



# Impact of the solar tachocline on the long term magnetic cycle in a global MHD simulation

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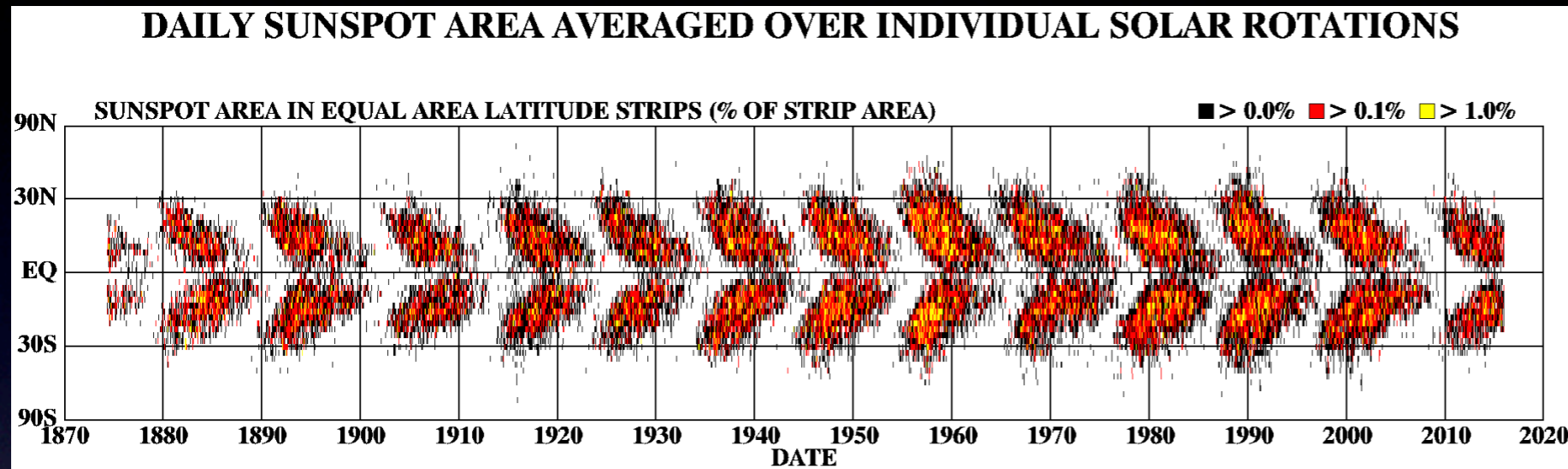
# Goals

- Analyze the impact of the solar tachocline and its underlying stable layer on the convection zone
- Observe the modifications on the long-term magnetic cycle
- Quantify energy transport between stable layer and convection zone

# EULAG

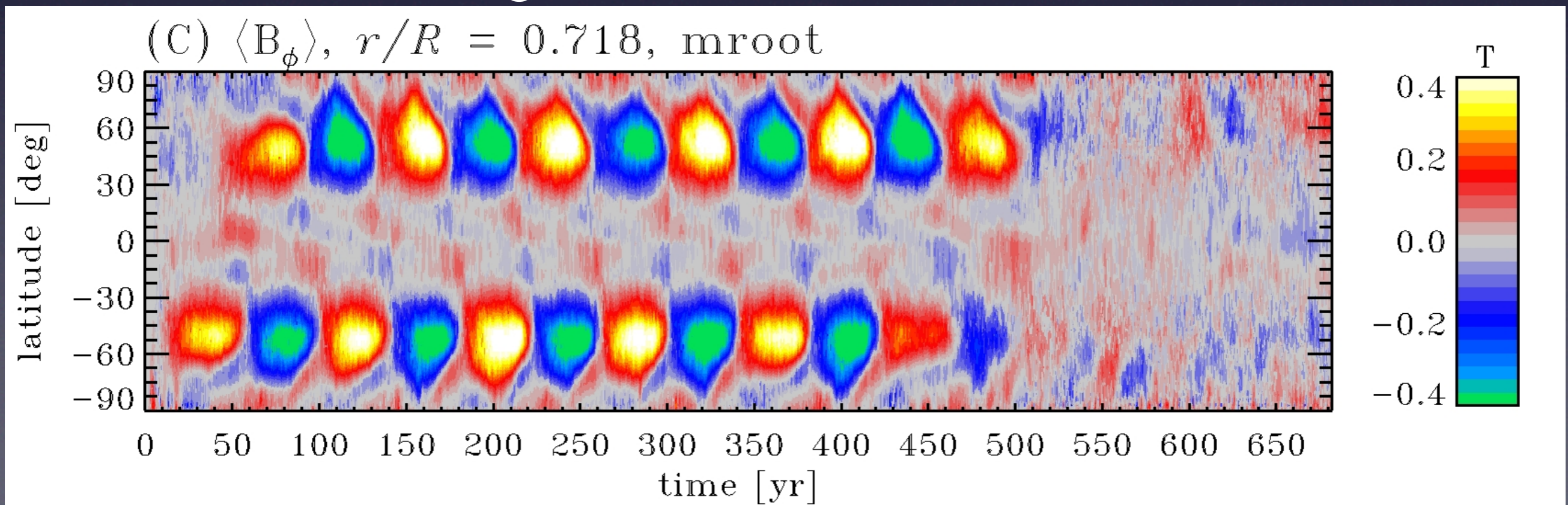
- Solves anelastic equations
- Volumic thermal forcing of the convection
- ILES code (no explicit dissipation)
- Convection zone + Stable layer

