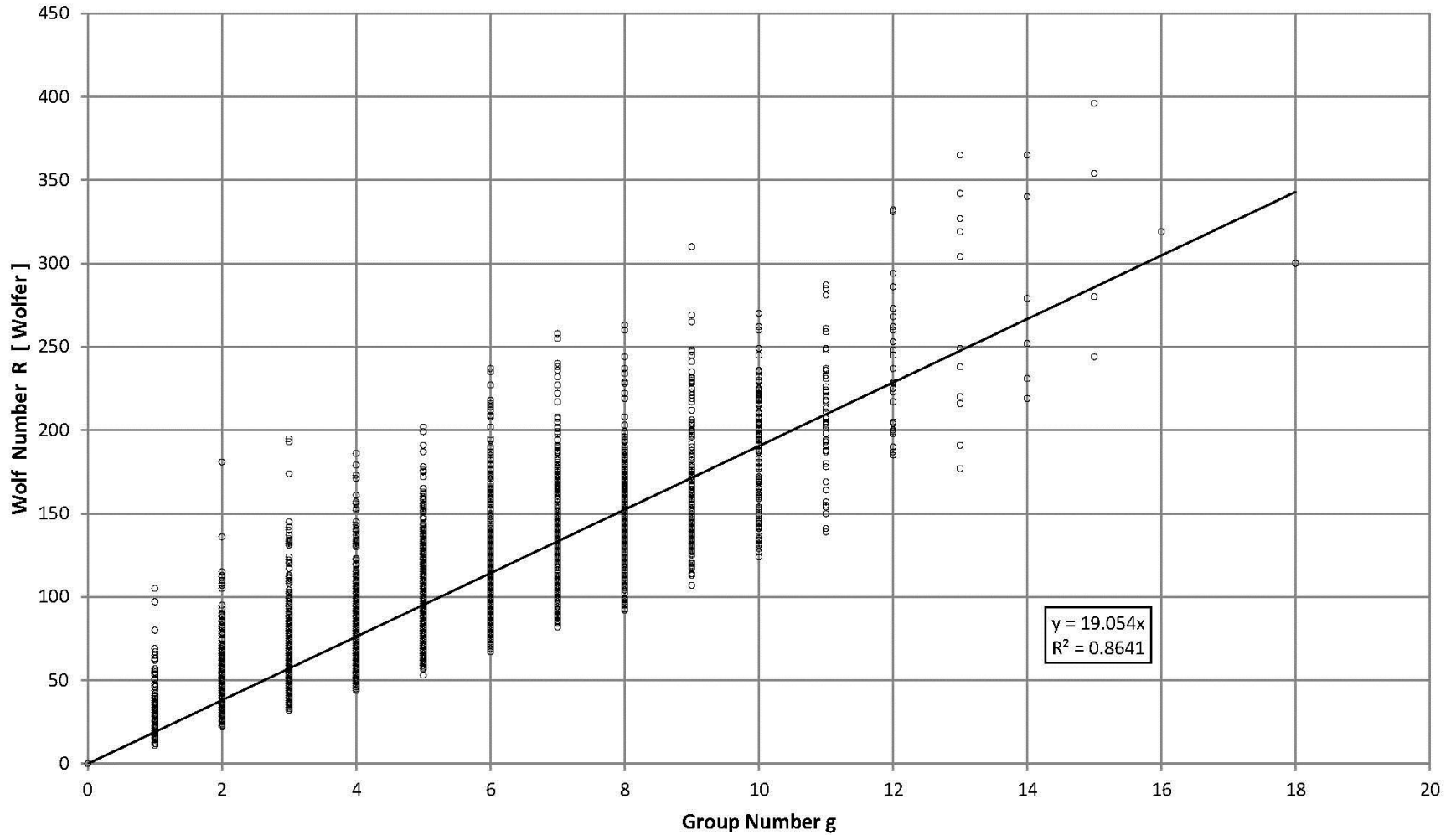


Ratio R / g 1876 - 1899



Alfred Wolfer: Refr 83/1320 Mag 64

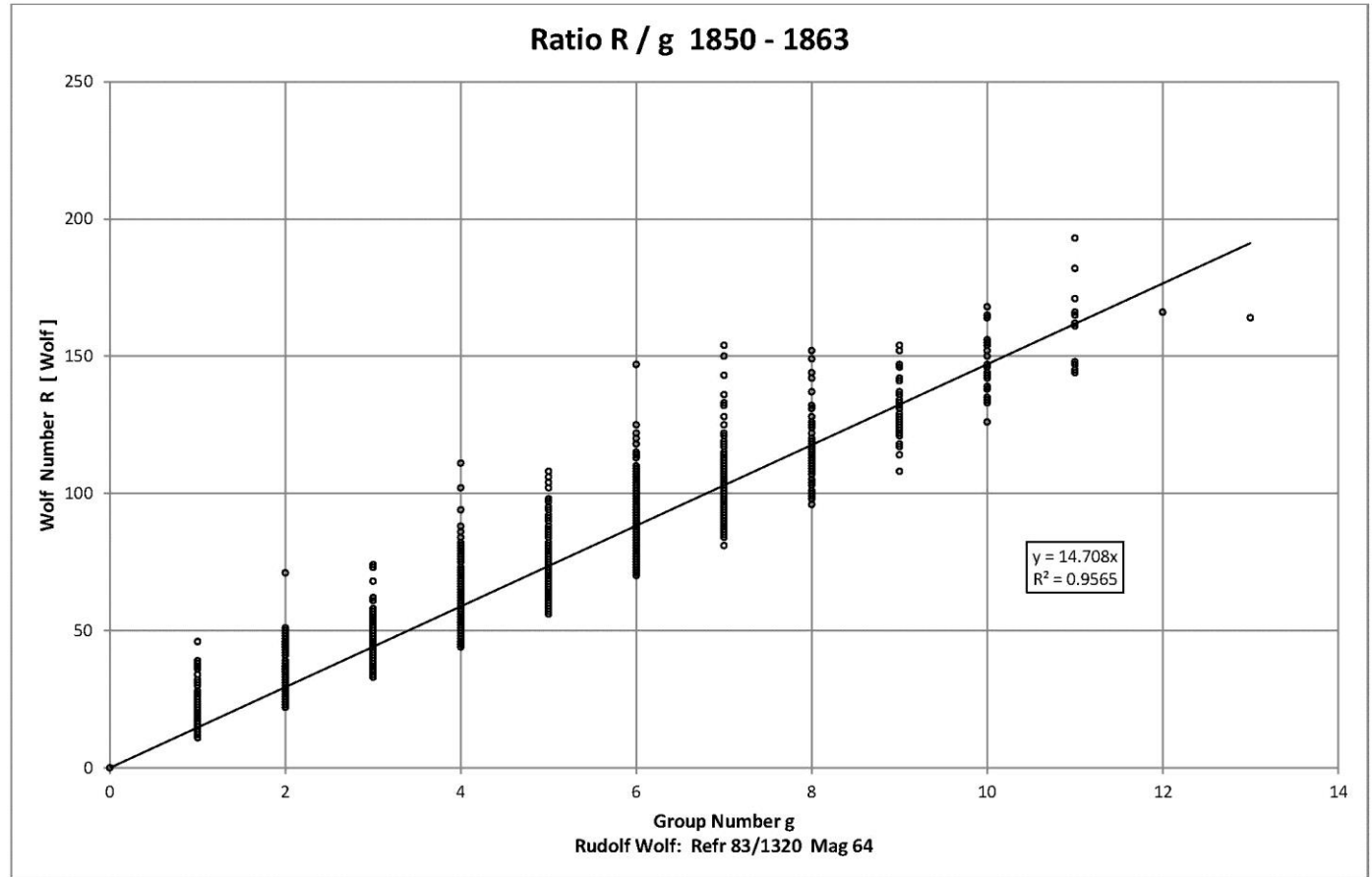
Ratio R / g 1876 - 1899



Alfred Wolfner: Refr 83/1320 Mag 64

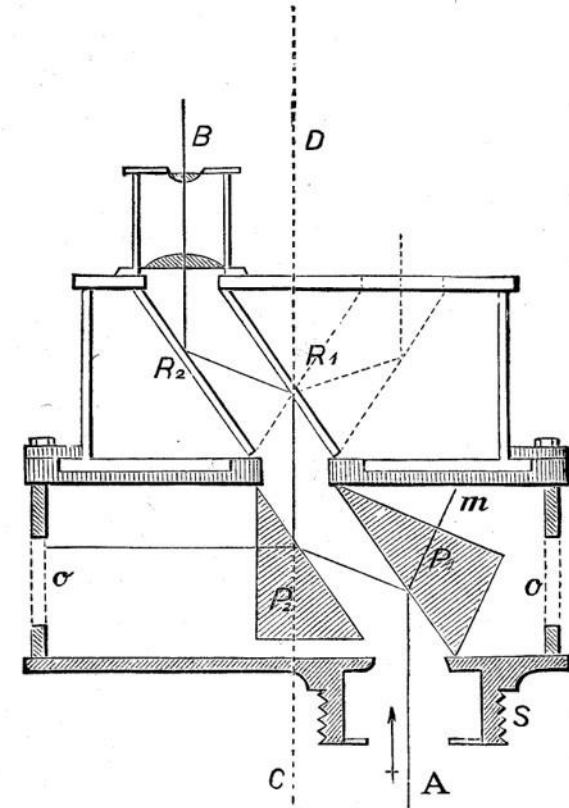


The Wolfian Period 1849 - 1893



Recalculation

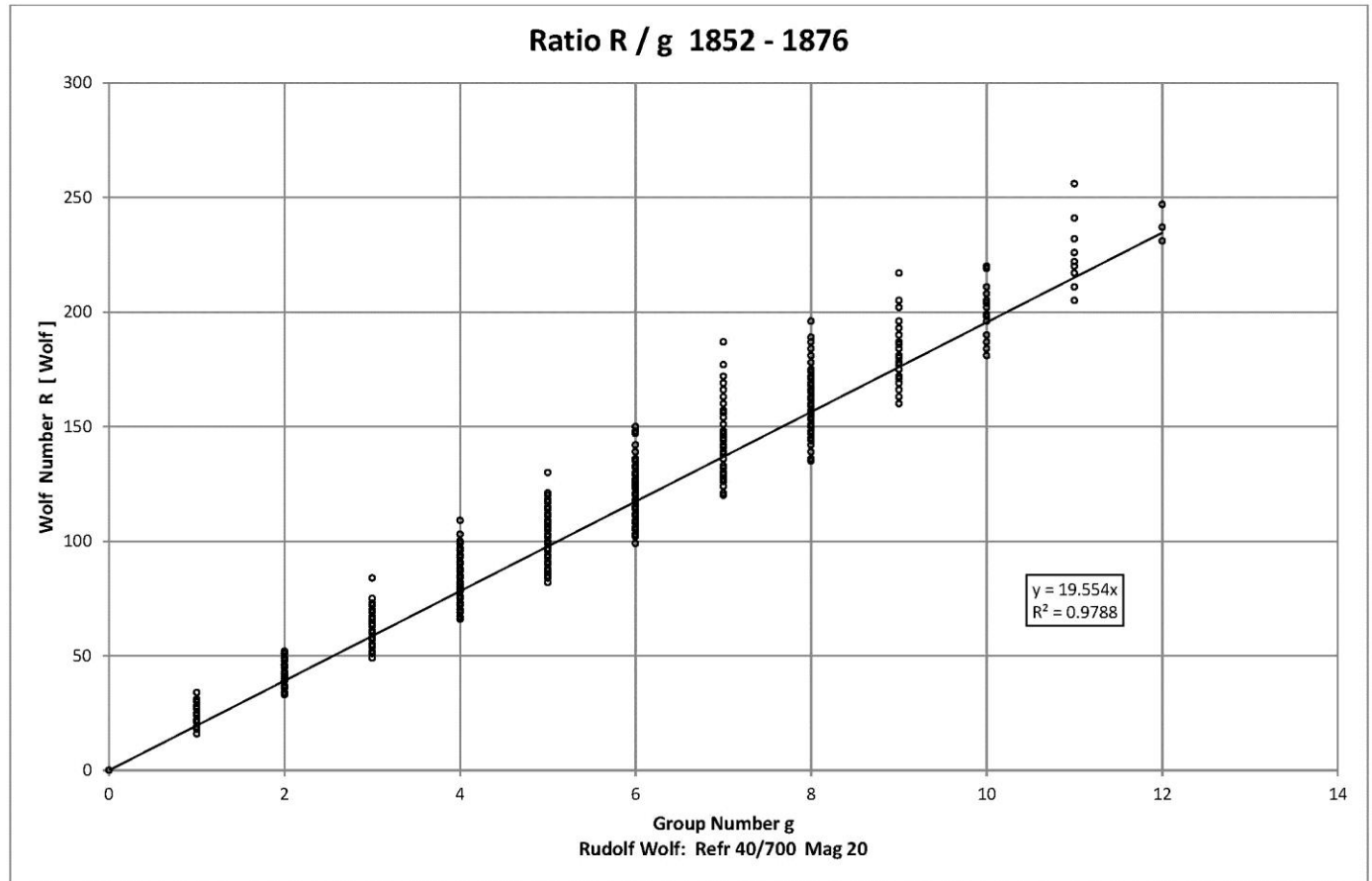
- ▶ Scale constant β of Rudolf Wolf 1849 - 1863 at the 83 / 1320 mm Fraunhofer refractor
 - $\beta_S = 14.708$
 - Significantly higher than Wolfer's $\beta_S = 11.432$
 - ▶ Wolfer has lowered the Series in 1894 too much, due to the eyesight diminishment of Rudolf Wolf
 - Significantly lower than Wolfer's instrumental $\beta_S = 19.054$
 - ▶ Wolf was not eagle-eyed:
 - Emil Jenzer in Berne had a k-factor of 0.85 at the same instrument
 - August Weilenmann in Zurich had a k-factor of 0.90 at the same instrument
 - ▶ In 1870 a polarizing helioscope was attached to the Fraunhofer refractor which improved the image quality considerably. The k-factor of Gustav Adolf Meyer dropped some 15%
 - ▶ Wolfer made drawings and measured positions of every group, a control Wolf never had



MERZ'S HELIOSCOPE.