# Reference simulation



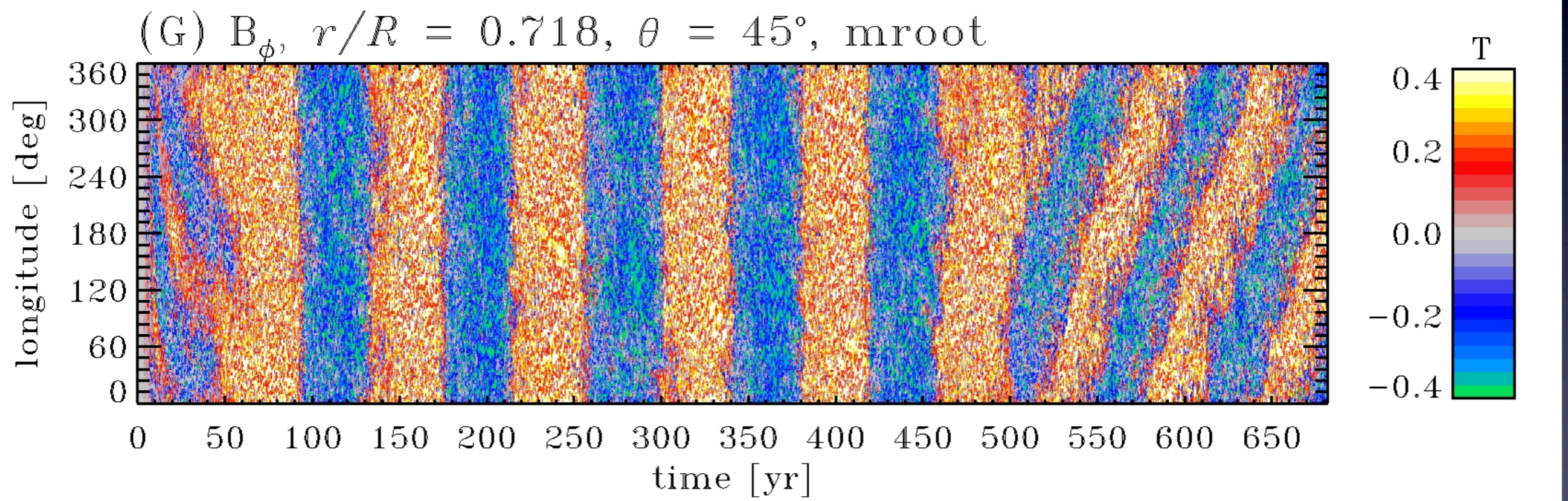
Hathaway, NASA/ARC,  
2016/01

Latitude-time diagram of longitudinally averaged toroidal magnetic field at the tachocline



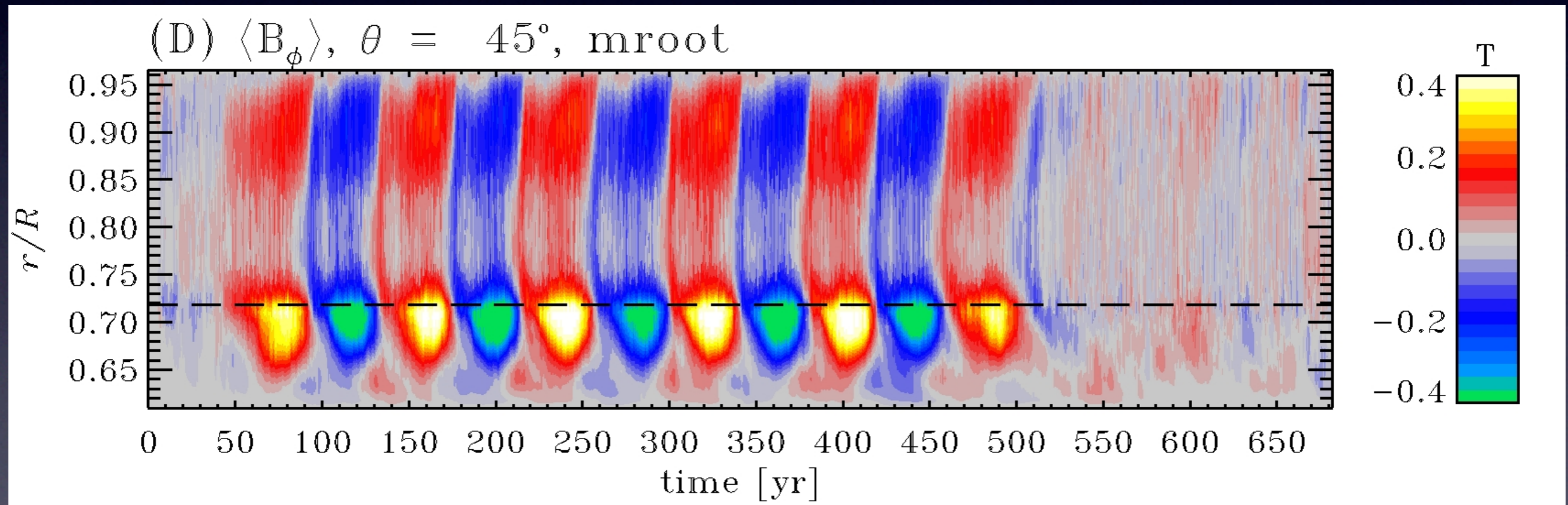
# Reference simulation

Longitude-time diagram of toroidal magnetic field  
at the tachocline and at  $45^\circ$



# Reference simulation

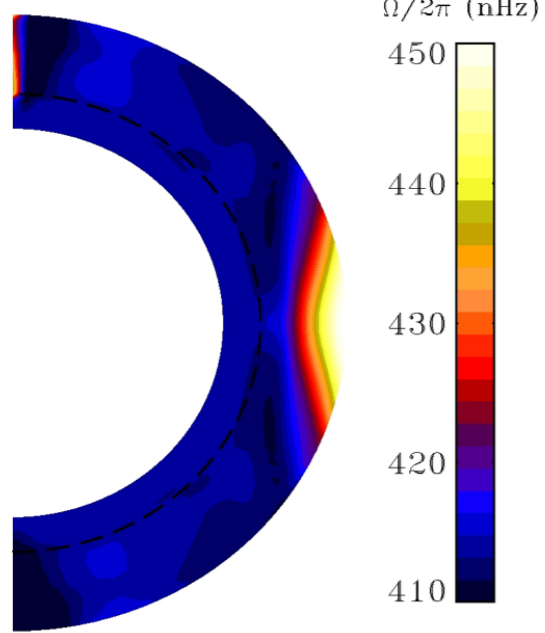
Latitude-time diagram of longitudinally averaged toroidal magnetic field at  $45^\circ$



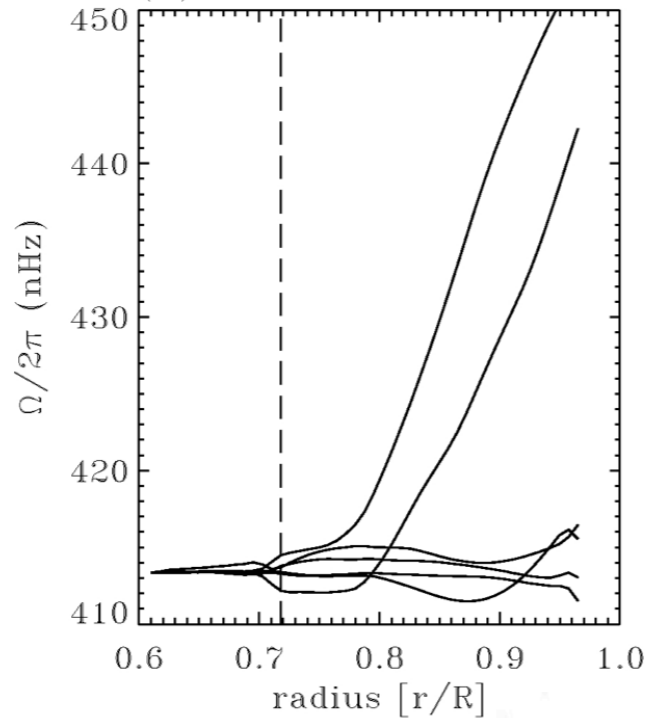
# Reference simulation

## Differential rotation profile

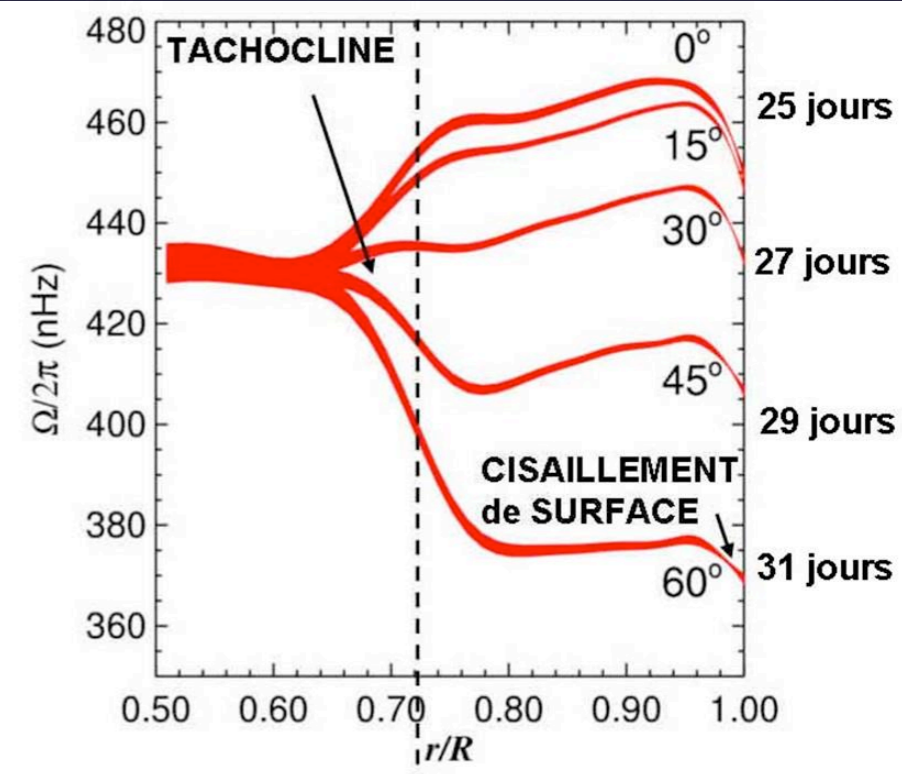
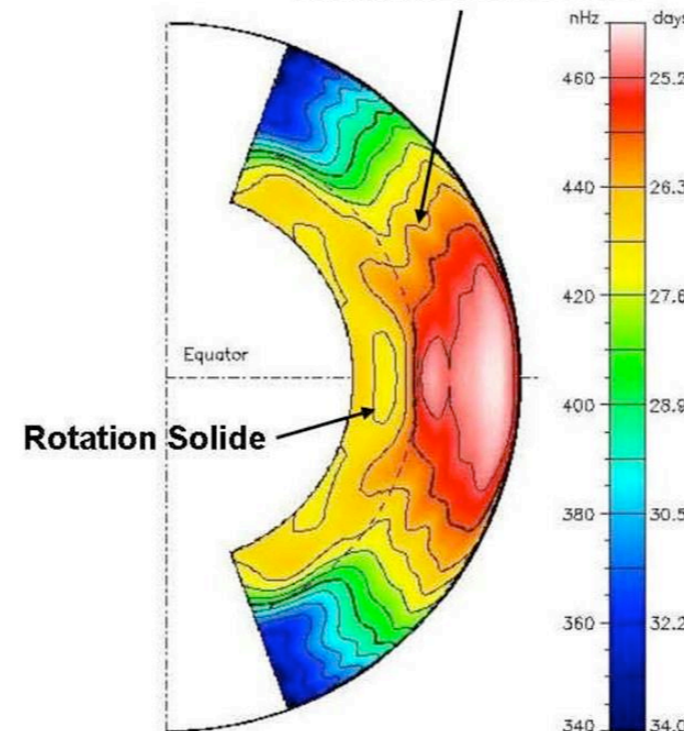
(A) DR, polar rep., mroot