The Wolfian Period 1849 - 1893



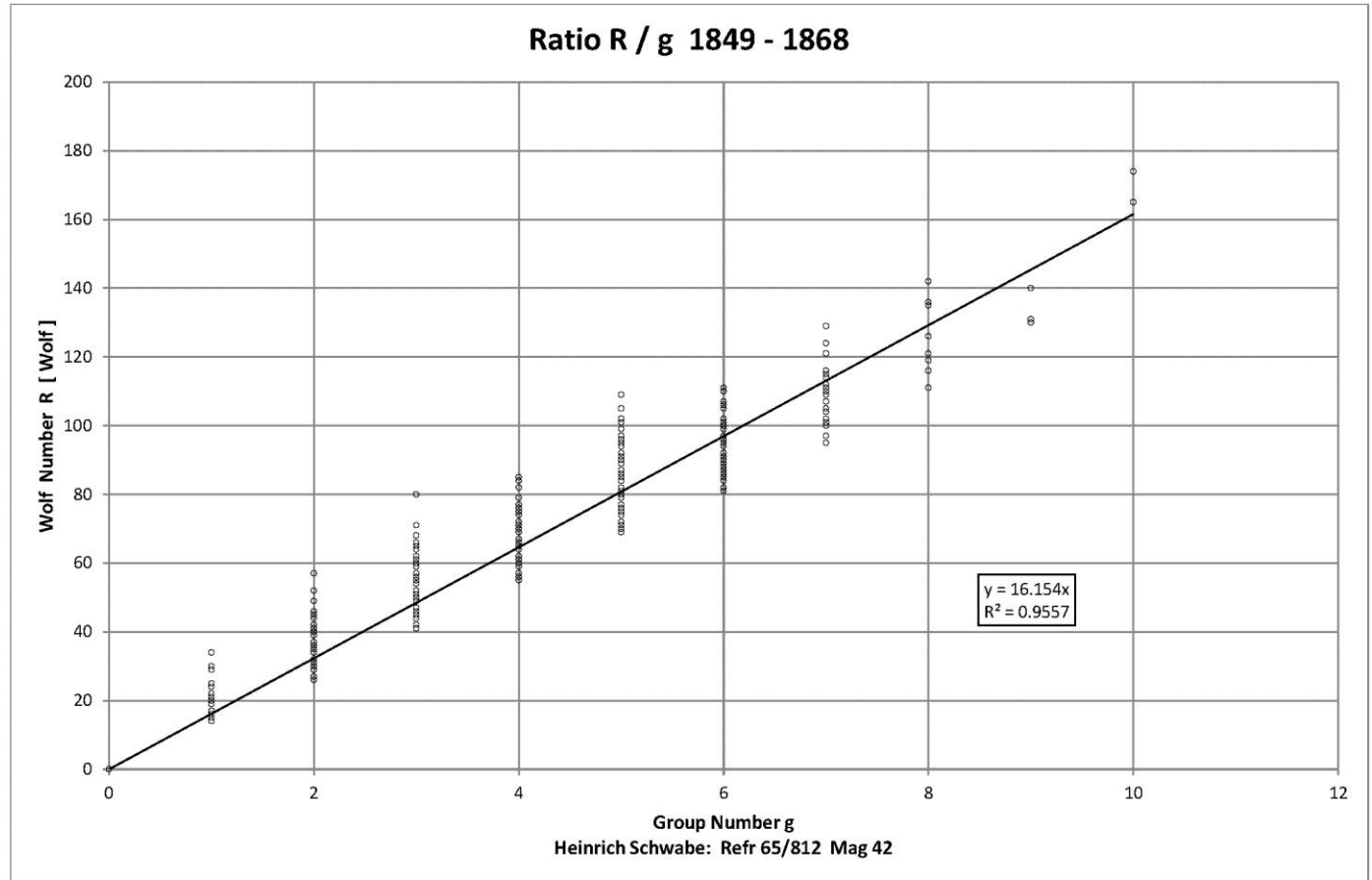
Recalculation

- ▶ Scale constant β of Rudolf Wolf 1852 - 1876 at the 40 / 700 mm Parisian refractor
 - $\beta_S = 19.554$
 - Significantly higher than Wolfer's $\beta_S = 11.432$
 - ▶ $\beta_S = 19.554$ is higher than Wolfer's $\beta_S = 19.054$
 - ▶ The correct k-factor should have been $k = 14.708 / (19.554 / 1.5) = 1.13$
 - ▶ $k = 1.5$ was based on 255 comparison observations from the years 1860 to 1862 during maximum phase
 - Re-examination of Wolf's observation with the Parisian refractor by Alfred Wolfer and Thomas K. Friedli
 - ▶ Wolfer 1894 - 1926: $k = 1.22$
 - ▶ Friedli 2006 – 2015: $k = 0.98$