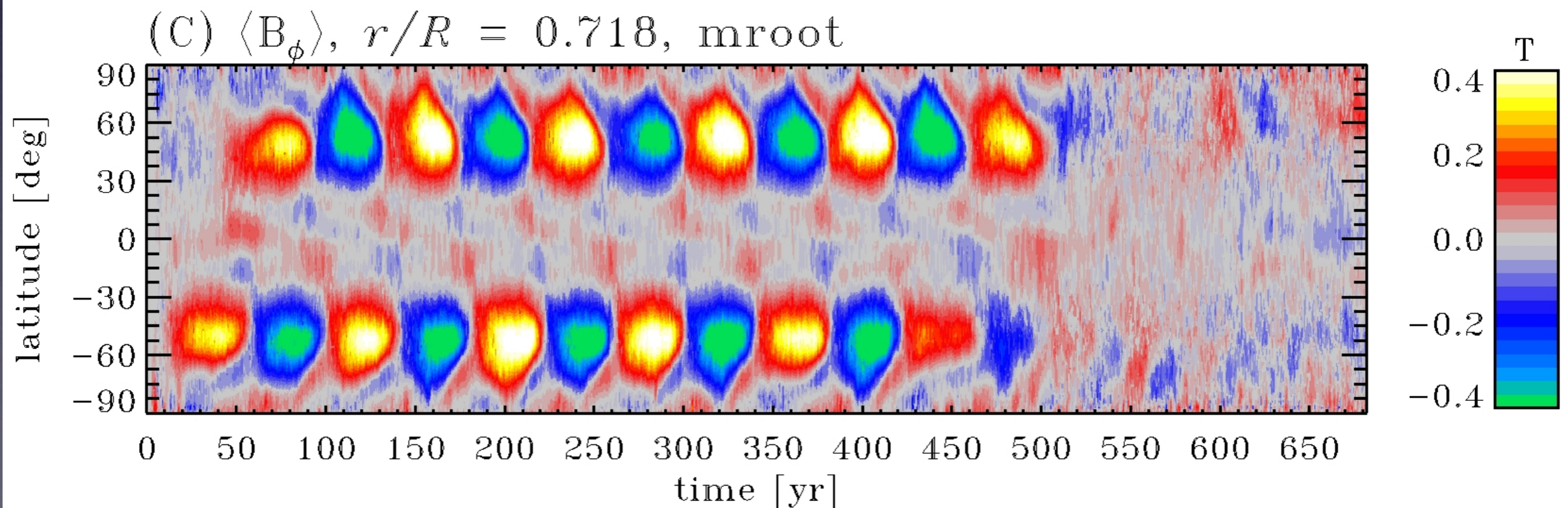
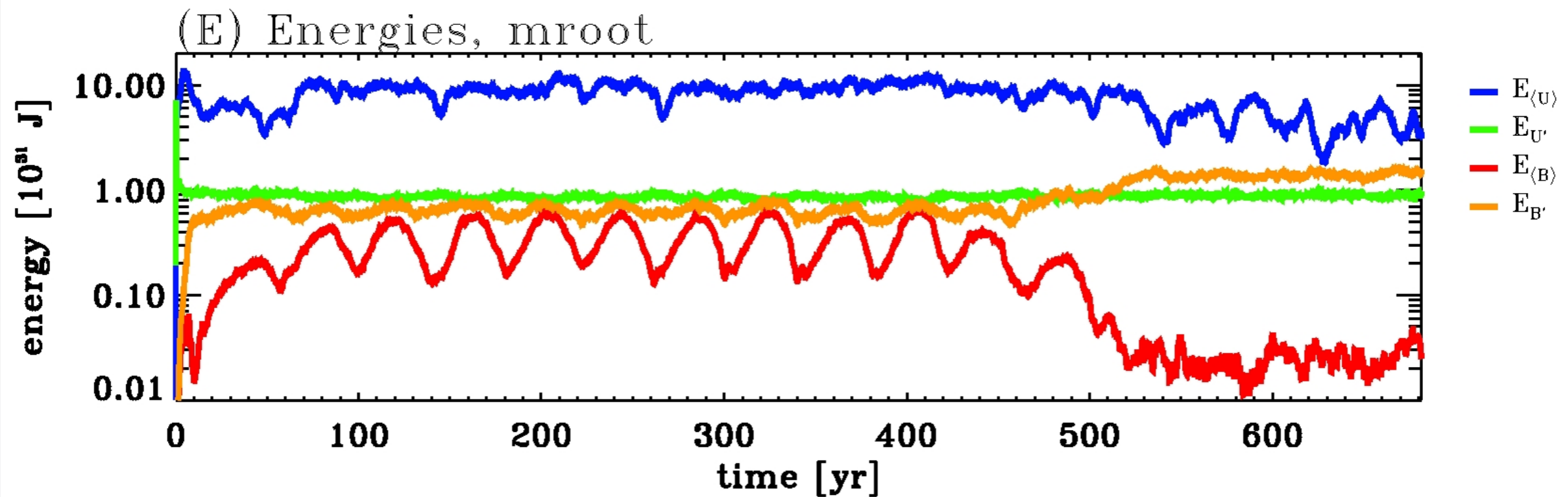
(B) DR, lat. cuts, mroot