The Wolfian Period 1849 - 1893

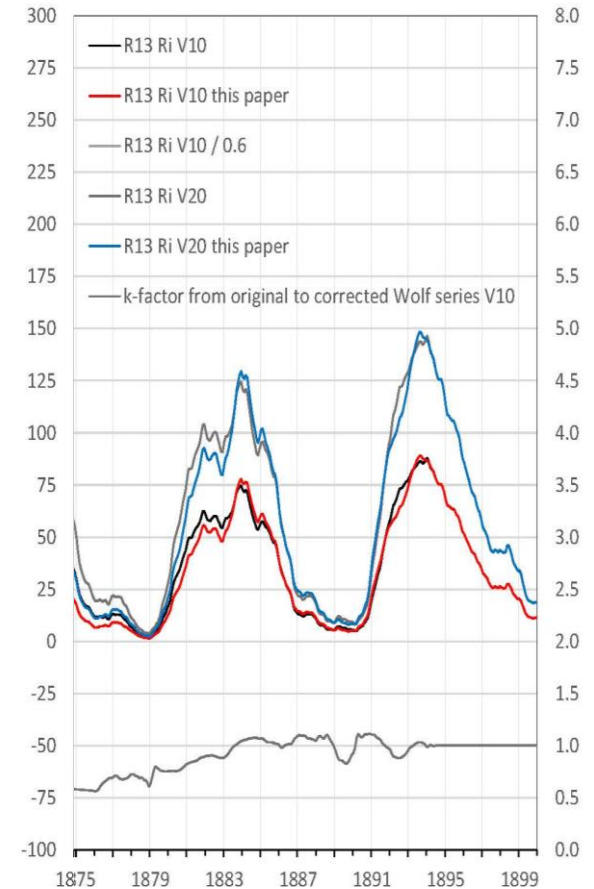




The Wolfian Period 1849 - 1893

Recalculation

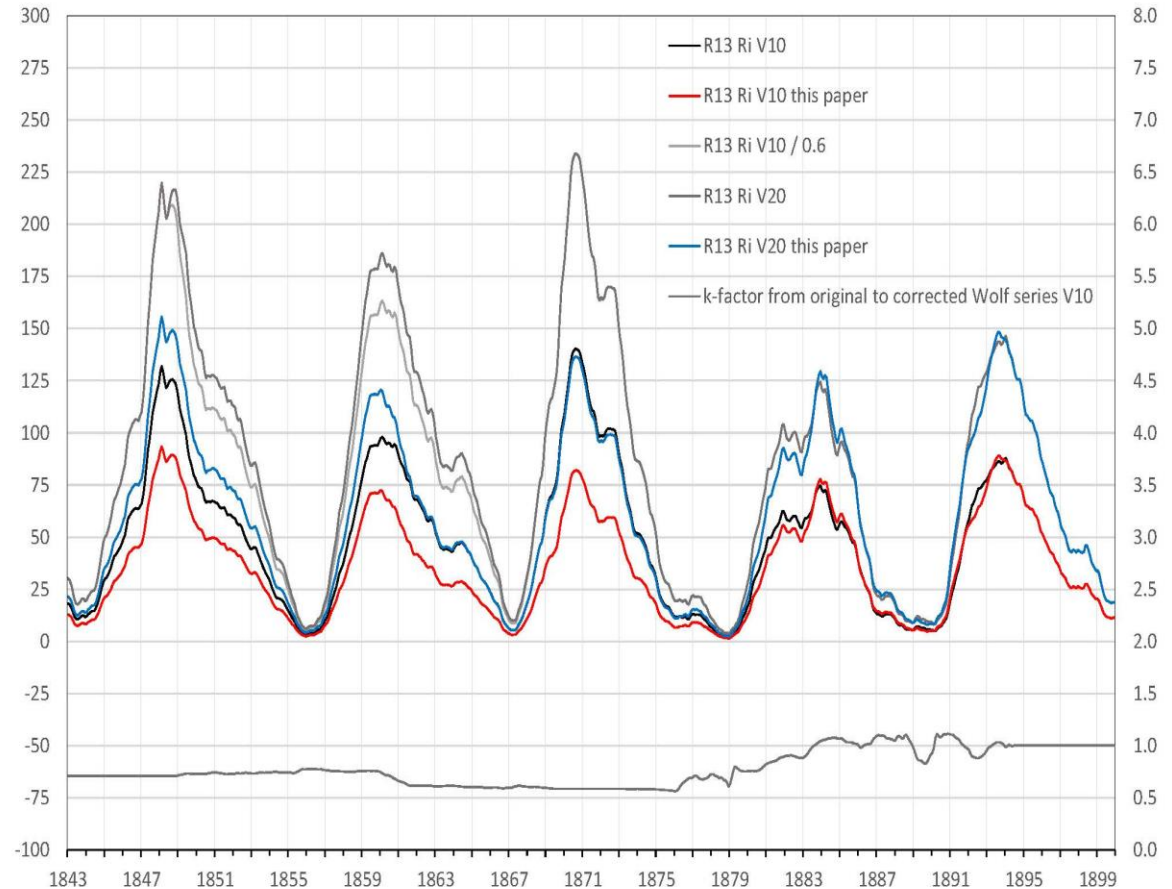
- ▶ Corrected data reduction factors 1849 - 1876
 - **Rudolf Wolf** at the 83 / 1320 mm Fraunhofer refractor
 - $0.777 = 0.6 \cdot \frac{19.054}{14.708}$
 - **Rudolf Wolf** at the 40 / 700 mm Parisian refractor
 - $0.584 = 0.6 \cdot \frac{19.054}{19.554}$
 - **Heinrich Schwabe**
 - $0.708 = 0.6 \cdot \frac{19.054}{14.708} \cdot \frac{14.708}{12.923} \cdot \frac{1}{1.25}$
 - **Secondary observers**
 - 1849 – 1860: **0.777** as 83/1320 mm Fraunhofer refractor
 - 1861 – 1869: **0.584** as 40/700 mm Parisian refractor
 - **Wolf series 1749 to 1848: 0.708** as Heinrich Schwabe
- ▶ Separation of standard instruments and scale jumps corrected



Recalculation

- ▶ **Corrections in cycle no.**
 - 13: Minor corrections
 - 12: Ascending phase lower
 - 11: Cycle lowered most
 - 10: Ascending phase higher
 - 9: Additional lowering due to Schwabe

- ▶ **Comparison cycles 9 & 10 with WDC-SILSO version 2.0**
 - Corrections for Wolf are more or less the same, but with better separation of the instruments and additional effect due to Schwabe in our recalculation