Rotation Différentielle



# Reference simulation





# Methodology

- Use of EULAG, a global MHD simulation
- From the reference simulation, modification of the polytropic index in the stable layer (from 2.6 to either 2.5 or 2.7)
- Look at energy transport through the tachocline

# Energy transport

$$\mathbf{u} \cdot \frac{\partial \mathbf{u}}{\partial t} = -\mathbf{u} \cdot \left[ \nabla \left( \frac{u^2}{2} + \pi' \right) + \mathbf{g} \frac{\Theta'}{\Theta_o} - \frac{1}{\mu \rho_o} (\mathbf{B} \cdot \nabla) \mathbf{B} \right]$$

Advection :

$$-\mathbf{u} \cdot \nabla \left( \frac{u^2}{2} \right)$$

Pressure gradient :

$$-\mathbf{u} \cdot \nabla \pi'$$

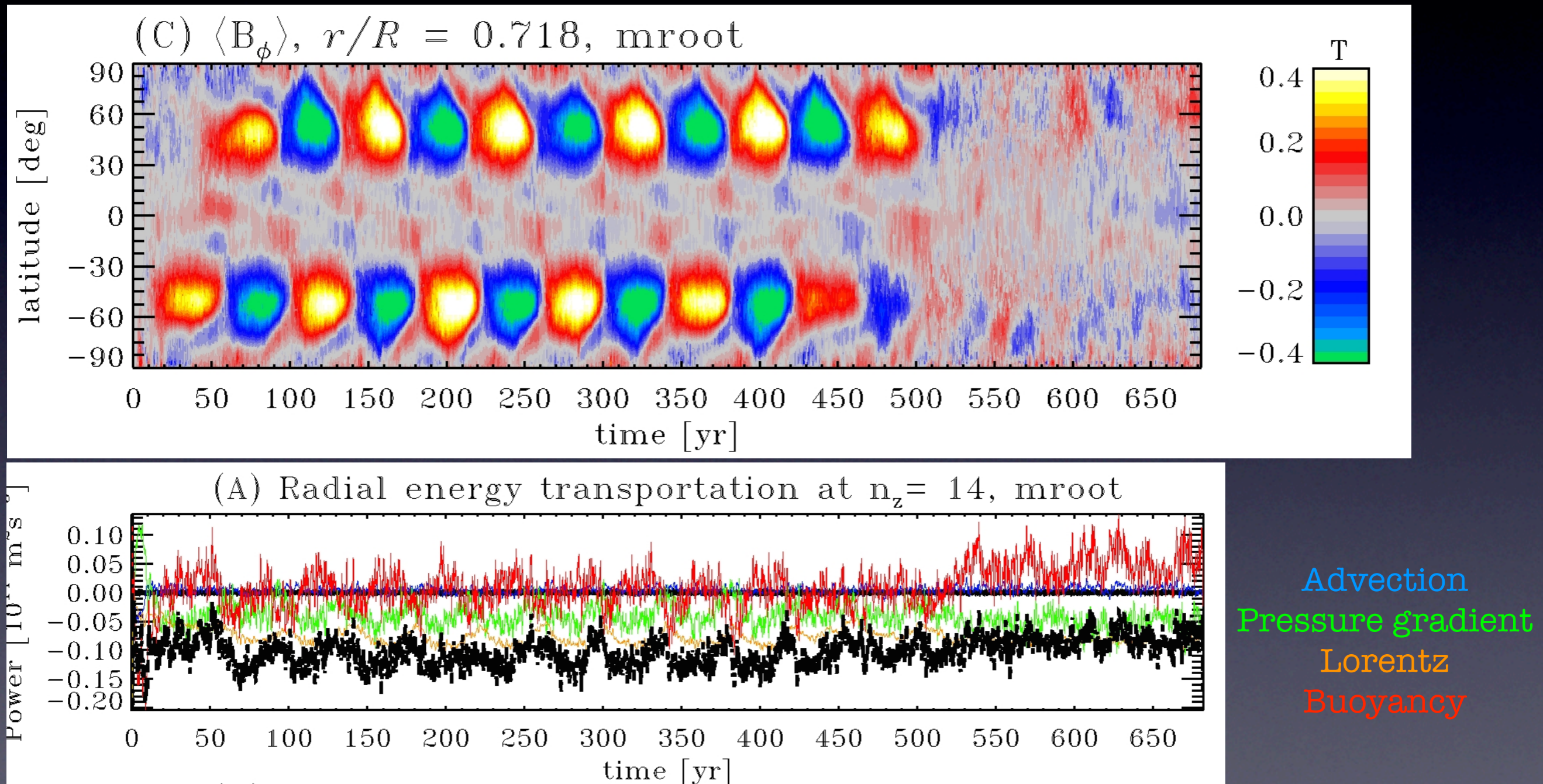
Buoyancy :

$$-\mathbf{u} \cdot \mathbf{g} \frac{\Theta'}{\Theta_o}$$

Lorentz force :

$$\frac{1}{\mu \rho_o} \mathbf{u} \cdot [(\mathbf{B} \cdot \nabla) \mathbf{B}]$$

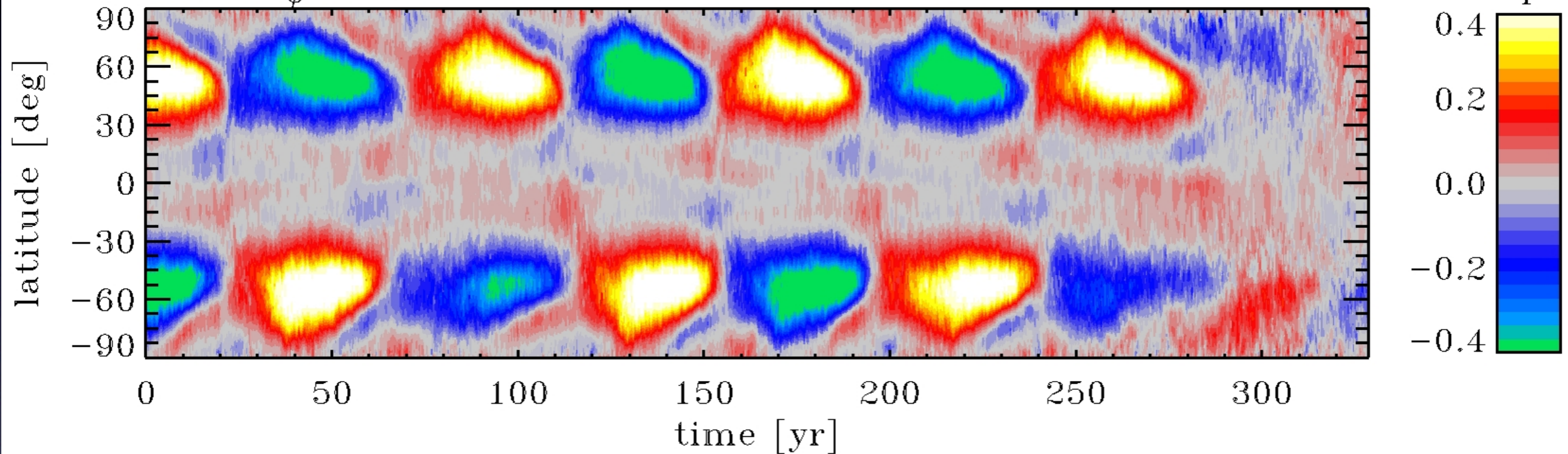
# E transport, ref. sim.