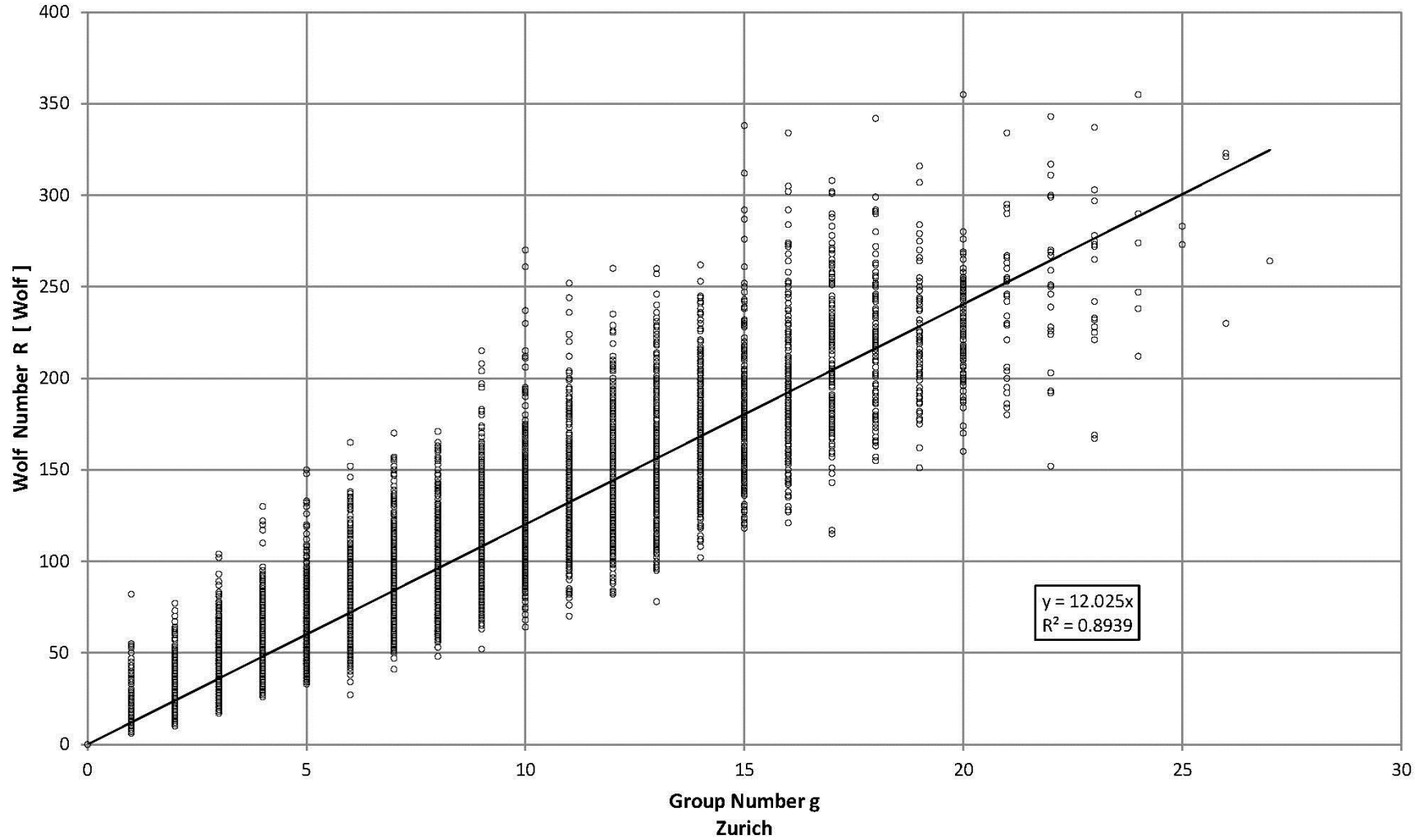
The Waldmeier Period 1945 - 1980

Known issues

- Group definition
 - Brunner introduced G Classes in the 1930ies
 - Introduction of the Zurich Classification in 1938
 - ▶ Scale homogenization will fully account for this issue
- Weighting of sunspots according to their extent
 - Possible level break near the beginning of the period
 - Possible gradual change over the years
 - ▶ Scale homogenization will fully account for this issue
 - ▶ Daily de-weighting should be applied before scale homogenization
- New k-factor definition
 - Simulation study reveals that new approach will rise the level of the secondary observations about 5%
 - ▶ Scale homogenization will account for this issue, but introduce an intra-cycle secondary bias, since Waldmeier's own observations are not affected

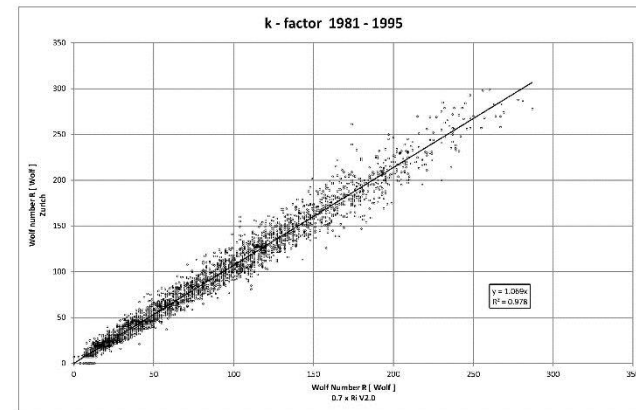
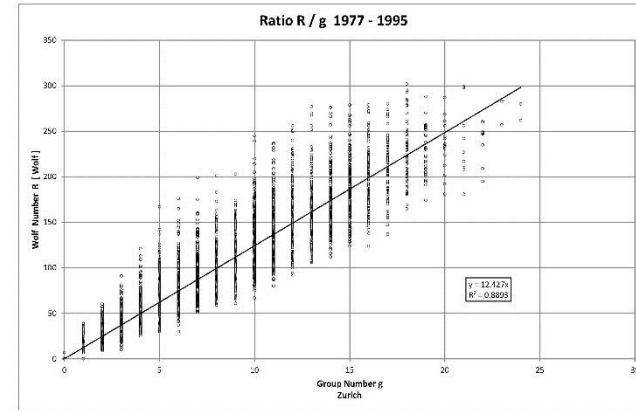