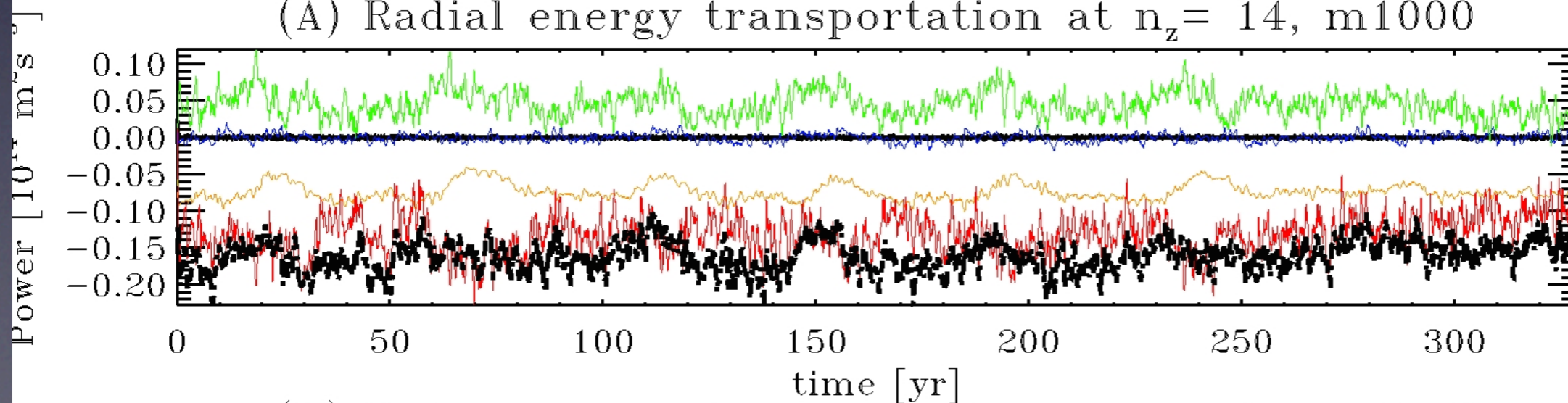
# Experiments

Case  $n_1=2.6 \rightarrow n_1=2.5$  from maximum

(C)  $\langle B_\phi \rangle$ ,  $r/R = 0.718$ ,  $m1000$



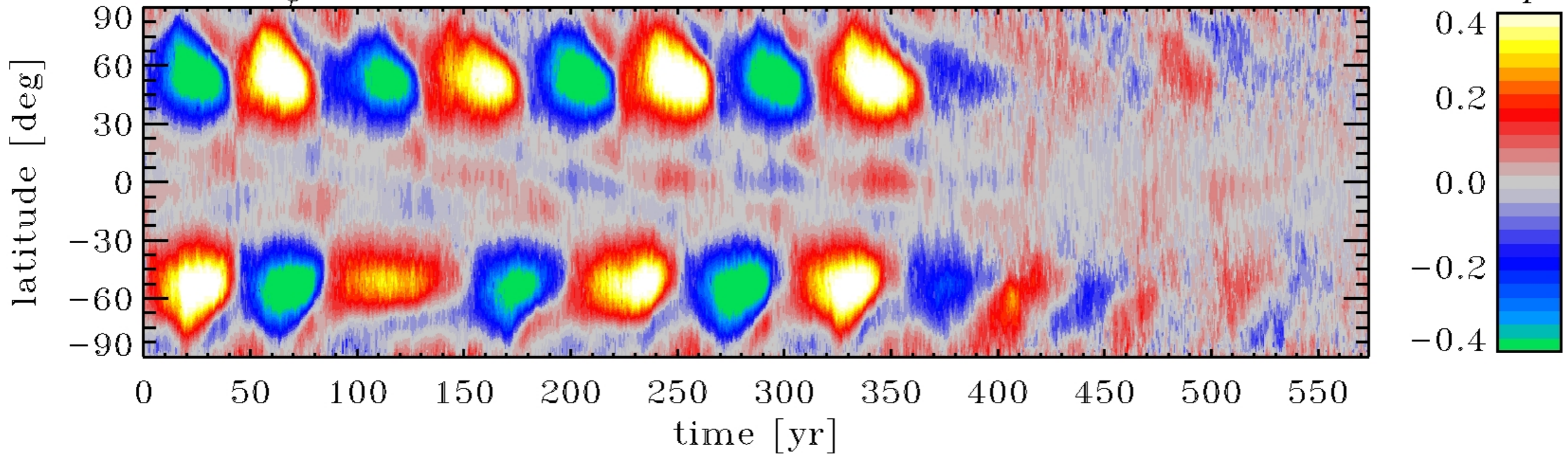
(A) Radial energy transportation at  $n_z = 14$ ,  $m1000$



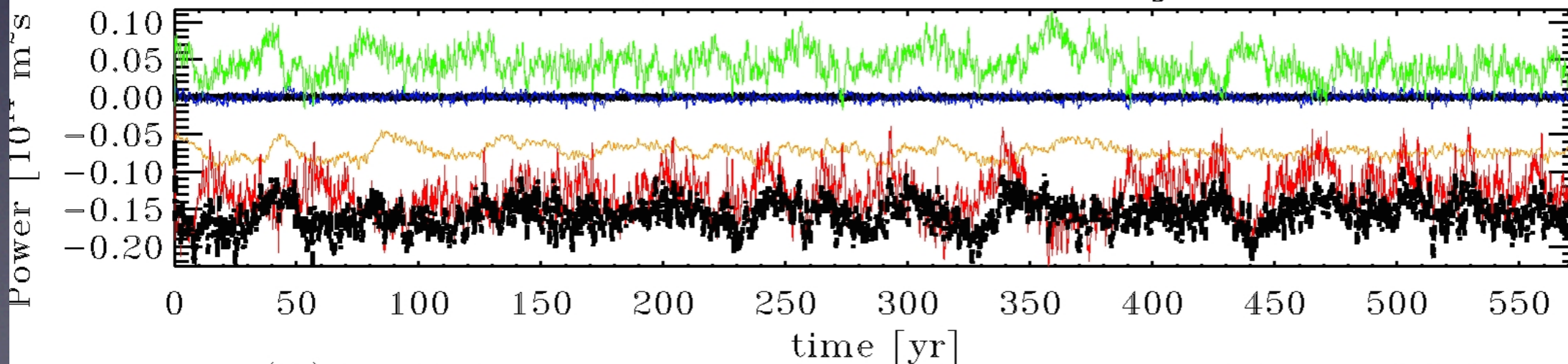
# Experiments

Case  $n_1=2.6 \rightarrow n_1=2.5$  from minimum

(C)  $\langle B_\phi \rangle$ ,  $r/R = 0.718$ , m1000b



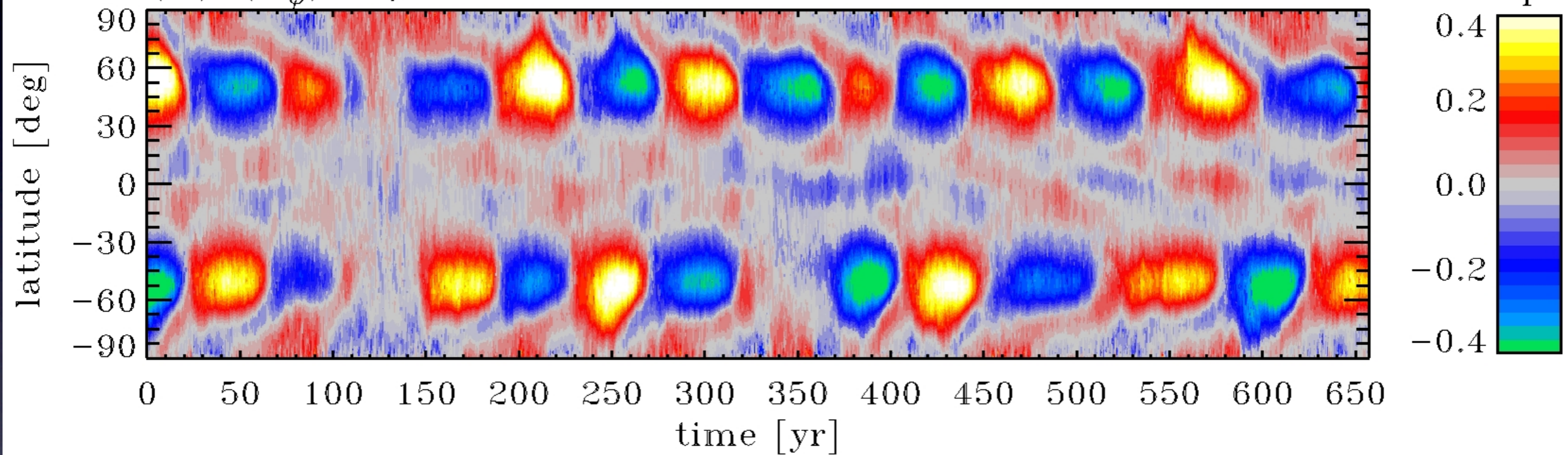
(A) Radial energy transportation at  $n_z = 14$ , m1000b



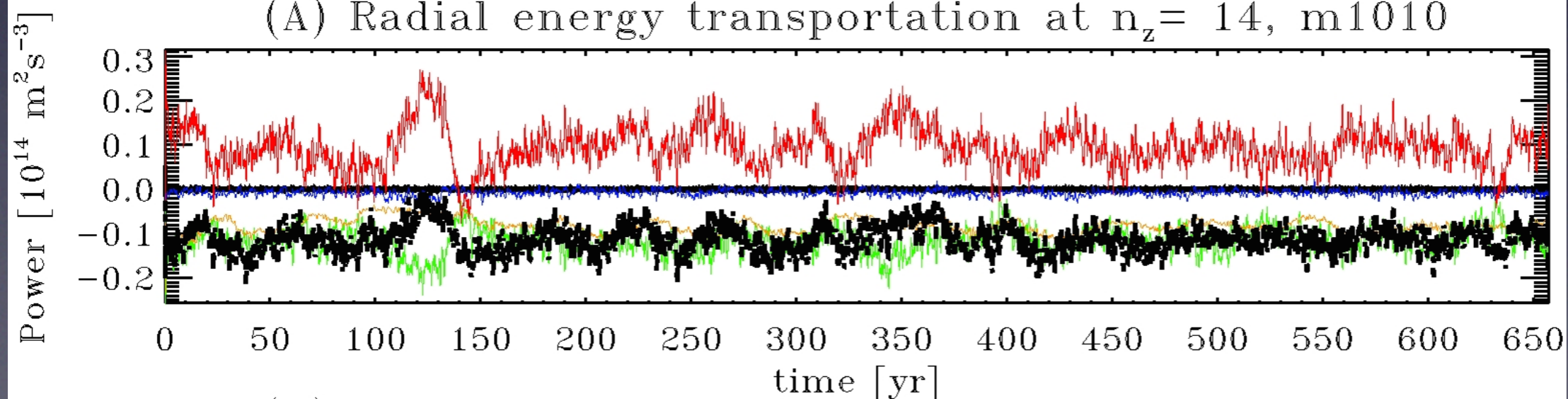
# Experiments

Case  $n_1=2.6 \rightarrow n_1=2.7$  from maximum

(C)  $\langle B_\phi \rangle$ ,  $r/R = 0.718$ , m1010



(A) Radial energy transportation at  $n_z=14$ , m1010



# Conclusions

- Modifying the stable layer characteristics impacts the long-term magnetic cycle
- Is stability of such cycle depending on buoyancy sign?
- Overshoot layer possibly playing an essential role in radial energy transfers

Kiitos!