Ratio R / g 1945 - 1976



Scale Homogenization

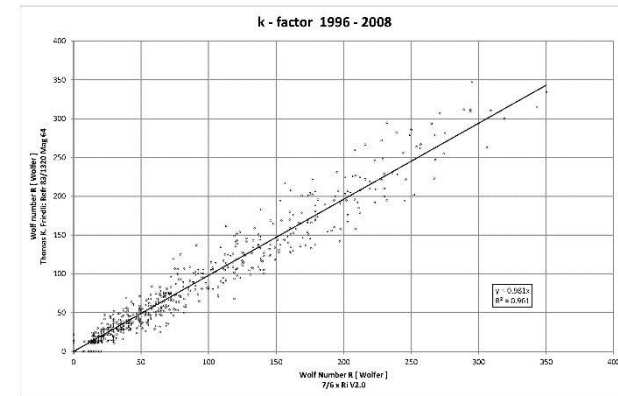
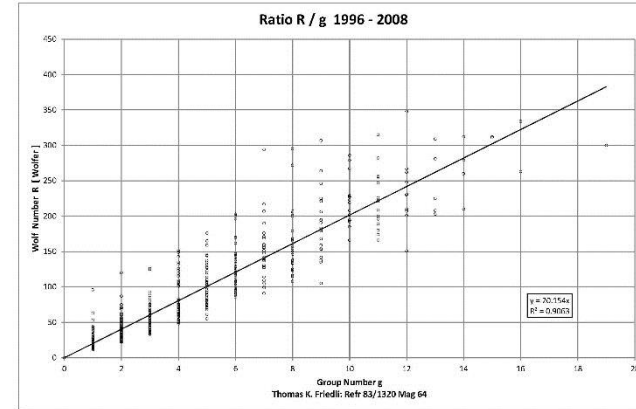
- ▶ Data reduction factors 1945 - 2008
 - Wolf series 1945 - 1980
 - $0.951 = \frac{11.432}{12.025}$
 - Wolf series 1981 - 1995
 - $0.983 = 1.069 \cdot \frac{11.432}{12.427}$
 - Wolf series 1996 - 2008
 - $0.927 = 0.981 \cdot \frac{19.054}{20.154}$
 - Wolf series 2009 - 2016
 - As in the last homogenization period: 0.927
- ▶ The k-factors for the years 1981 - 2008 have to be calculated with R's and g's from the Ri series





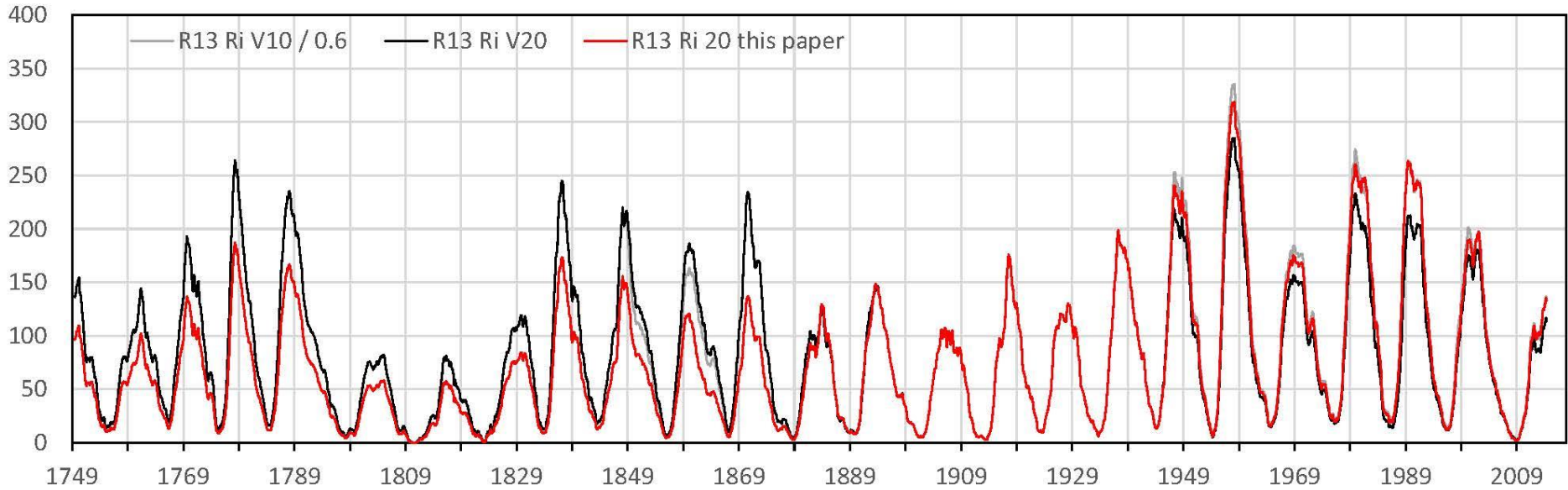
Scale Homogenization

- ▶ Data reduction factors 1945 - 2008
 - Wolf series 1945 - 1980
 - $0.951 = \frac{11.432}{12.025}$
 - Wolf series 1981 - 1995
 - $0.983 = 1.069 \cdot \frac{11.432}{12.427}$
 - Wolf series 1996 - 2008
 - 0.927 = 0.981 · $\frac{19.054}{20.154}$
 - Wolf series 2009 - 2016
 - As in the last homogenization period: 0.927
- ▶ The k-factors for the years 1981 - 2008 have to be calculated with R's and g's from the Ri series

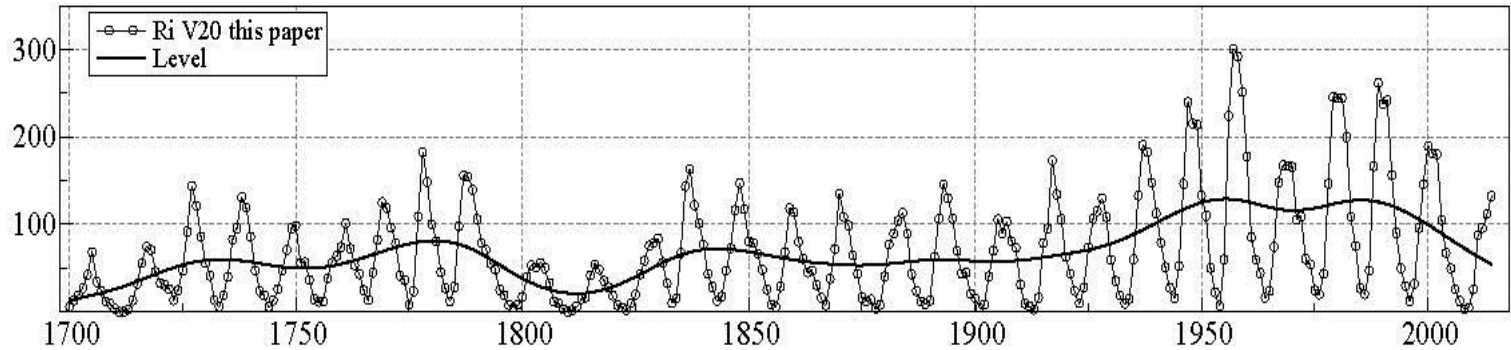
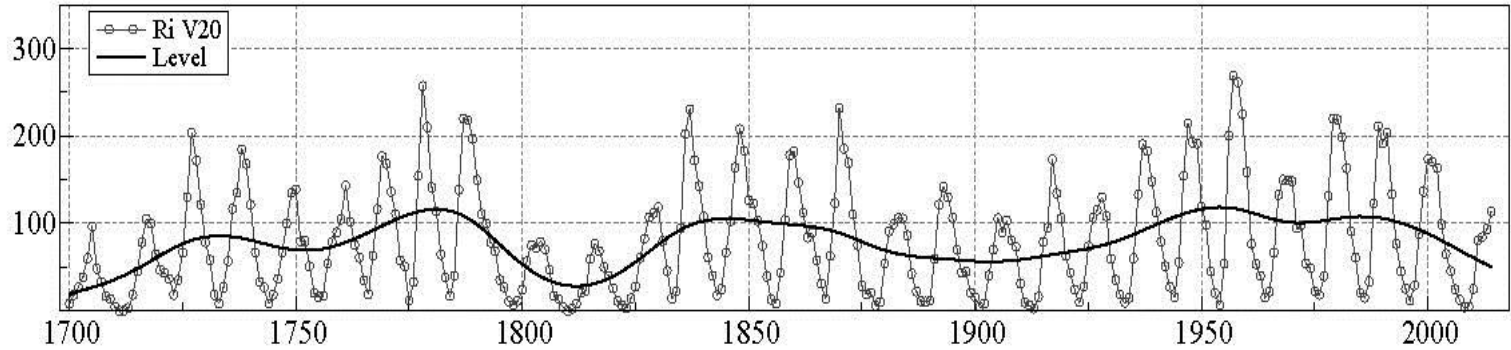




Partly homogenized Wolf series v2

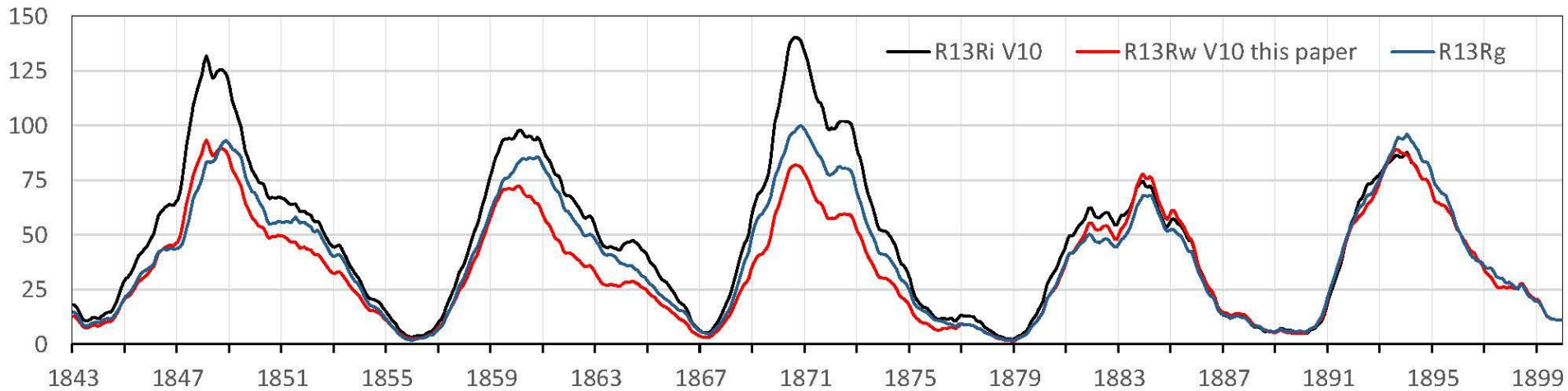


Comparison v2 with partly homogenized v2





Comparison Rg with partly homogenized v1



- **Spot numbers are not superfluous!**
 - ▶ A proper scale homogenization without individual spot numbers is impossible
 - ▶ We should determine the individual spot numbers to the group numbers of Hoyt and Schatten
 - ▶ The actual series of Wolf numbers should be extended with a homogeneous series of group numbers (done).

- **We have to distinguish between data correction and series homogenization**
 - ▶ First the data correction then the series homogenization
 - ▶ Each correction step should be completed by a re-homogenization step



- **Digitization of the Source Book**
 - ▶ First back to 1749, later back to 1610
 - ▶ Digitization of the data from the years 1900 to 1944
- **Transition from Zurich to SIDC**
 - ▶ Digitization of the observations from Zurich 1975 to 1995
 - ▶ Modelling of the transfer by different methods
- **Modelling of intra-cycle scale variability**
 - ▶ Construction of a model for monitoring and statistical testing of the long-term scale homogeneity not only from one cycle to another, but on a yearly or even monthly basis.
- **Modelling of data reduction algorithm incorporating scale**
 - ▶ The preserved scale constant of the standard system will give the necessary constraint on the population mean in a mixed-effects type model for data reduction.

